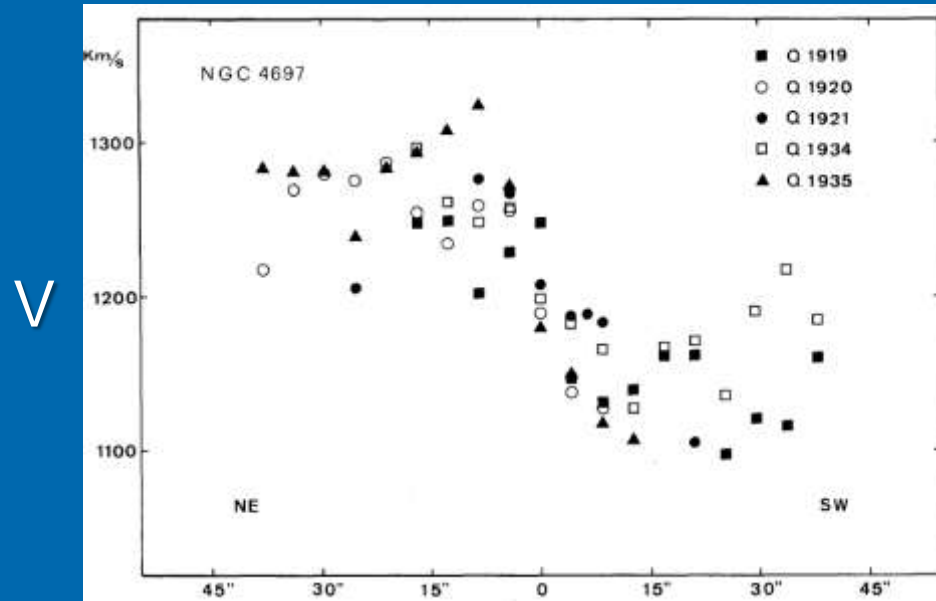


# Inner dynamics of massive galaxies (ETG)

Michele Cappellari



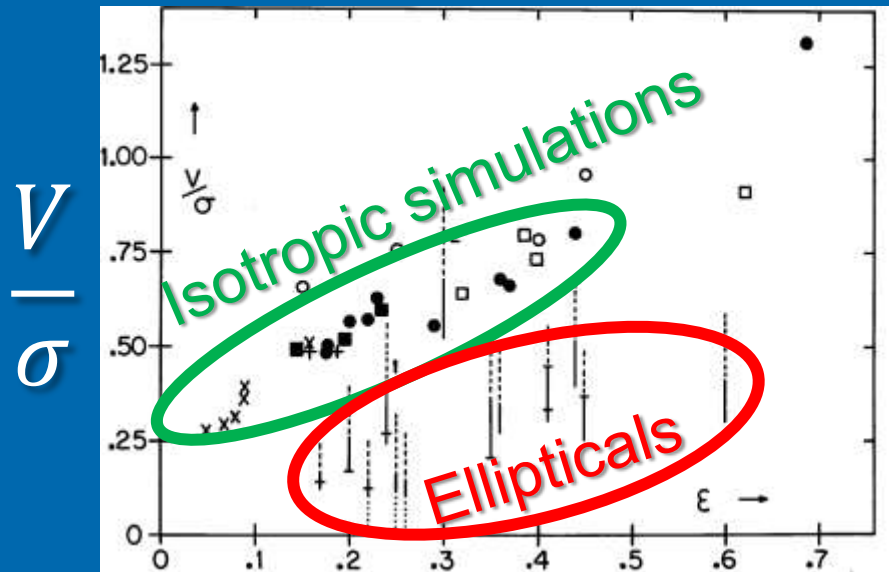
# First rotation curve of an elliptical



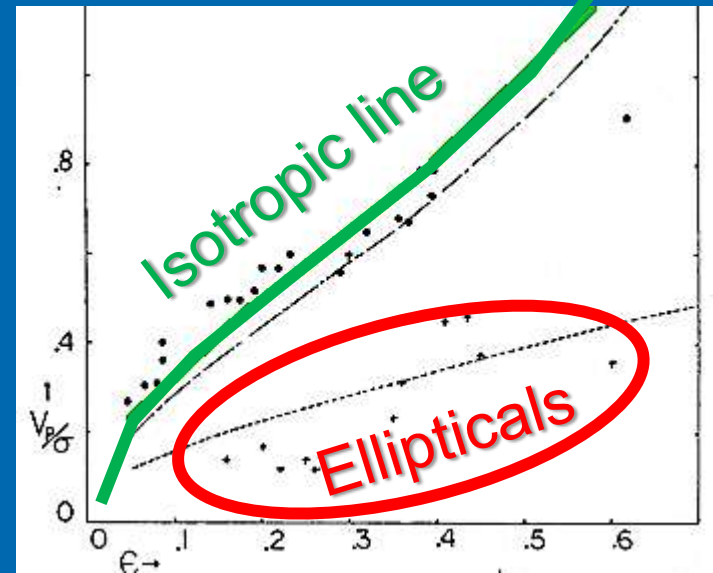
(Bertola+Capaccioli75)

- Elliptical galaxy NGC4697
- 2 hr of observations at 5-m Palomar
- Angular momentum much lower than spirals

# Introducing the $(V/\sigma, \epsilon)$ diagram



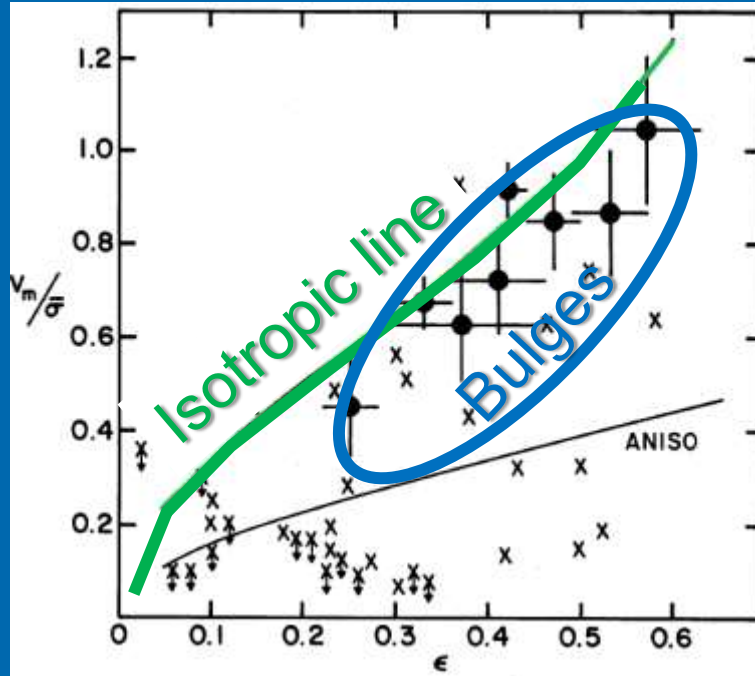
(Illingworth77)



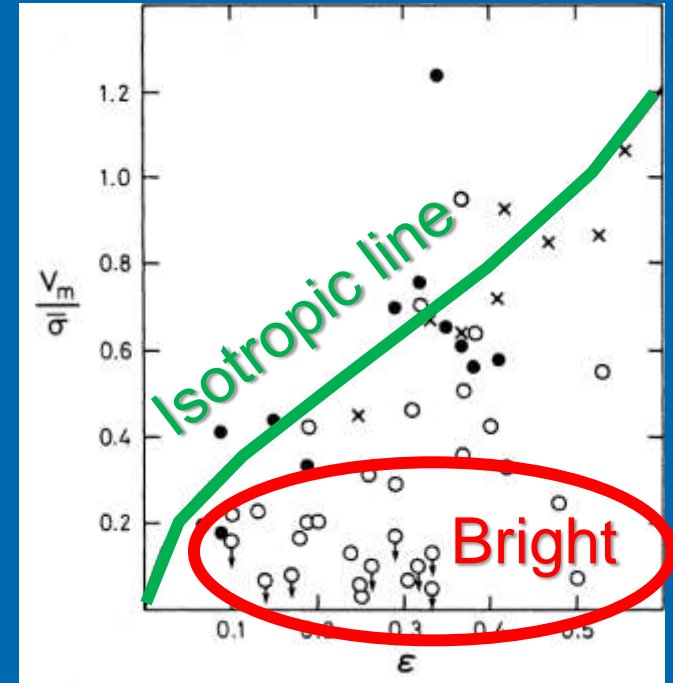
(Binney78)

- Sample of 13 ellipticals (Illingworth77)
- Less rotation than isotropic simulations
- Isotropic line from tensor virial theorem (Binney78)

# Kinematics depends on luminosity



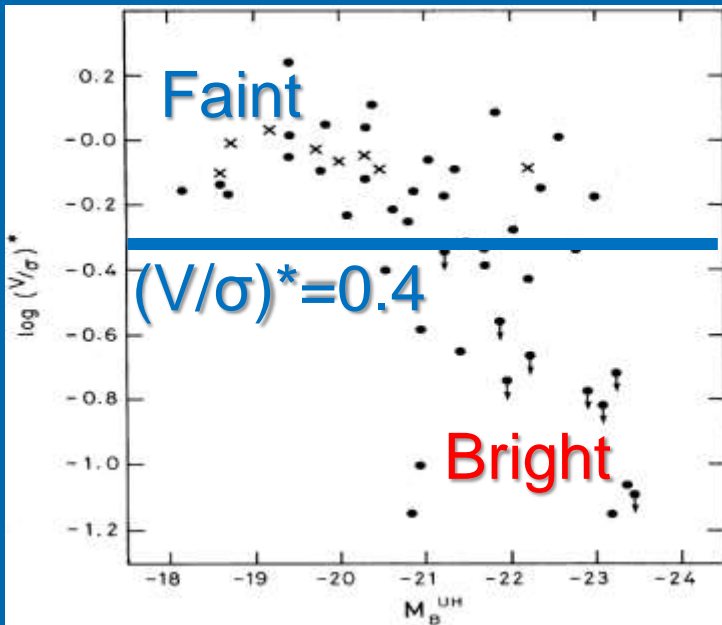
(Kormendy+Illingworth82; K82)



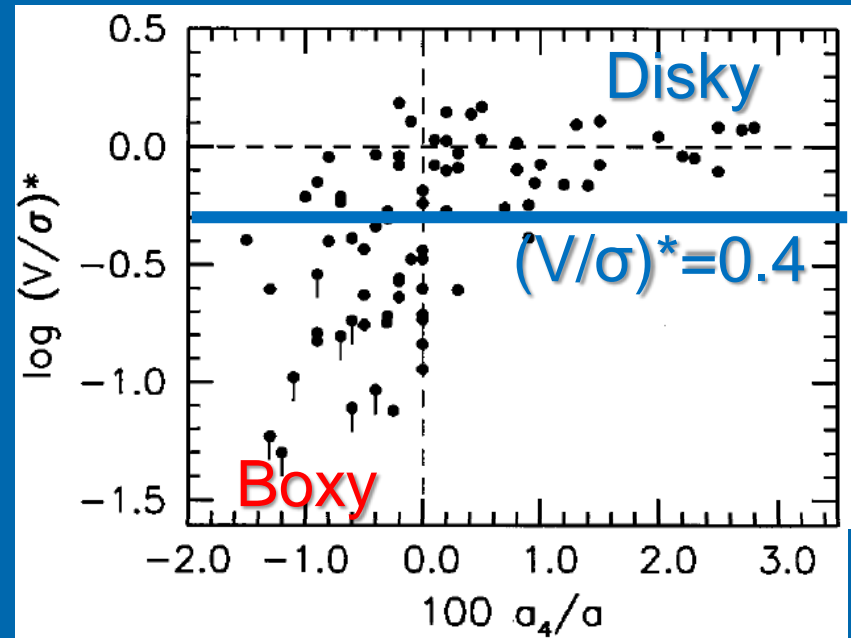
(Davies+83)

- Bulges close to isotropic (Kormendy+Illingworth82)
- Bulges similar to faint ellipticals (Davies+83)
- But bright ellipticals rotate slowly

# $(V/\sigma)^*$ and galaxy photometry



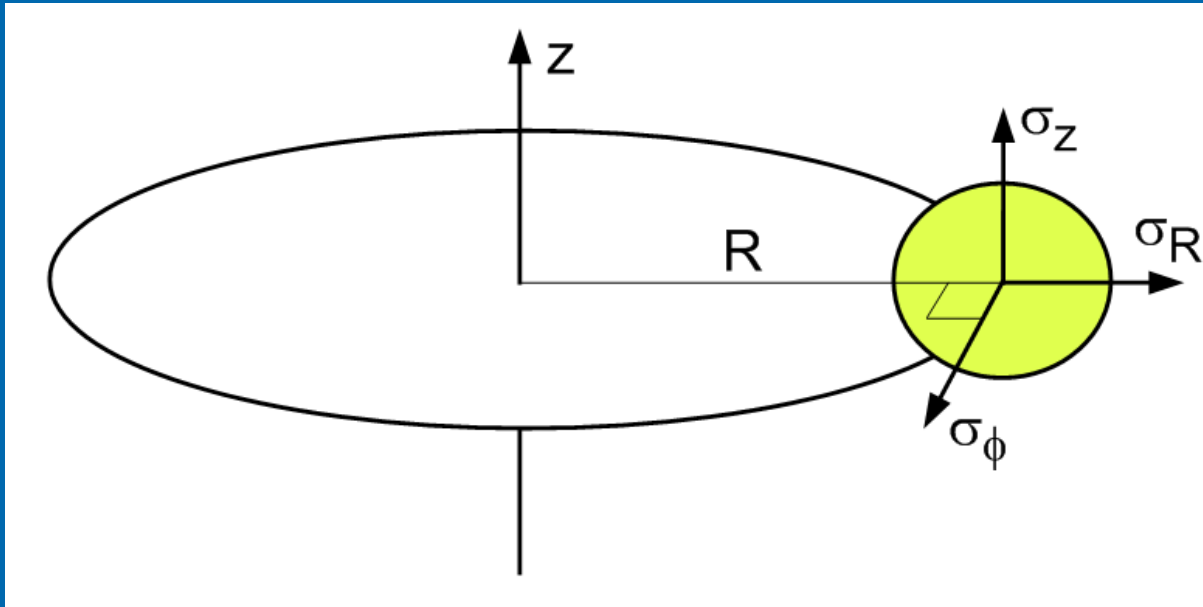
(Davies+83)



(Bender88; Kormendy+Bender96)

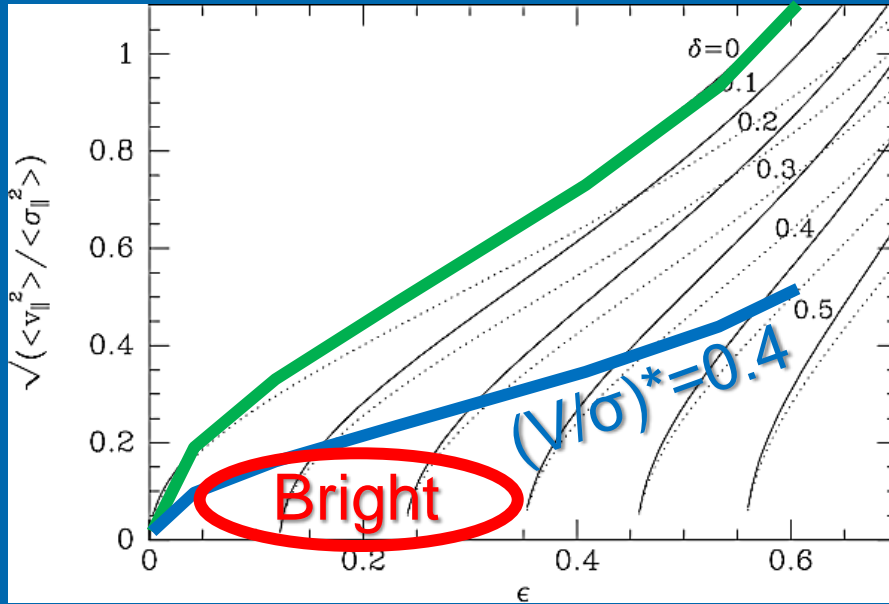
- $(V/\sigma)^* \equiv (V/\sigma) / (V/\sigma)_{ISO}$  (Kormendy+Illingworth82; Davies+83)
- Faint ellipticals only for  $(V/\sigma)^* > 0.4$  (Davies+83)
- Disky galaxies only for  $(V/\sigma)^* > 0.4$  (Bender88)

# Anisotropy and velocity ellipsoid

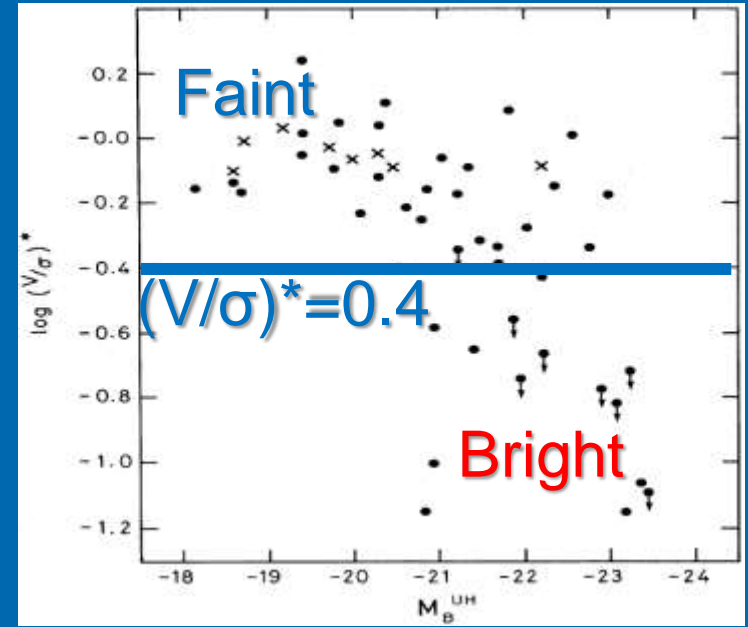


- $\beta = 1 - \frac{\sigma_z^2}{\sigma_R^2}; \gamma = 1 - \frac{\sigma_\phi^2}{\sigma_R^2}; \delta = 1 - \frac{2\sigma_z^2}{\sigma_R^2 + \sigma_\phi^2}$  (Cappellari+07)
- $\delta$  is measured by the  $(V/\sigma, \epsilon)$  diagram (Binney78,05)
- $\beta, \gamma$  require dynamical models
- $\sigma_R = \sigma_\phi \rightarrow (\delta = \beta; \gamma = 0)$ : Oblate velocity ellipsoid

# $(V/\sigma)^*$ not a measure of anisotropy



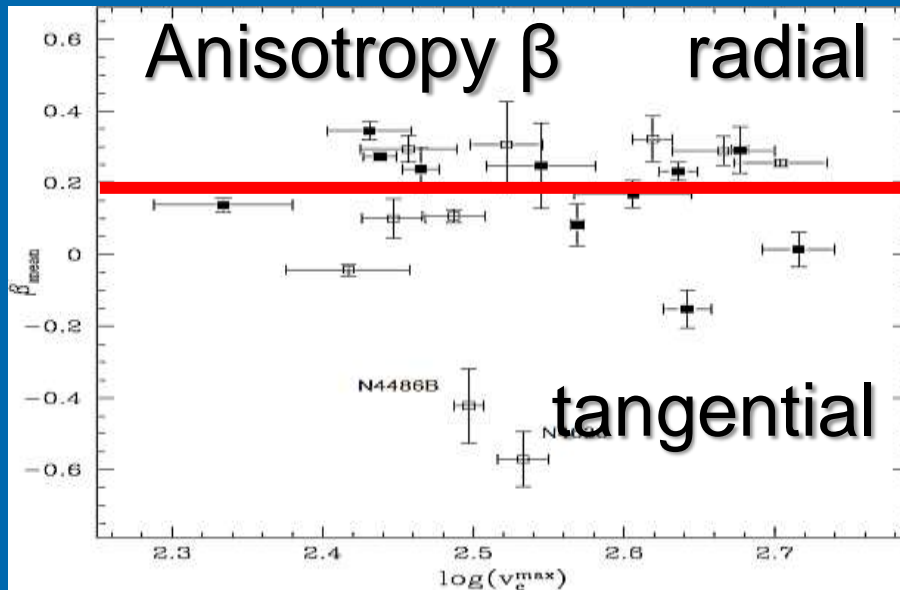
(Binney+Tremaine87,08)



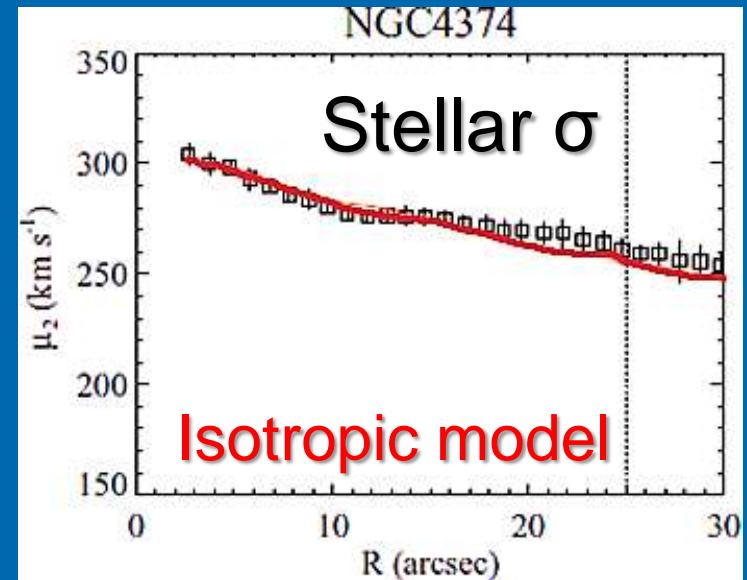
(Davies+83)

- $(V/\sigma)^* \equiv (V/\sigma) / (V/\sigma)_{ISO}$
- $(V/\sigma)^*$  does not measure anisotropy ( $\delta$ )
- Only bright galaxies are below  $(V/\sigma)^* = 0.4$

# Modeling round bright ellipticals



(Gerhard+01)

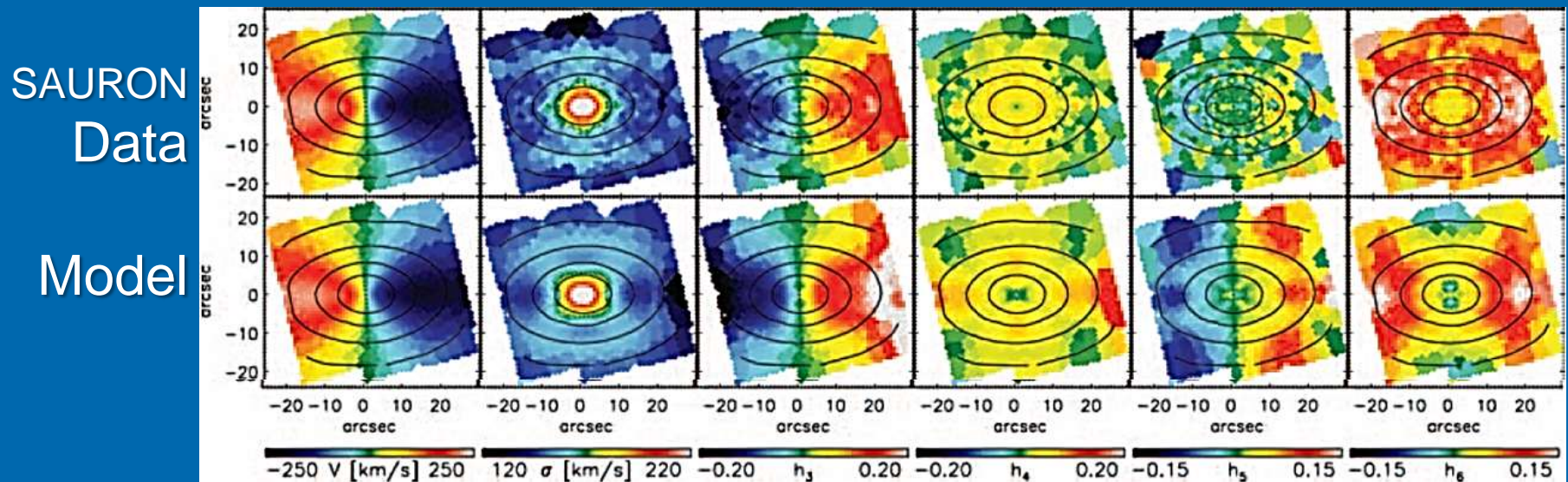


(Cappellari+07)

- Spherical dynamical models (Kronawitter+00)
- $\beta \approx 0.2$  within  $1R_e$  (just 10% from isotropic)
- Consistent with  $(V/\sigma, \epsilon) \rightarrow \text{OK}$
- Consistent with Jeans models  $\rightarrow \text{OK}$



# Modeling flattened ETGs

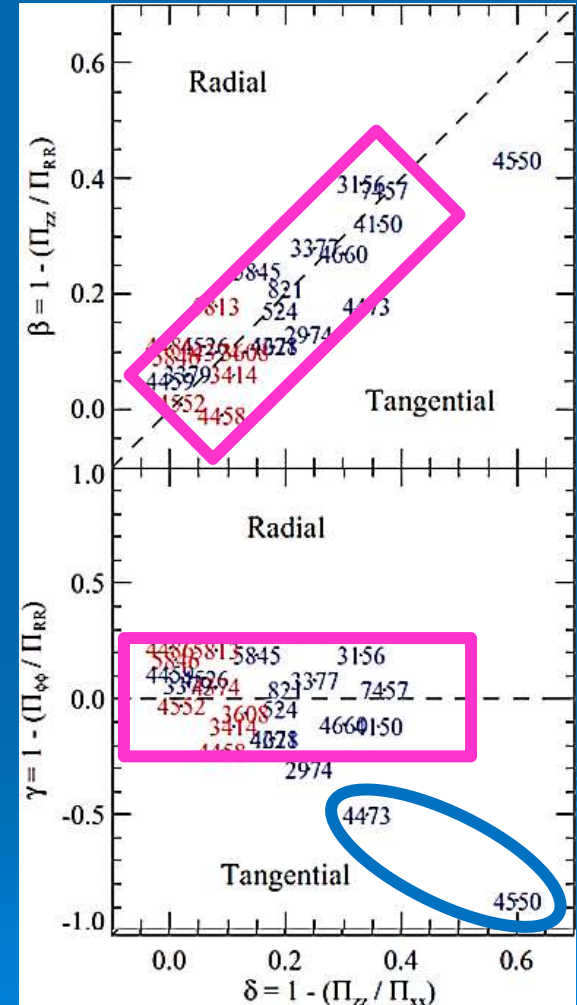


(Krajnović+05; see also van der Marel+98; Gebhardt+00; Cappellari+02; Verolme+02; Thomas+04; Valluri+04;...)

- Orbits have 3 integrals of motion
  - Need 3-dimensional observable
  - Integral-field data (or multiple slits) essential
- SAURON survey: 48 ETGs (de Zeeuw+02)

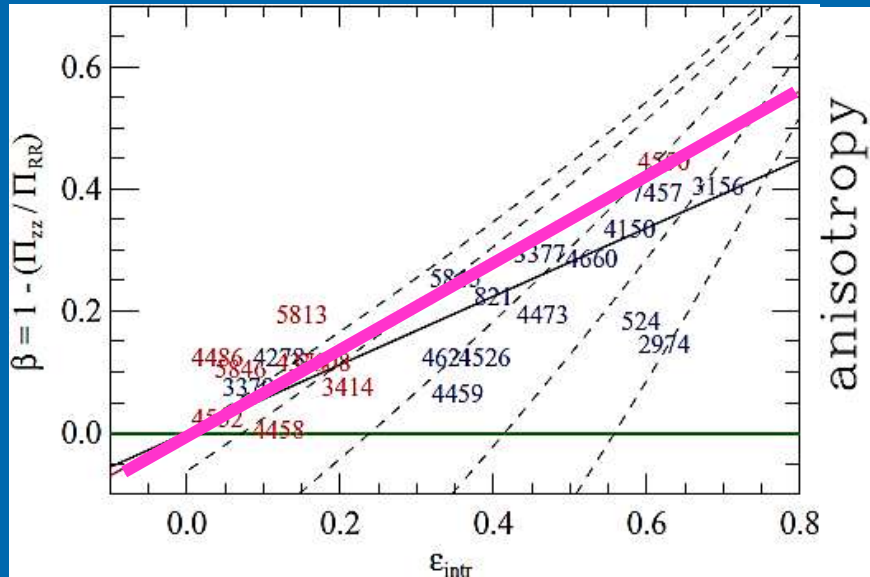
# Anisotropy of flattened ETGs

- SAURON integral-field data
- Schwarzschild's axisymmetric models
- 24 galaxies (Cappellari+07)
  - $\delta \approx \beta$  and  $\gamma \approx 0$   
(2 important exceptions)
  - **Oblate velocity ellipsoid!**
- Independently confirmed in Coma (Thomas+09)

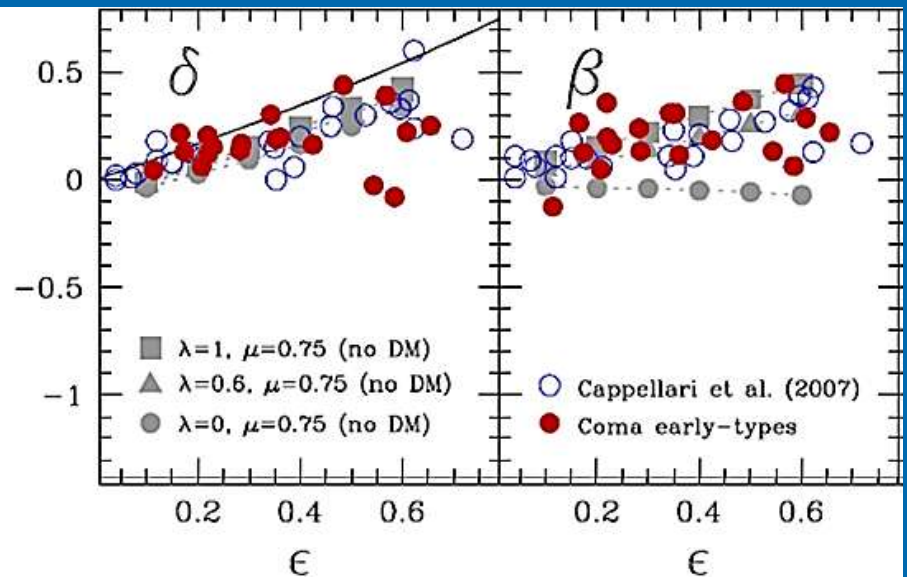


(Cappellari+07)

# Anisotropy versus flattening



(Cappellari+07)



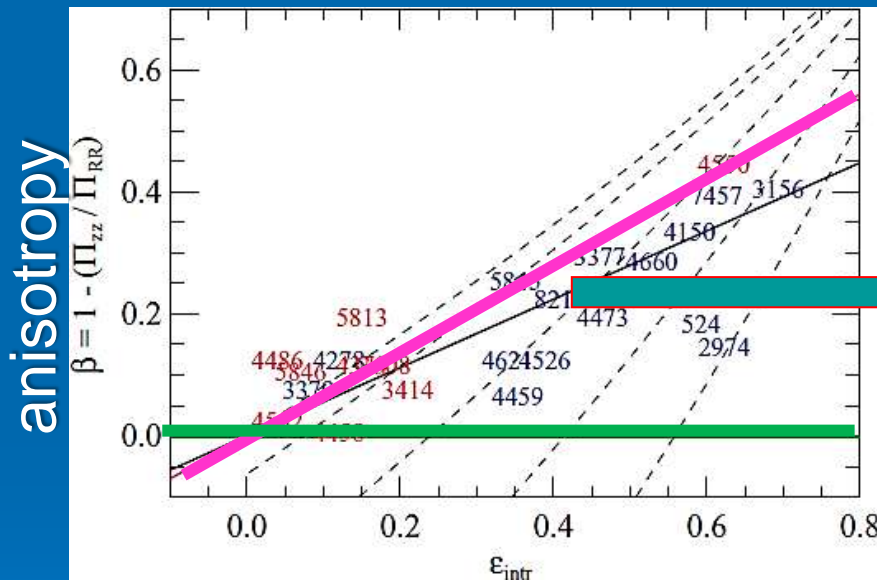
(Thomas+09)

- Trend of anisotropy versus flattening
- Exclusion zone at high anisotropy (magenta line)

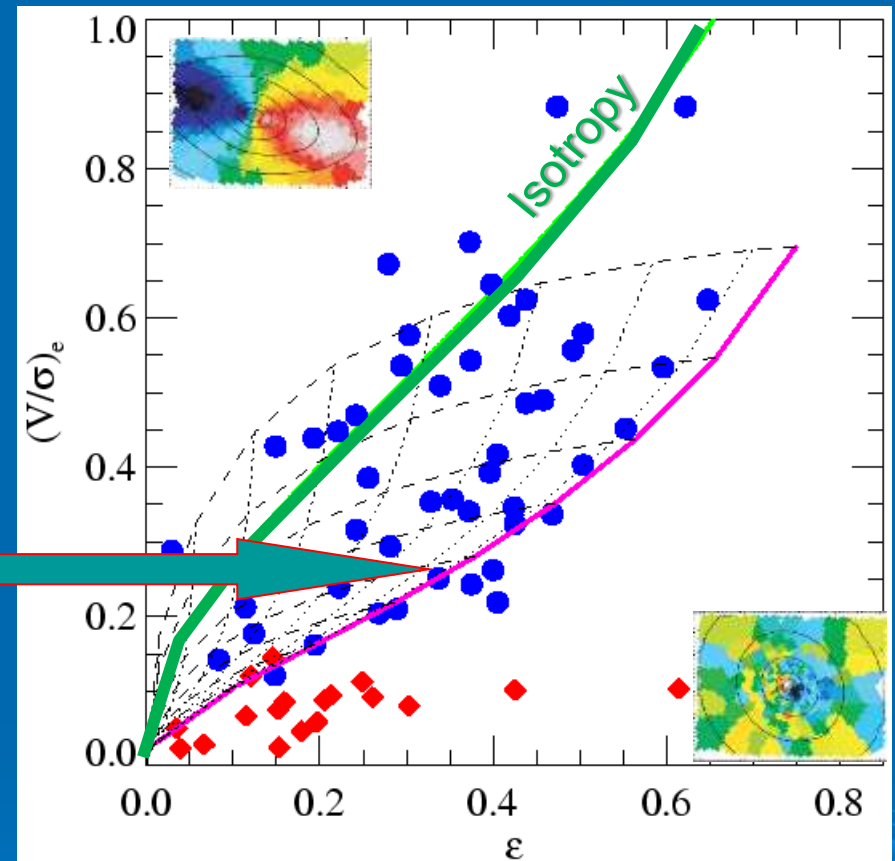
# Understanding the $(V/\sigma, \epsilon)$ diagram

Use integral-field kinematics

$$\left(\frac{V}{\sigma}\right)_e \equiv \frac{\langle V^2 \rangle}{\langle \sigma^2 \rangle} \quad (\text{Binney 2005})$$



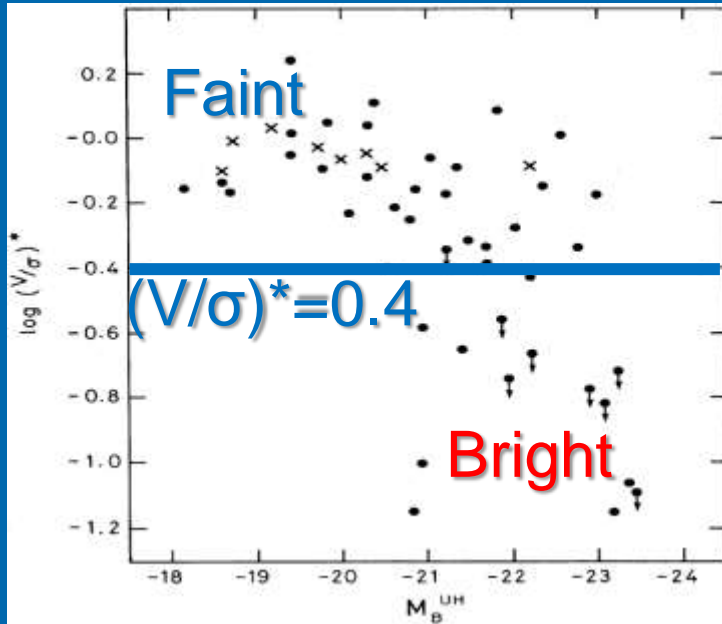
24 models



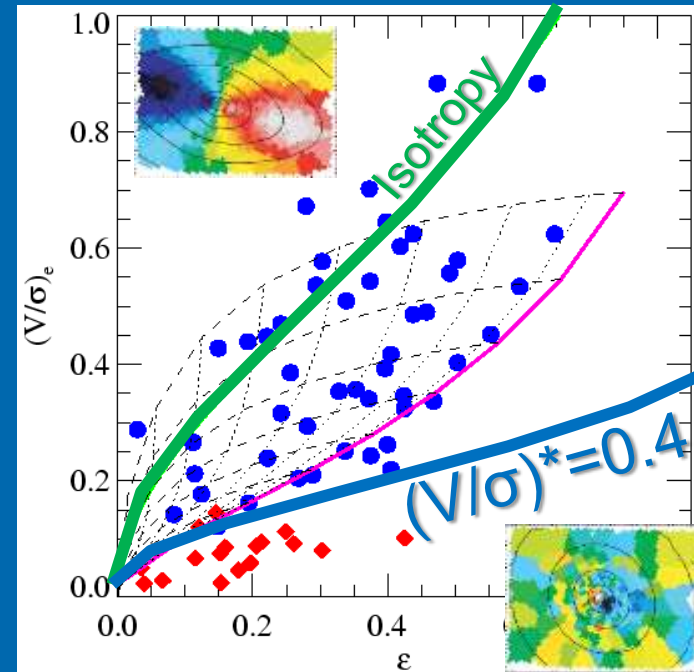
Entire sample (Cappellari+07)

- $(V/\sigma, \epsilon)$  consistent with dynamical models
- Fast and **slow** rotators distinct on  $(V/\sigma, \epsilon)$

# Revisiting $(V/\sigma)^*$



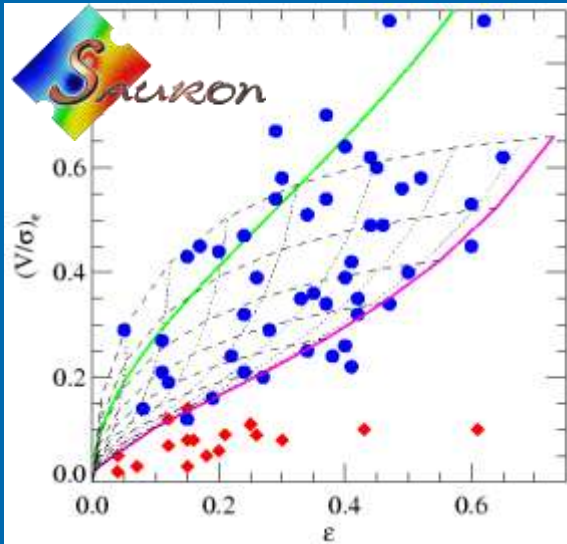
(Davies+83)



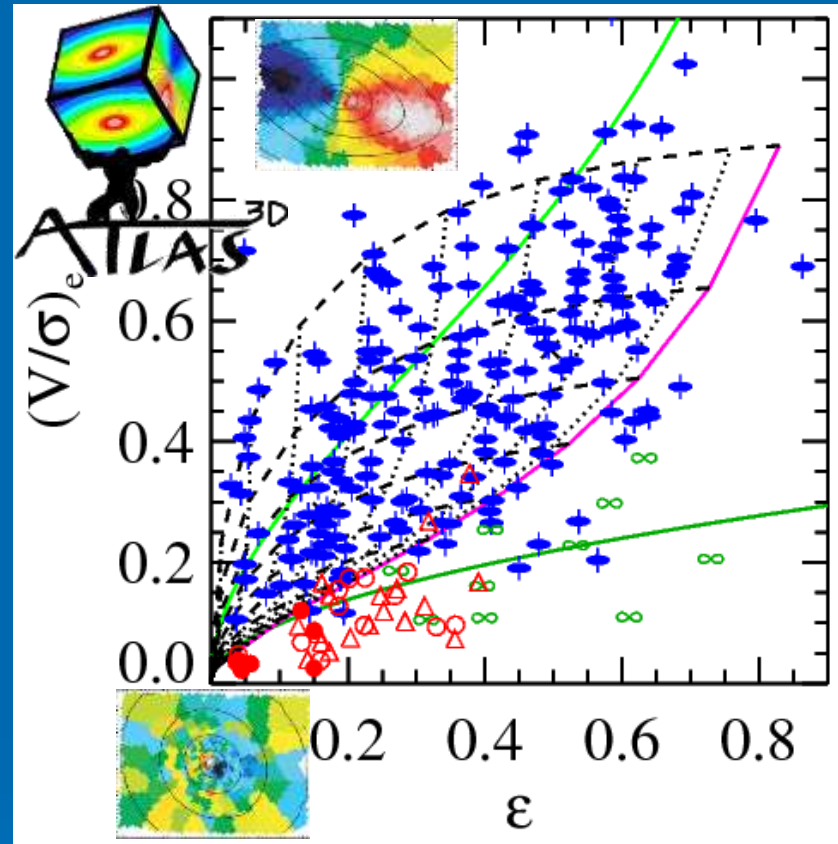
(Cappellari+07)

- **Fast rotators:** anisotropic oblate family
- **Slow rotators:** weakly triaxial and brighter (Emsellem+07; Cappellari+07)

# From SAURON to ATLAS<sup>3D</sup>



(Cappellari+07)



(Emsellem+11)

- ATLAS<sup>3D</sup> volume-limited sample (Cappellari+11)
- SAURON result strongly confirmed
- But ATLAS<sup>3D</sup> gives proper statistics → Krajnović talk

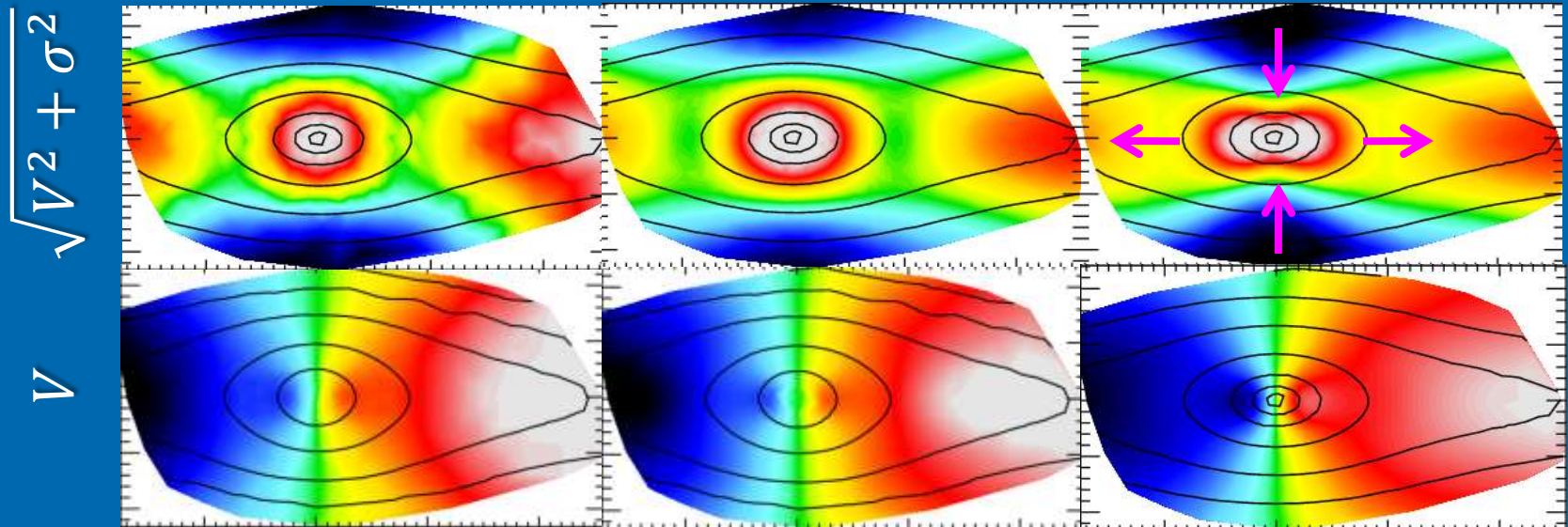
# Jeans Anisotropic Models (JAM)



SAURON  
stellar kinematics

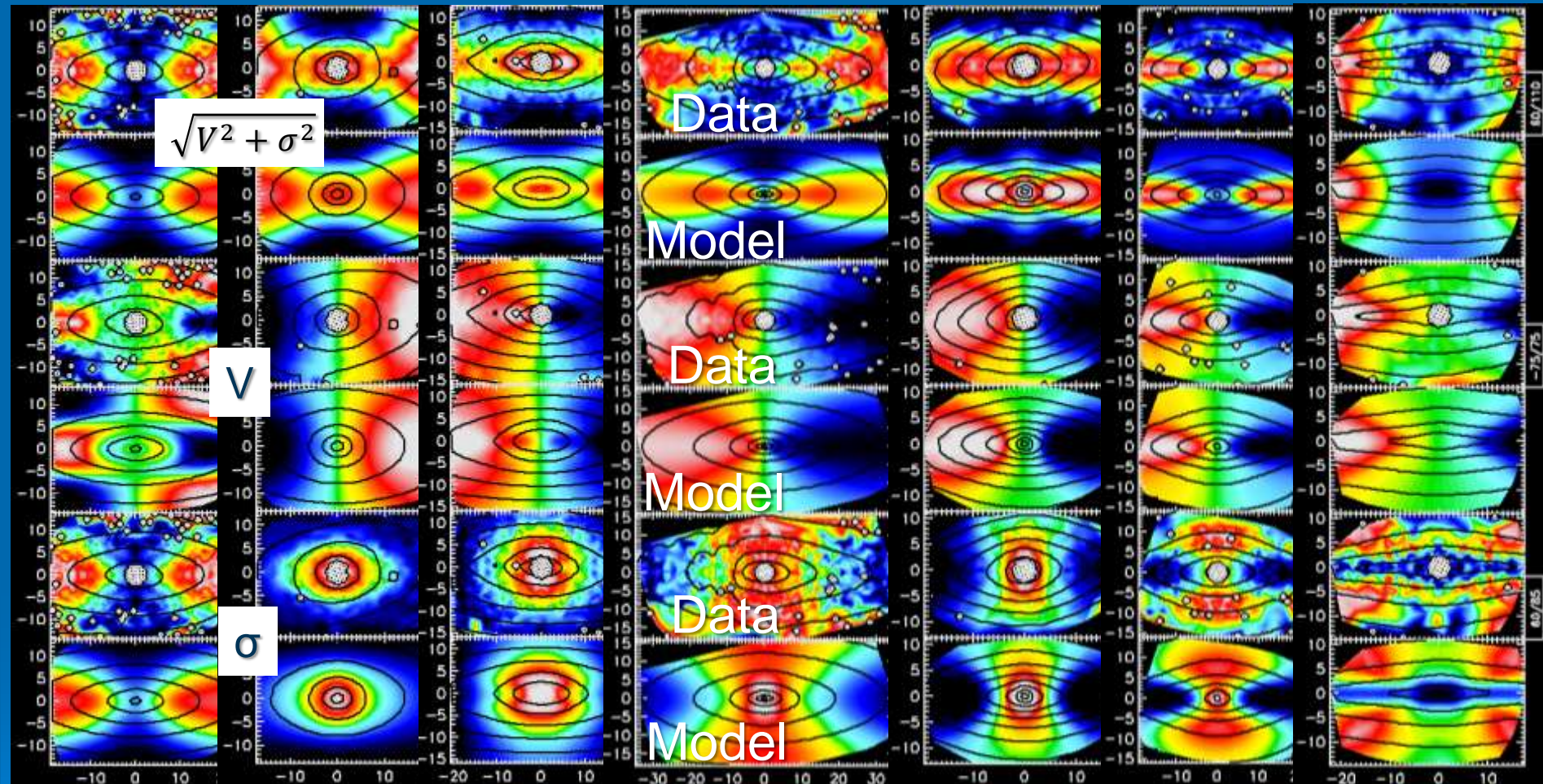
JAM model  
 $\sigma_z = 0.85 \times \sigma_R$

Isotropic model  
 $\sigma_z = \sigma_R$



- Fast rotators ETGs have  $\sigma_z < \sigma_R \approx \sigma_\phi$  (Cappellari+07, Thomas+09)
- Use Multi-Gaussian Expansion to fit images (Emsellem+94)
- Efficient anisotropic Jeans solution with  $\sigma_z \neq \sigma_R$  (Cappellari 08)
- Just two parameters ( $i, \sigma_z/\sigma_R$ ) fit shape of both  $V_{\text{rms}}$  and  $V$ !  
(<http://purl.org/cappellari/idl>)

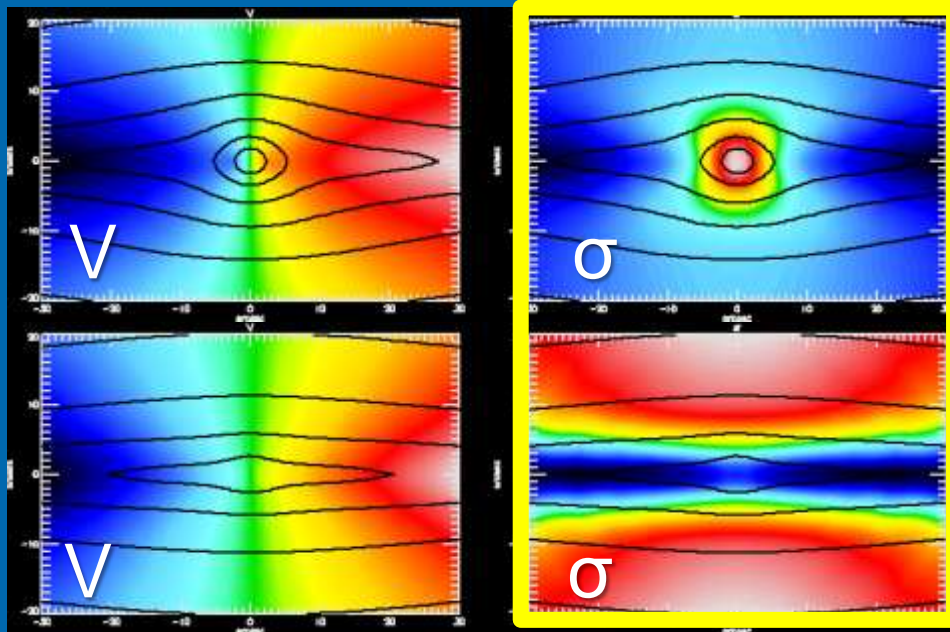
# JAM with oblate velocity ellipsoid



- Large variations in observed kinematics
- Still captured by just two parameter ( $i, \beta_z$ ) !



# $\sigma$ measures mass not anisotropy

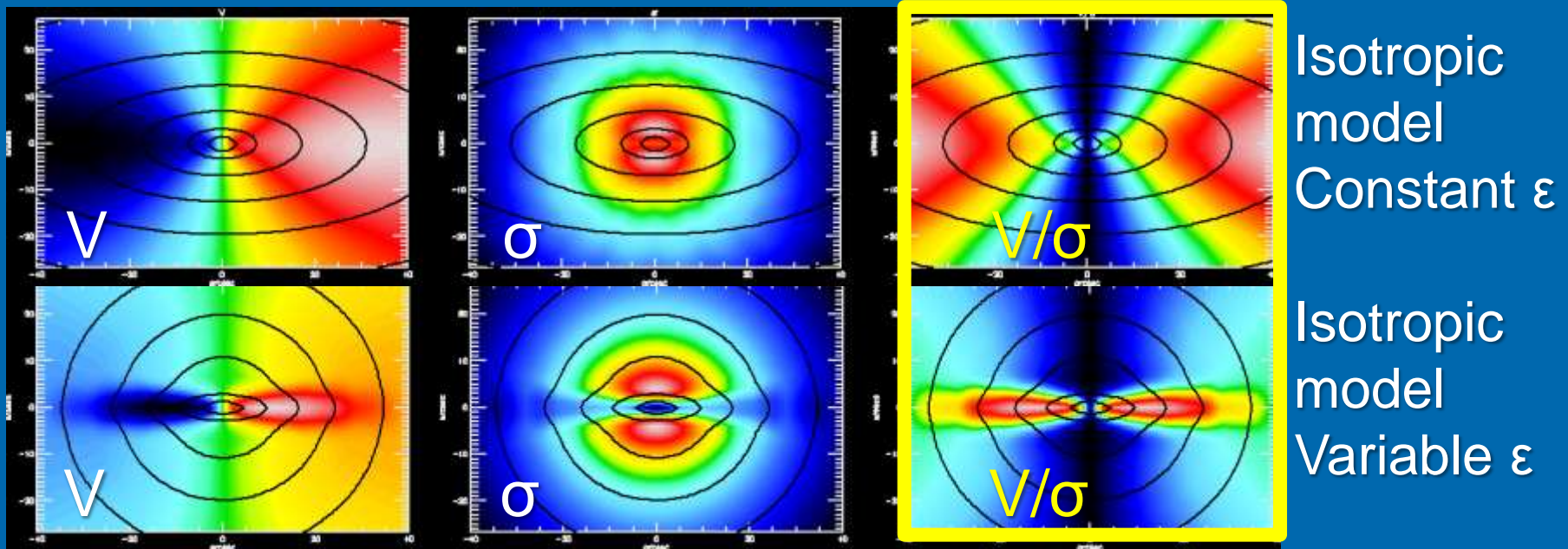


Isotropic model  
Bulge mass=10

Isotropic model  
Bulge mass=1

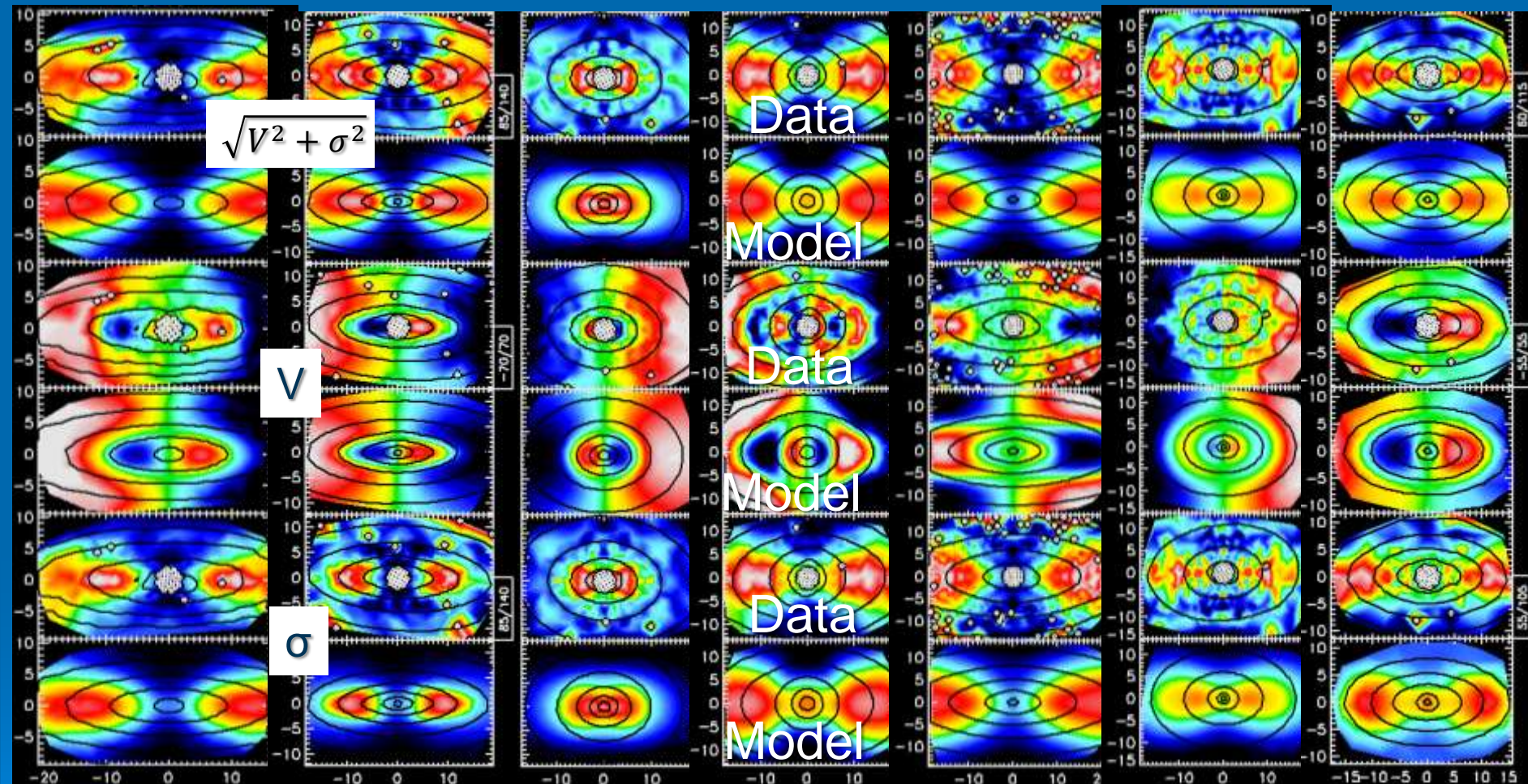
- Anisotropy variations small in real fast rotator
- $\sigma$  mainly a tracer of mass distribution
- $\sigma$ -peak no indication of “hot component”
- Kinematics encoded in photometry!

# Local- $V/\sigma$ not meaningful



- Global  $(V/\sigma, \epsilon)$  well defined with constant  $\epsilon$
- But varies locally with constant  $\epsilon$  and anisotropy
- $V/\sigma$  variations not related to “pressure support”

# Exception 1: counter-rotating disks



28%

27%

13%

43%

49%

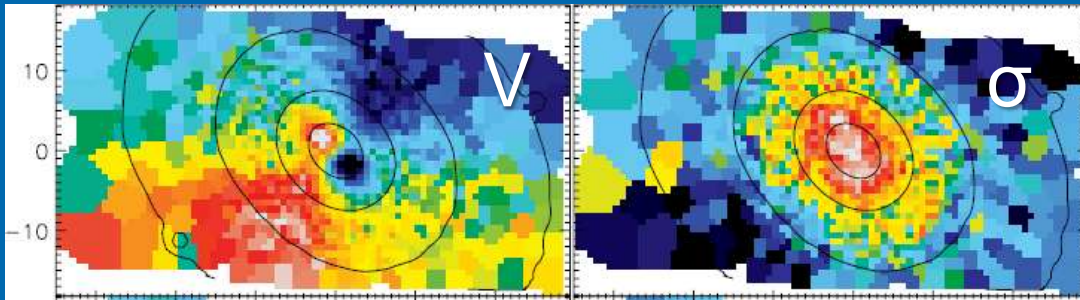
15%

42%

Masses KDC

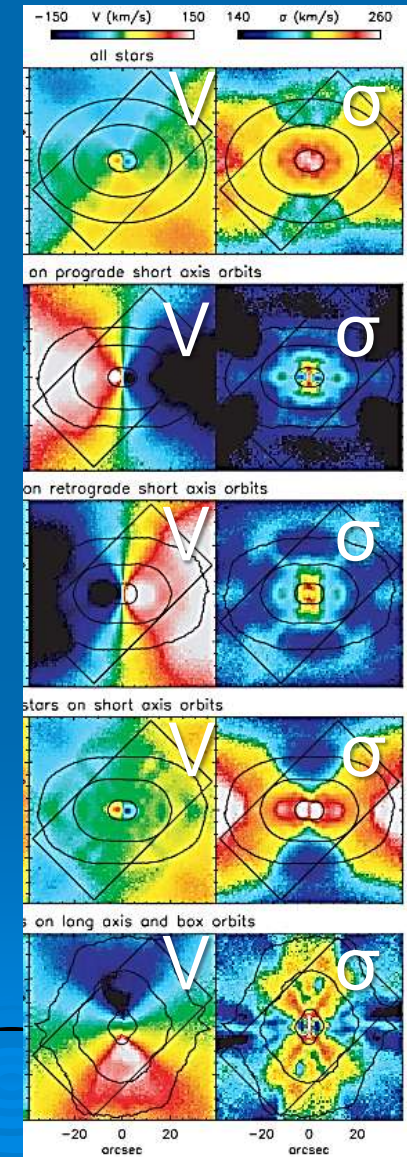
Cappellari + ATLAS<sup>3D</sup> in prep.

# Exception 2: KDCs in slow rotators



NGC4365 (Davies+01; vdB+08)

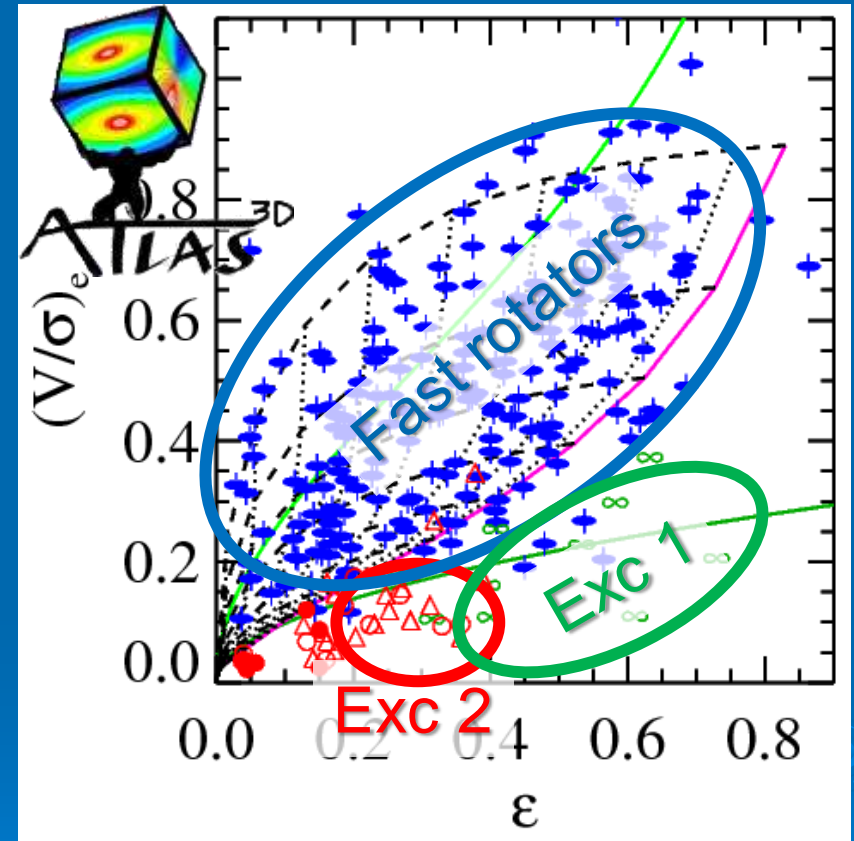
- Prototypical triaxial galaxy
- Orthogonal KDC (Wagner+88)
- KDC only “apparent”
- Cancellation of counter-rotating tube orbits (van den Bosch+08)



(Van den Bosch+08)

# Summary inner dynamics of ETGs

- Classic results revisited
- Most ETGs within 1Re: axisymmetric, randomly inclined, anisotropic, very homogeneous!
- Exceptions:
  1. counter-rotating disks
  2. “Apparent” KDCs in triaxial slow rotator



(Emsellem+11)