

Mass distribution model of nearby spirals: from 1D to 2D

Laurent Chemin

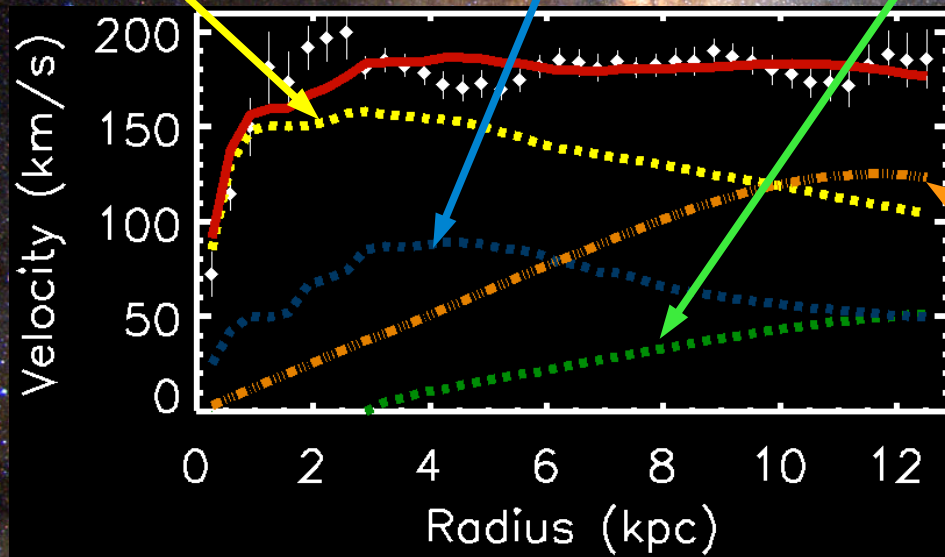
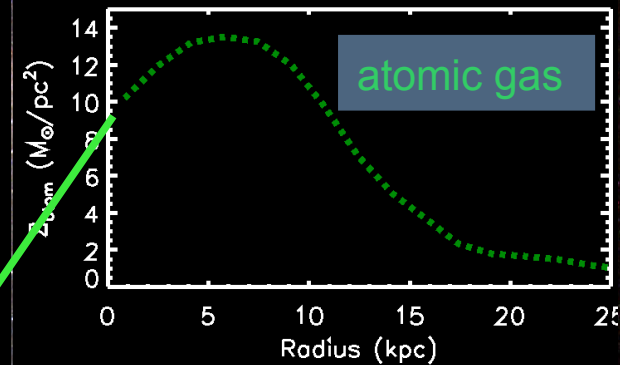
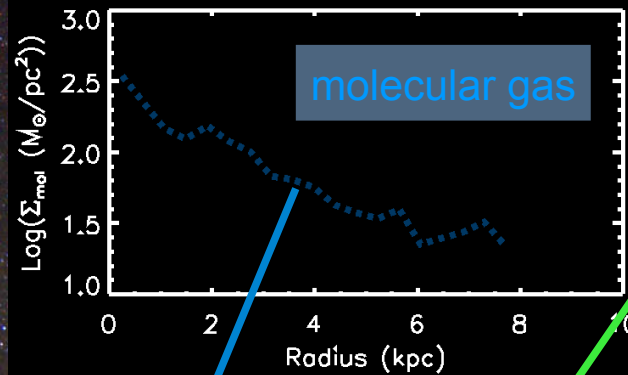
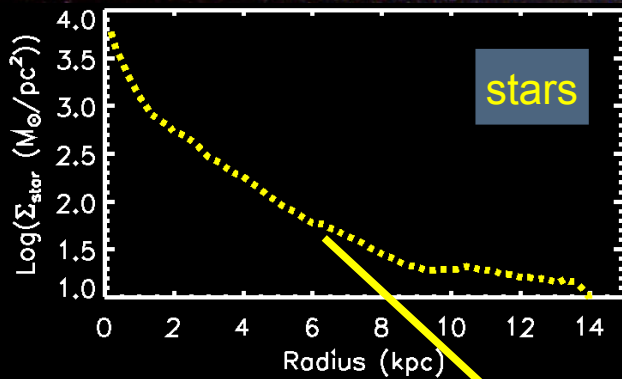
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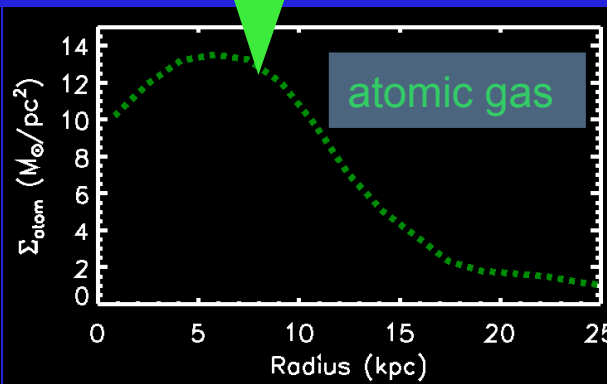
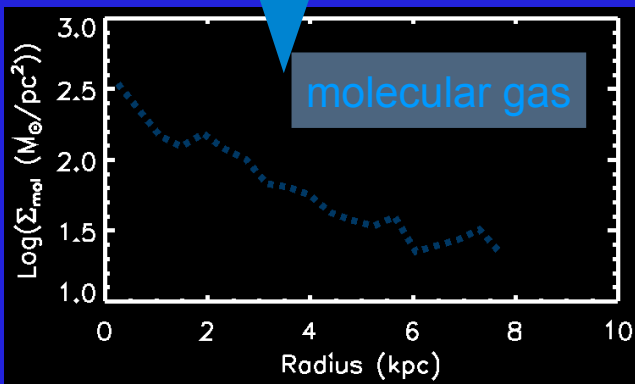
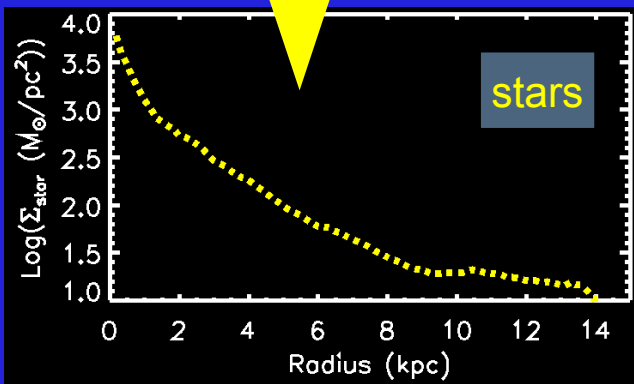
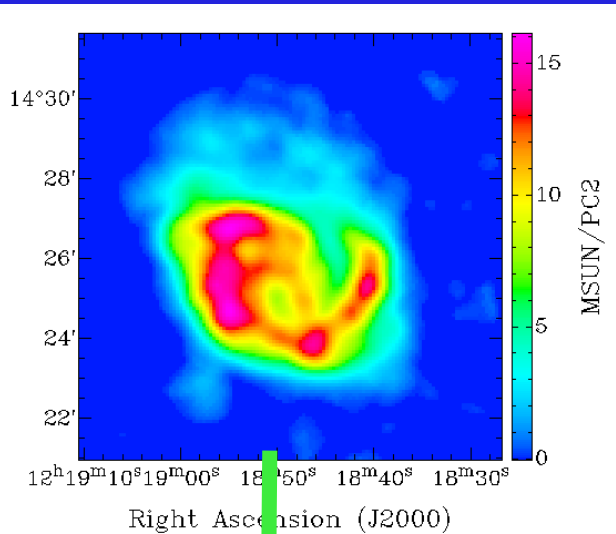
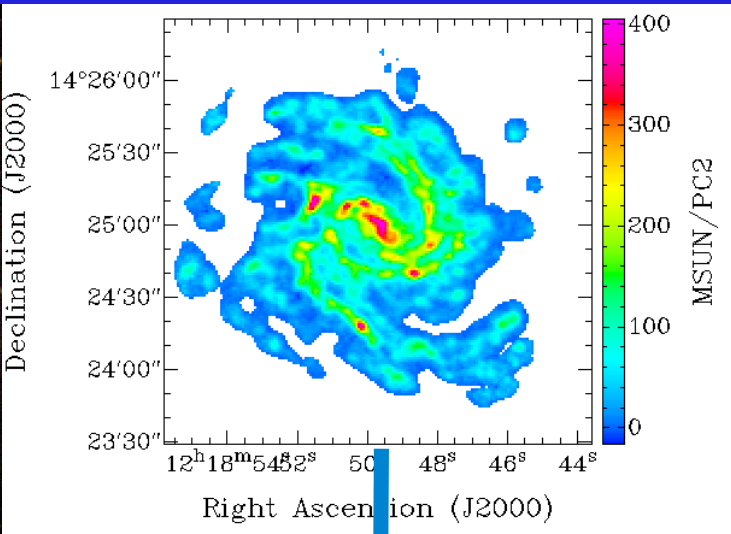
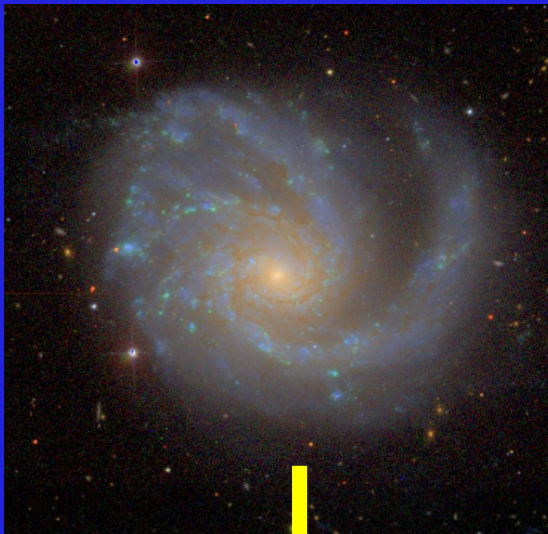
with: JM Huré & C. Soubirán (LAB), S. Charlot (IAP) & S. Zibetti (Arcetri)



Mass distribution models from rotation curves (1D)

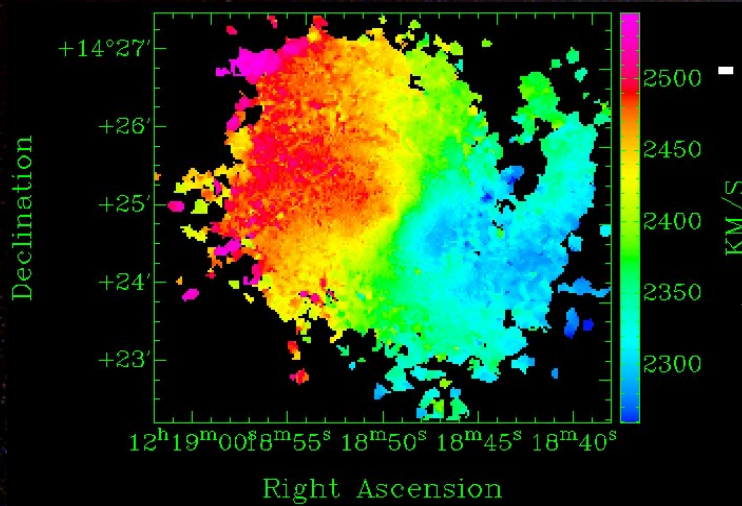


+ dark matter halo

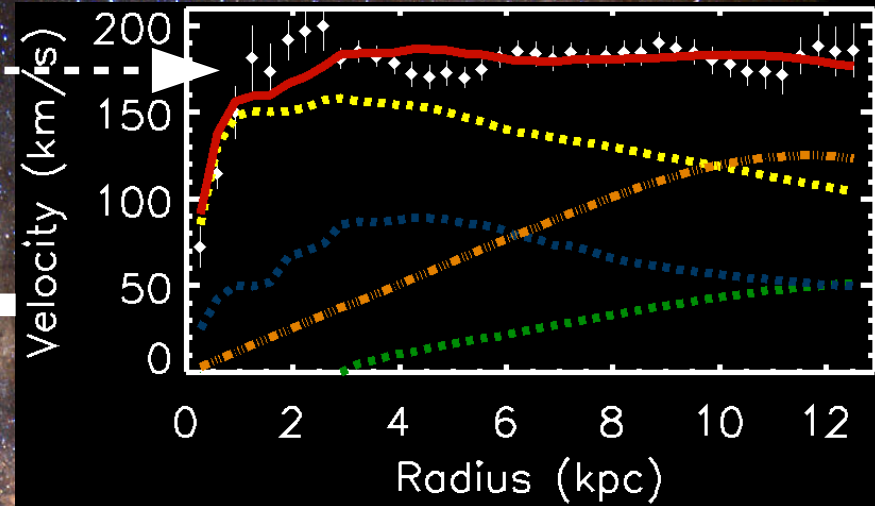


Spirals are asymmetric

Velocity field of Messier 99



Rotation curve of Messier 99



**Can we extend
the mass modelling
from rotation curves (1D)
to velocity fields (2D)?**

Messier 99



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- Grand design spiral
- Almost face-on disc
- Sc
- Virgo Cluster (~17 Mpc)
- Many high-quality spectro/photom. data

Methodology

- Deproject surface density maps
- Calculate 2D maps at $z=0\text{kpc}$ (potential, acceleration, rotation velocity)
- Build total velocity map on a unique (x,y) grid
 - $V_{\text{lum}}^2(x,y) = V_{\text{atom}}^2(x,y) + V_{\text{mol}}^2(x,y) + V_{\text{star}}^2(x,y)$
- Fit the model $(V_{\text{lum}}^2(x,y) + V_{\text{DM}}^2(x,y))^{1/2} (\cos\theta \sin i) = (V_{\text{obs}} - V_{\text{sys}})$
 - $V_{\text{DM}}(x,y)$: dark matter contribution on the same (x,y) grid
 - Non-linear Levenberg-Marquardt least-squared fit

Gravitational potential of luminous mass in 3D (discs)

The "Hyperkernel" method (Huré 2013)

$$\psi(\mathbf{r}) = -\mathcal{G} \int \frac{dm'}{|\mathbf{r} - \mathbf{r}'|} \quad \longrightarrow \quad \psi(\mathbf{r}) = \frac{1}{f(\mathbf{r})} \partial_{q_1 q_2}^2 \mathcal{H}(\mathbf{r})$$

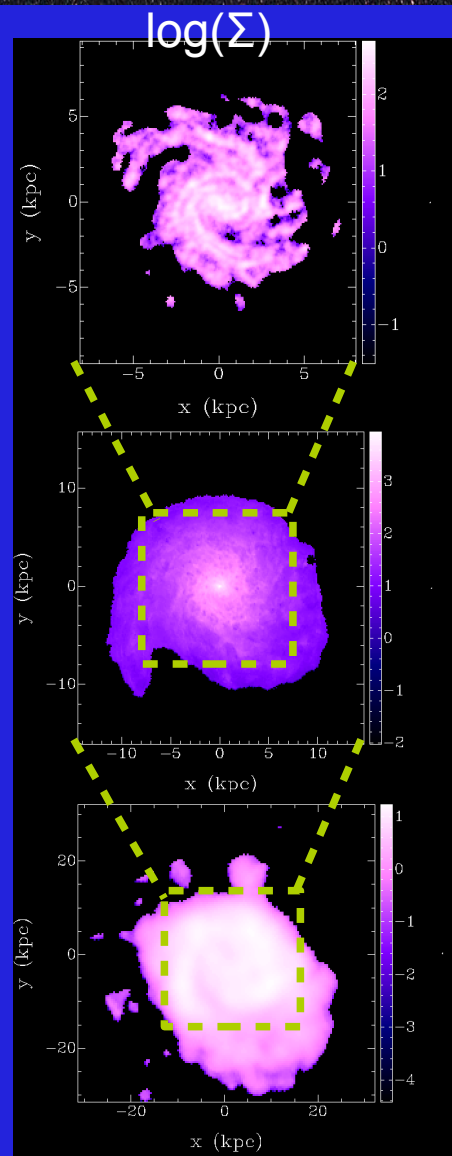
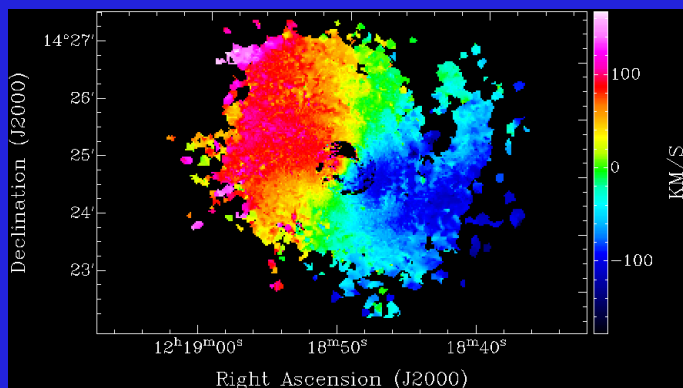
$$\mathcal{H}(x, y, z) = \iiint_{\Omega'} \rho(x', y', z') \times \kappa^{xy}(x - x', y - y', z - z') dx' dy' dz'$$

$$\begin{aligned} \kappa^{xy} &= -Z \operatorname{atan} \frac{XY}{Z|\mathbf{r}-\mathbf{r}'|} + Y \ln \frac{X+|\mathbf{r}-\mathbf{r}'|}{\sqrt{Y^2+Z^2}} \\ &\quad + X \ln \frac{Y+|\mathbf{r}-\mathbf{r}'|}{\sqrt{X^2+Z^2}} \equiv \kappa^{xy}(X, Y, Z) \end{aligned}$$

$\rho(R, z) = \Sigma(R)D(z)$ where $D(z) \sim \operatorname{sech}^2(z/z_0)$; $\operatorname{sech}(z/z_0)$; $\exp(-z/z_0)$ with $z_0 = h_0/5$

Data

- Molecular disc density
 - Rahman+11
 - CO1-0 CARMA
- Stellar disc density
 - Zibetti+09, NIR images
 - $M/L = f(x,y)$
- Atomic disc density
 - ViVA survey : Chung+09
 - VLA
- Hybrid CO+H α velocity field
 - Chemin+06
 - H α Fabry-Perot interferometry



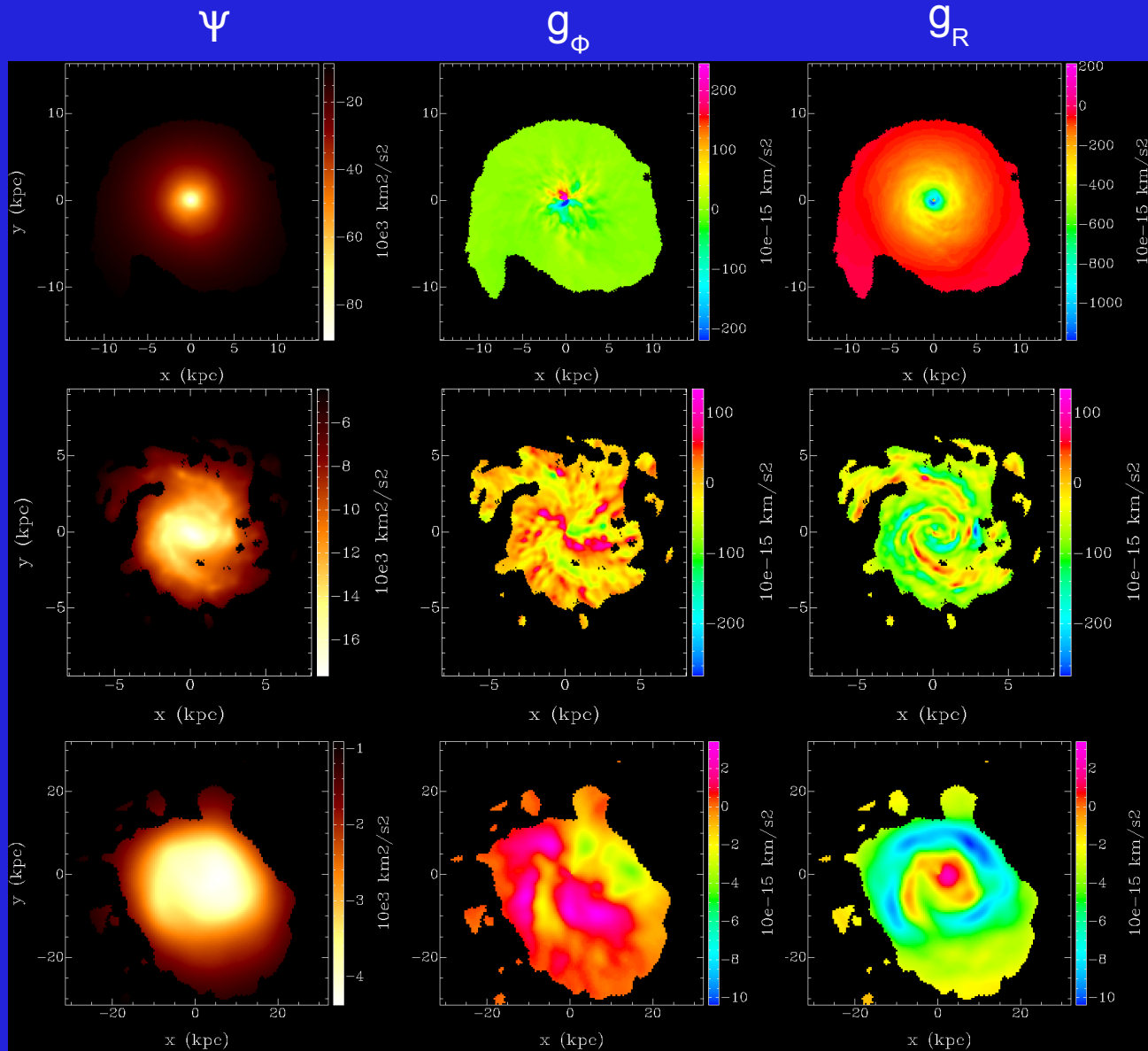
Mol. mass
 $7 \times 10^9 M_{\odot}$

Stellar mass
 $3 \times 10^{10} M_{\odot}$

Atom. mass
 $7 \times 10^9 M_{\odot}$

Results

Amplitudes increase with mass density



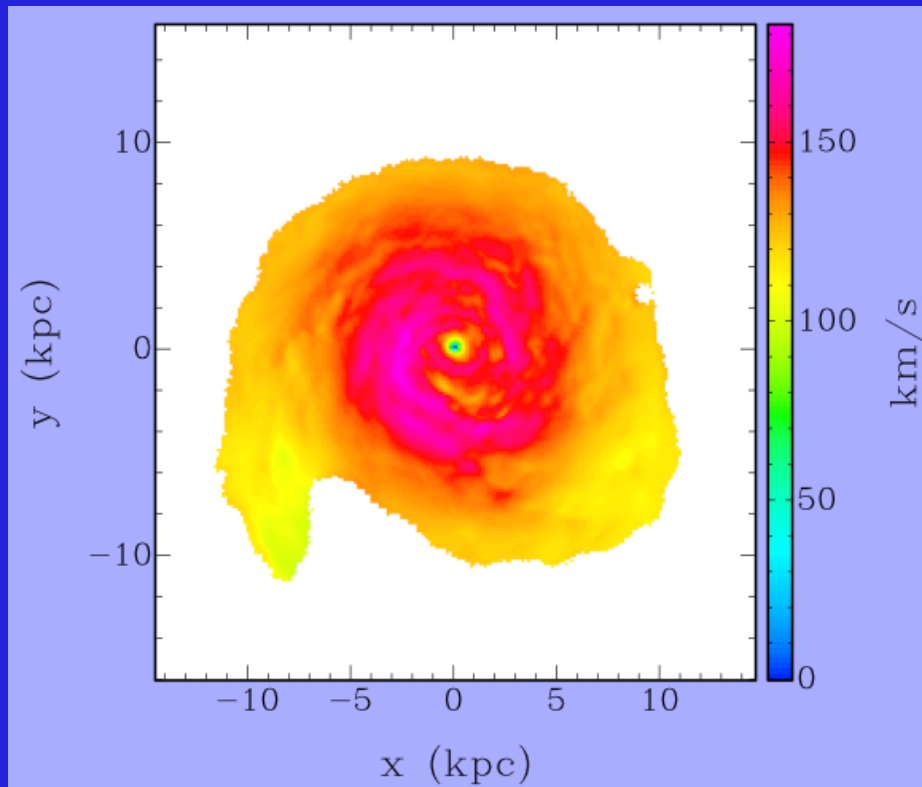
Stellar disc

Molecular gas disc

Atomic gas disc

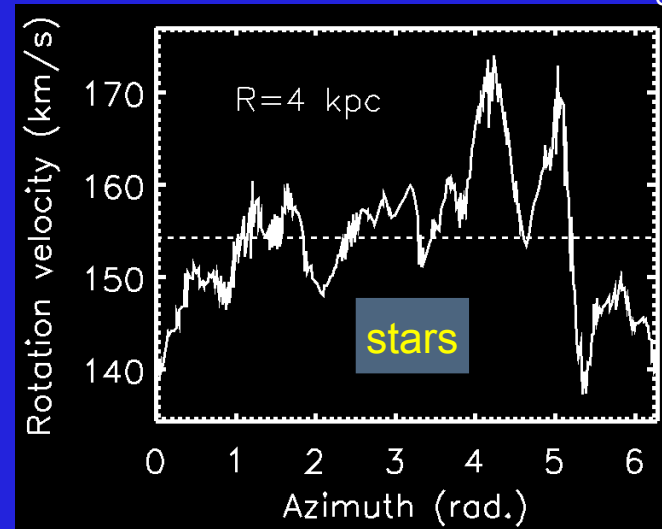
Results

Velocity strongly depends on azimuth



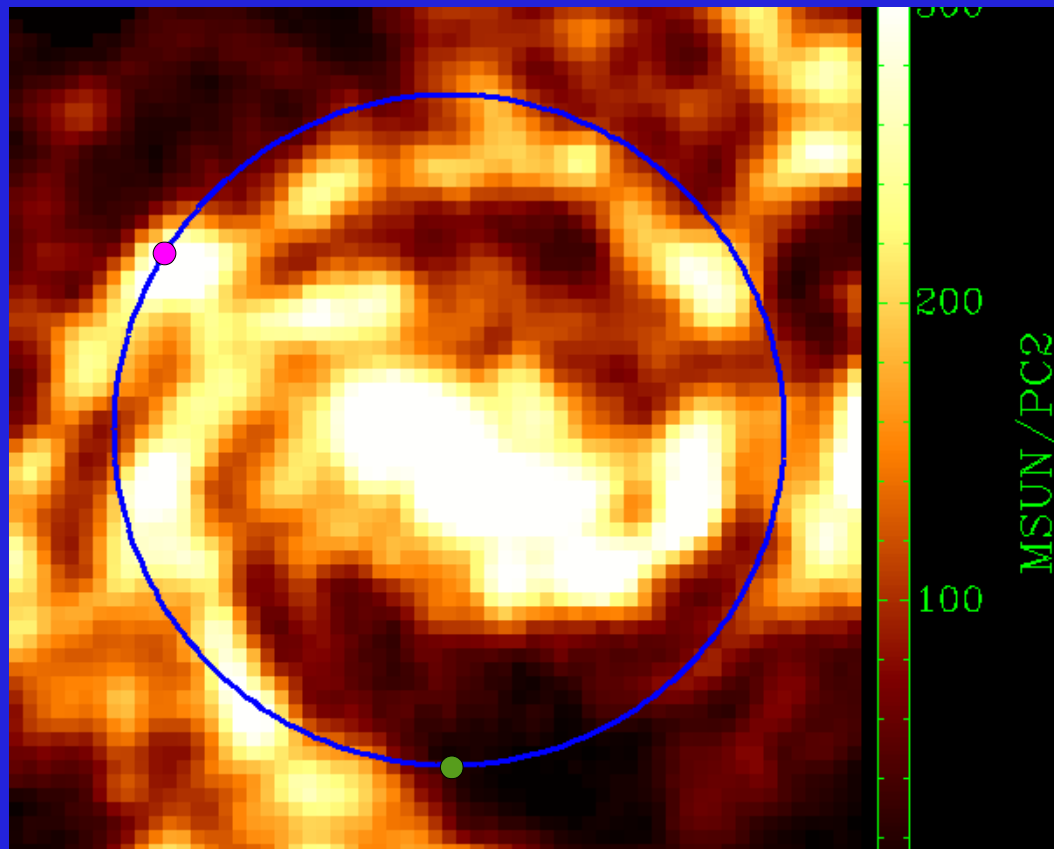
Map of the rotation velocity
from the stellar disc component

$R = 4 \text{ kpc} \sim 2.2 h_0$



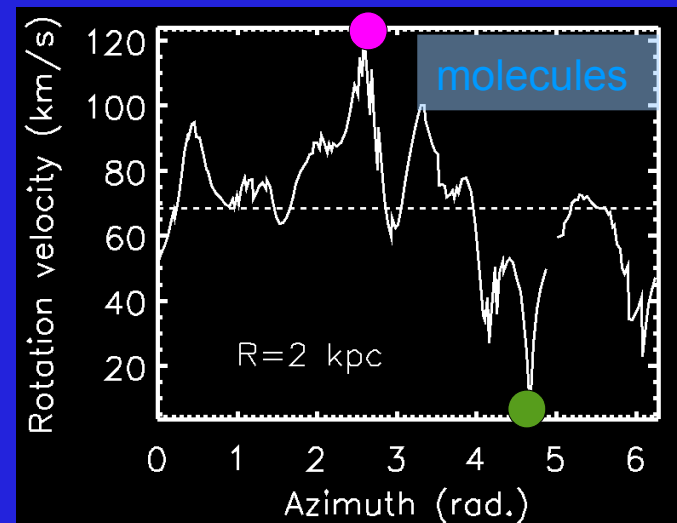
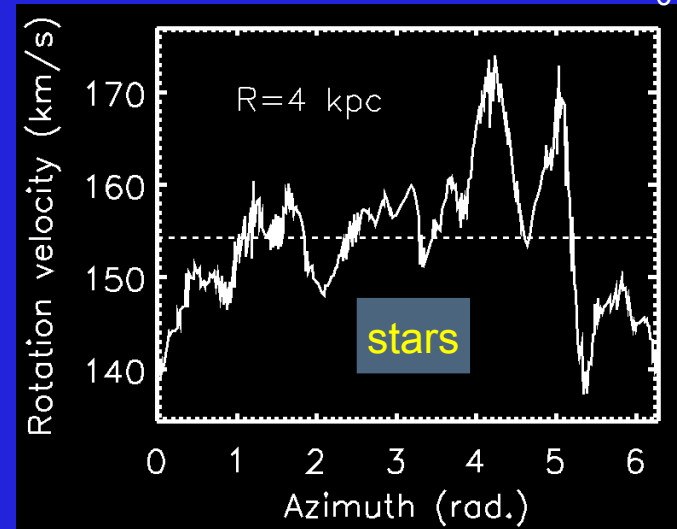
Results

Velocity strongly depends on azimuth



Molecular disc density map

$R = 4 \text{ kpc} \sim 2.2 h_0$

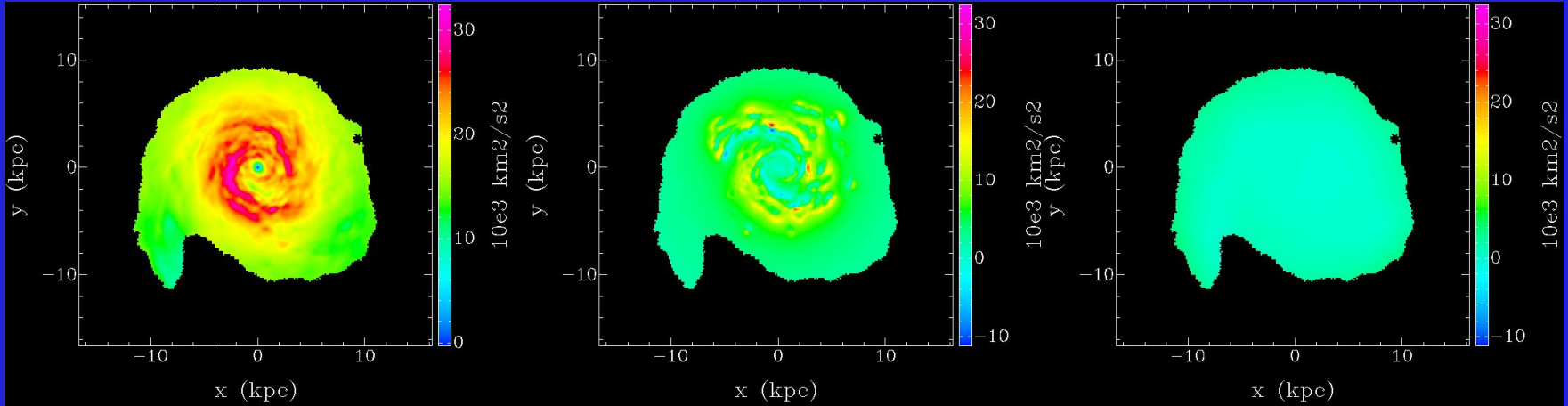


Results

V_{star}^2

V_{mol}^2

V_{atom}^2



Dark matter density profile: Einasto model

$$\rho_E(r) = \rho_{-2} \exp \left\{ -2n \left[\left(\frac{r}{r_{-2}} \right)^{1/n} - 1 \right] \right\}$$

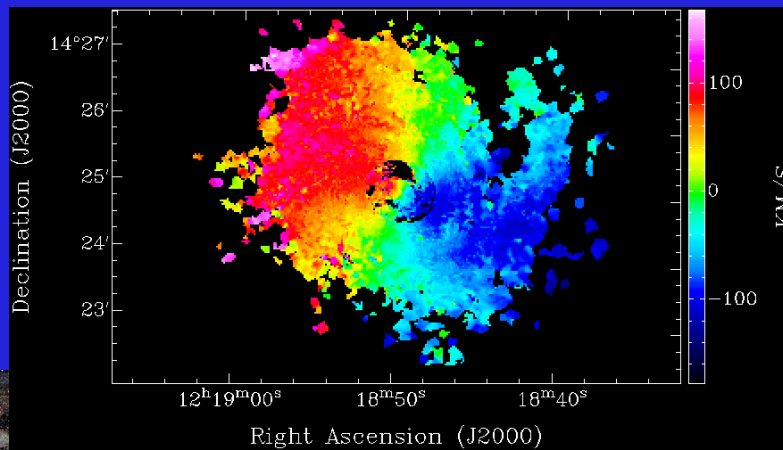
$R < 12.6 \text{ kpc} - 23211 \text{ d.o.f.}$

Navarro+04, Merritt+06

$$\rho_{-2} = 6.9 \pm 0.9 \cdot 10^{-3} M_{\odot}/\text{pc}^3$$

$$r_{-2} = 9.4 \pm 0.5 \text{ kpc}$$

$$n = 0.23 \pm 0.10$$

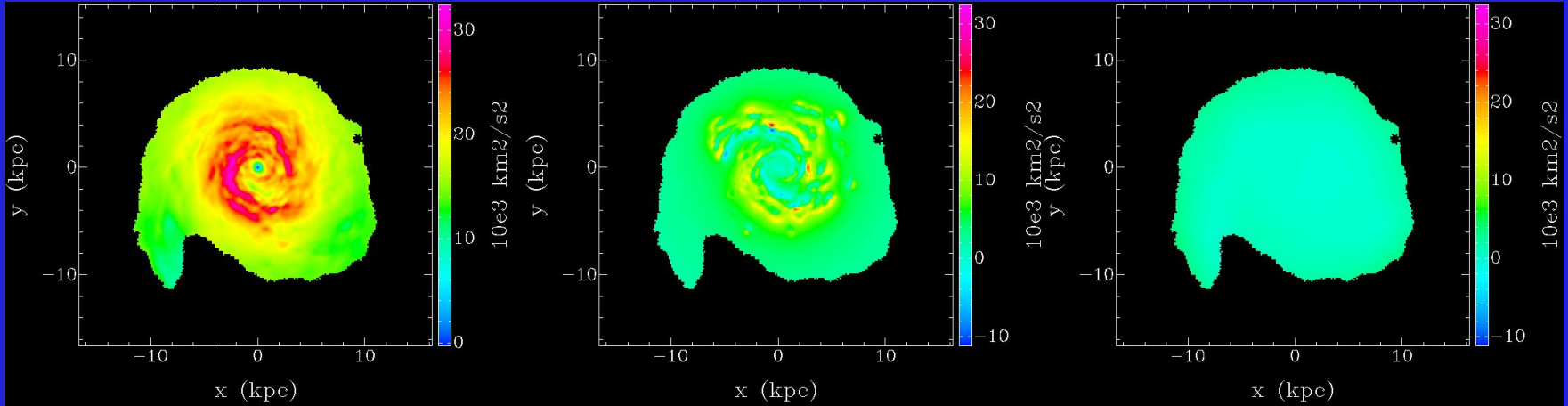


Results

V_{star}^2

V_{mol}^2

V_{atom}^2



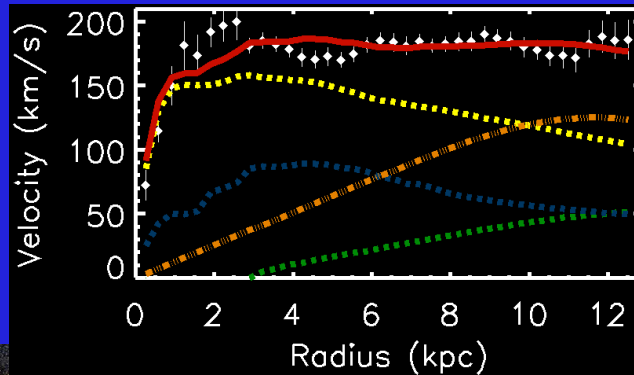
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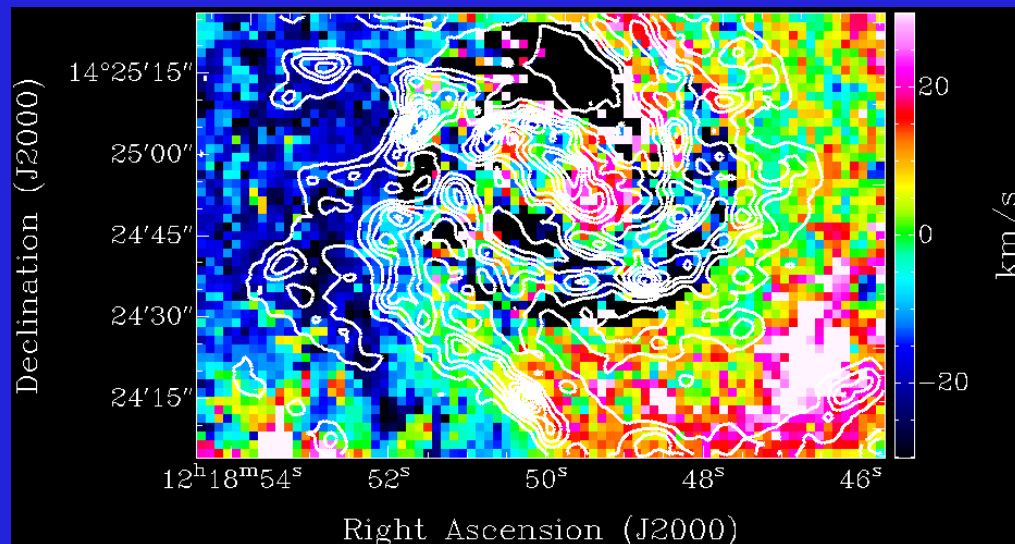
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 $r_{-2} = 9.4 \pm 0.5$ kpc
 $n = 0.23 \pm 0.10$



$\rho_{-2} = 6.9 \pm 1.9 \cdot 10^{-3} M_{\odot}/\text{pc}^3$
 $r_{-2} = 9.2 \pm 0.8$ kpc
 $n = 0.14 \pm 0.18$

35 d.o.f.

Results



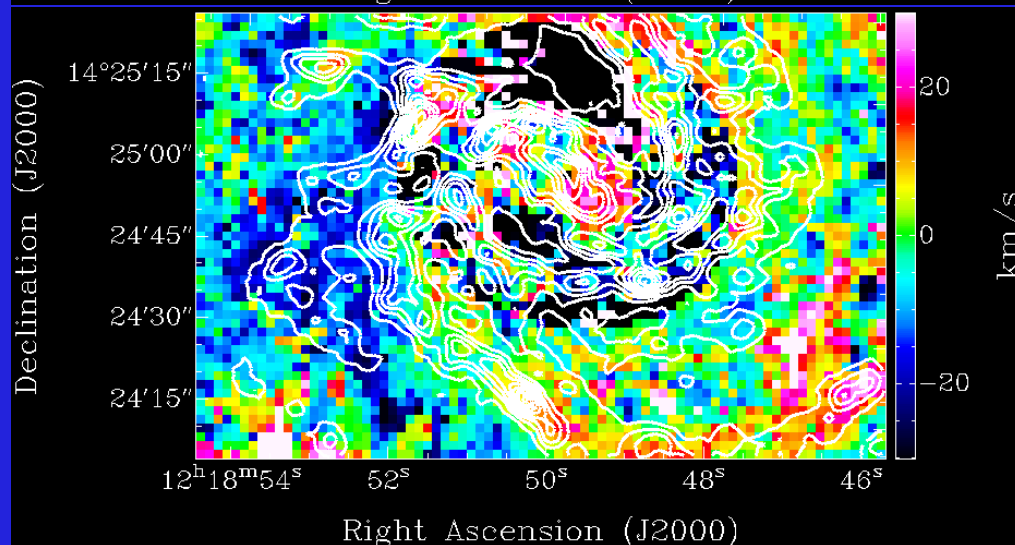
Residual I.o.s. velocity fields

$V_{\text{Obs}} - V_{\text{Mod1D}}$

Contours = molecular gas emission

$V_{\text{Obs}} - V_{\text{Mod2D}}$

With a 2D modelling :
residuals are less scattered (2.2 kms)
residuals are lower (650 m/s)



Next steps

- Bulge contribution
- More complex density law for DM halo (spheroidal)
- Modified Newtonian Dynamics
- Larger sample of galaxies (SINGS/THINGS, etc)
- Further applications
 - Study the (impact of) perturbations of potential(s)
 - Orbit reconstruction/numerical simulations