



# Mass and stellar orbital distribution of Early-Type galaxy haloes

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The stellar halos around galaxies – ESO/Garching, 23-27 February 2015

- simulation predictions
- planetary nebulae (and GCs) as dynamical tracers
- the dispersion-kurtosis Jeans analysis
- mass and anisotropy in galaxy haloes vs. simulations
- testing  $\Lambda CDM$

## **Simulation Prediction**



## **DM properties**

(Cossisionless) Simulations



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## **Simulation Prediction**



### DM and Light properties – merging simulations



hydrodynamical re-simulation of DM only simulation

### DM and Light properties – merging simulations



hydrodynamical re-simulation of DM only simulation

### DM and Light properties – merging simulations



"The accreted component is characterised by radially anisotropic velocity dispersions (Abadi et al.2006; Hilz et al. 2012) because the merging satellites come in on predominantly radial orbits, and so many of the stars."

# **Dynamical probes of ETGs**

Central

dark matter fractions and stellar populations

CALIFA Survey

ALLAS

F

ISC

## **Dynamical probes of ETGs**

V.S

# Galaxy Dynamics with discrete tracers in their outskirts

Central dark matter fractions and stellar populations X-rays

## PN as dynamical probles of the galaxy outer haloes



## PN as dynamical probles of the galaxy outer haloes



### Planetary Nebula Spectrograph Galaxy Survey



## PN as dynamical probles of the galaxy outer haloes



#### Planetary Nebula Spectrograph Galaxy Survey



### The effect of the orbital anisotropy



# Jeans analysis of E systems

2<sup>nd</sup> moment Jeans Equation (spherical non rotating systems)

$$\frac{\mathrm{d}}{\mathrm{d}r}(j\sigma_r^2) + \frac{2\beta}{r}j\sigma_r^2 = -j\frac{\mathrm{d}\Phi}{\mathrm{d}r} \qquad \beta = 1 - \frac{\sigma_{\theta}^2}{\sigma_r^2}$$

$$j_* \sigma_r^2(\beta = \text{const}) = r^{-2\beta} \int_r^\infty r'^{2\beta} j_* \frac{\mathrm{d}\Phi}{\mathrm{d}r'} \,\mathrm{d}r'$$

$$f(E,L) = f_0(E)L^{-2\beta}$$

where 
$$\Phi(r) = -\frac{GM(r)}{r} = -\frac{GM_{star}(r) + M_{DM}(r)}{r}$$

$$\sigma_{\rm los}^2(R) = \frac{2}{I(R)} \int_R^\infty \left( 1 - \beta \frac{R^2}{r^2} \right) \frac{j_* \, \sigma_r^2 \, r}{\sqrt{r^2 - R^2}} \, \mathrm{d}r$$

$$M(r) = -\frac{\sigma_r^2 r}{G} \left( \frac{d\ln j_*}{d\ln r} + \frac{d\ln \sigma_r^2}{d\ln r} + 2\beta \right)$$

# Jeans analysis of E systems

4<sup>th</sup> moment Jeans Equation

$$\frac{\mathrm{d}}{\mathrm{d}r}(j_*\overline{v_r^4}) + \frac{2\beta}{r}j_*\overline{v_r^4} + 3j_*\sigma_r^2\frac{\mathrm{d}\Phi}{\mathrm{d}r} = 0$$

$$j_* \overline{v_r^4} = 3r^{-2\beta} \int_r^\infty r'^{2\beta} j_* \sigma_r^2 \frac{\mathrm{d}\Phi}{\mathrm{d}r'} \,\mathrm{d}r'$$

$$\overline{v_{\rm los}^4}(R) = \frac{2}{I(R)} \int_R^\infty \left( 1 - 2\beta \frac{R^2}{r^2} + \frac{\beta(1+\beta)}{2} \frac{R^4}{r^4} \right) \frac{j_* \,\overline{v_r^4} \, r}{\sqrt{r^2 - R^2}} \, \mathrm{d}r$$

$$\kappa_{\rm los}(R) = \frac{\overline{v_{\rm los}^4}(R)}{\sigma_{\rm los}^4(R)} - 3$$

# Jeans analysis of E systems

# 4<sup>th</sup> moment Jeans Equation

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$$j_* \overline{v_r^4} = 3r^{-2\beta} \int_r^\infty r'^{2\beta} j_* \sigma_r^2 \frac{\mathrm{d}\Phi}{\mathrm{d}r'} \,\mathrm{d}r'$$

$$\Sigma \overline{v_{los}^4}(R) = 2 \int_R^\infty g(\beta, r, R) \frac{\nu \overline{v_r^4} r}{\sqrt{r^2 - R^2}} dr$$

Richardson & Fairbairn 2014 **generalize for β(r)** for separable augmented density

$$g(\beta, r, R) = 1 - 2\beta \frac{R^2}{r^2} + \frac{\beta(1+\beta)}{2} \frac{R^4}{r^4} - \frac{R^4}{4r^3} \frac{d\beta}{dr}$$
$$\kappa_{\rm los}(R) = \frac{\overline{v_{\rm los}^4(R)}}{\sigma_{\rm los}^4(R)} - 3$$

$$\beta(r) = \frac{\beta_2 r^c + \beta_1 r_a^c}{r^c + r_a^c}$$

Churazov et a. 2010



De Lorenzi et al. 2008; 2009

**NMAGIC**: χ<sup>2</sup> made-to- measure particle method (see Gerhard's talk)

Dearth of dark matter or massive dark halo? Mass-shape-anisotropy degeneracies revealed by NMAGIC dynamical models of the elliptical galaxy NGC 3379

F. De Lorenzi,<sup>1,2★</sup> O. Gerhard,<sup>2</sup> L. Coccato,<sup>2,3</sup> M. Arnaboldi,<sup>4,5</sup> M. Capaccioli,<sup>6</sup> N. G. Douglas,<sup>3</sup> K. C. Freeman,<sup>7</sup> K. Kuijken,<sup>8</sup> M. R. Merrifield,<sup>9</sup> N. R. Napolitano,<sup>6</sup> E. Noordermeer,<sup>9</sup> A. J. Romanowsky<sup>3,9,10</sup> and V. P. Debattista<sup>11</sup>



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# The effect of the orbital anisotropy

Use the higher order velocity moments to (somehow) break the mass-anisotropy degeneracy (Merrifield & Kent 1998, Lokas 2002, Lokas & Mamon 2003).



### Does this work to break the mass-anisotropy degeneracy?

NGC 4494



NO-DM M/L<sub>B</sub>=const=5

### Does this work to break the mass-anisotropy degeneracy?

NGC 4494



NFW+ anisotropy  $M/L_B=4.3$ 

 $\beta$ ~ 0.4-0.5 (radial orbits) in the outer regions



















# and finally something from the globular clusters

SLUGGS Collaboration (Brodie, Romanowsky, Forbes, Pota, Foster)





- 1) Planetary nebulae (and globular clusters) are excellent probes to investigate the outer galaxy haloes both from the kinematical (V/sigma, angular momentum) and from the **dynamical point of view (mass and anisotropy);**
- 2) The velocity dispersion profiles of (mostly) slow-totator ETG from PNe are statistically overlapping with the ones from recent models of (merging) galaxy formation
- 3) Anisotropy (preliminary) constraints on a sample of 8 ETGs from the Planetary Spectrograph (+2 external) elliptical galaxy survey show a variety of β(r) profile which are generally consistent with a moderate (30-40%) to large (40-70%) fraction of "in situ" star formation, but there are also some highly tangential orbits (fast rotator, merging?).
- 4) Mass distribution: concentrations and virial masses are consistent with the expectations from collisionless simulations with Plank cosmological parameters.