

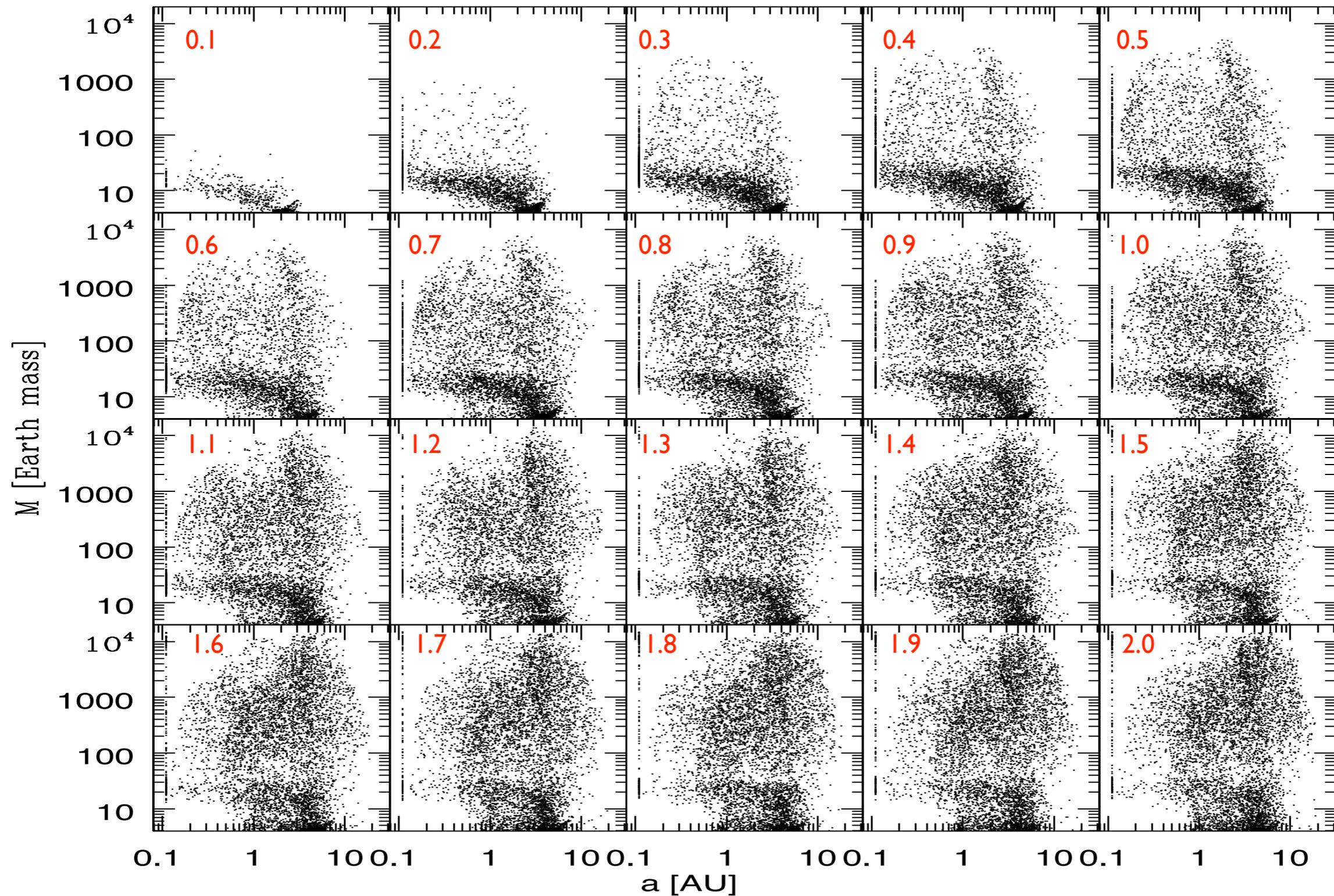
*Formation of Planetary systems:
Perspectives and challenges for
interferometry*

Willy Benz
University of Bern
Switzerland

Collaborators: Y. Alibert, C. Mordasini, F. Carron

Planet populations

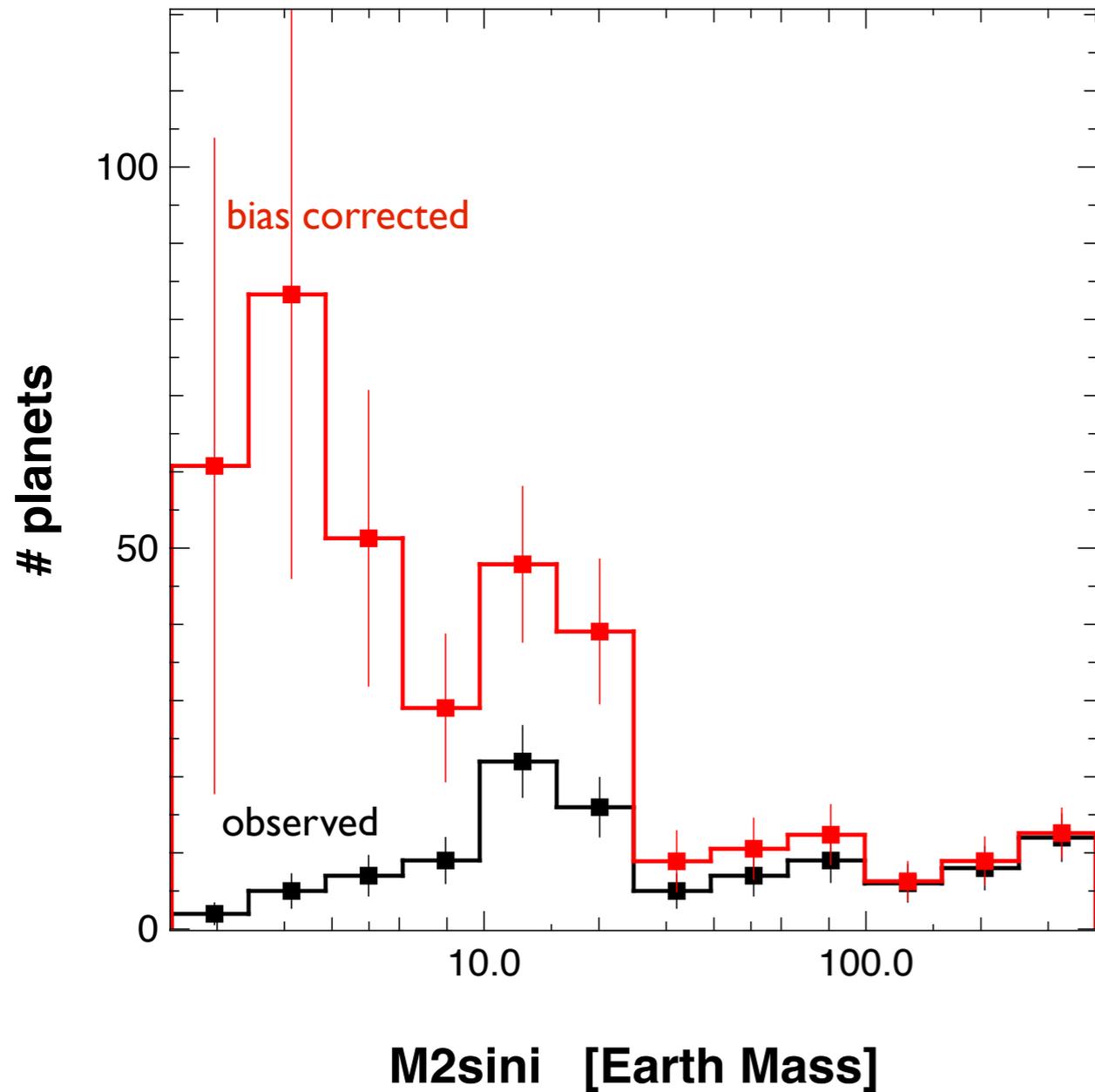
Alibert et al. 2010



Low (high) mass stars lead to the formation of lower (higher) mass planets, in more (less) compact planetary systems.

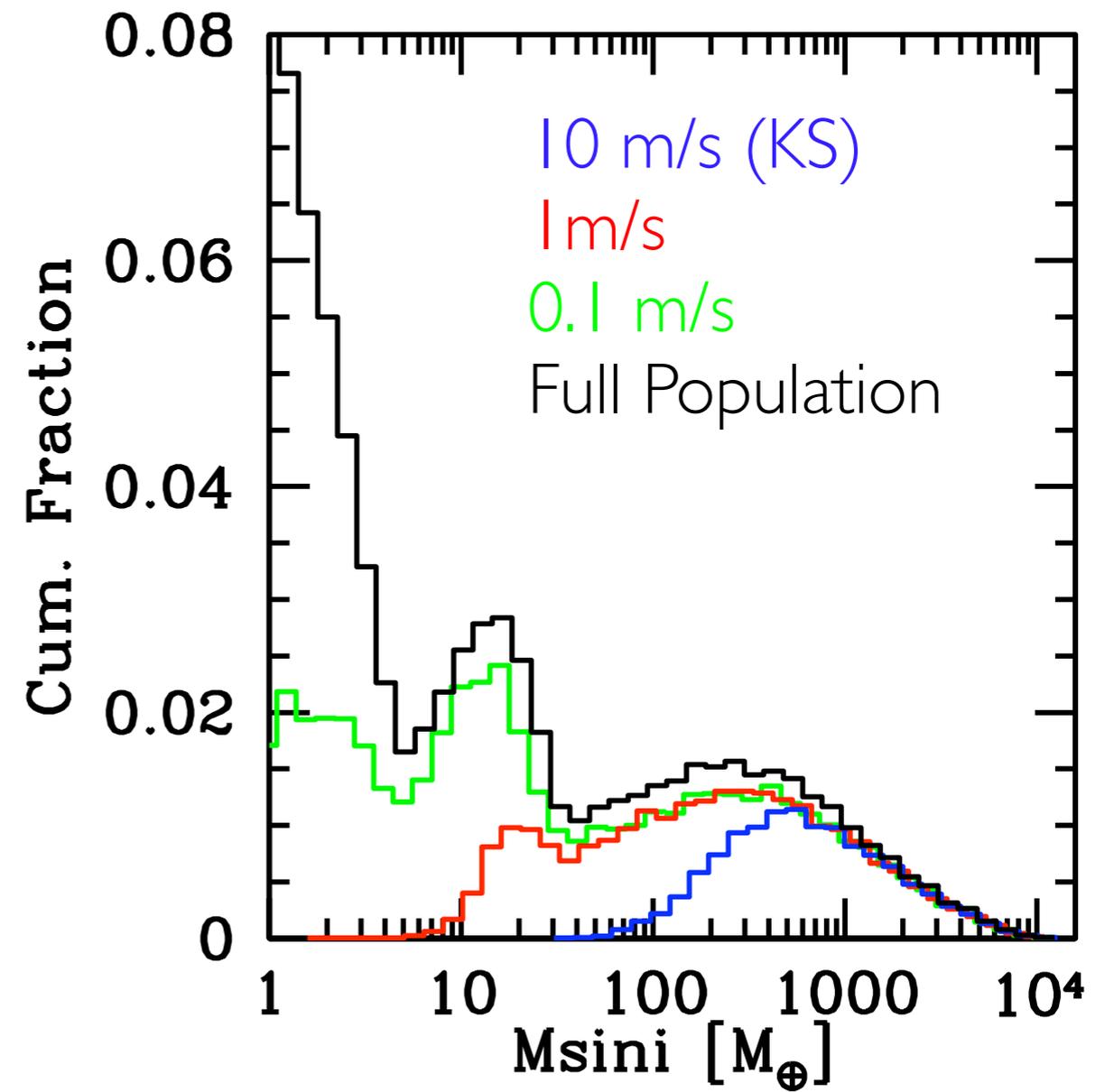
Initial mass function

Observed mass function



Mayor et al. 2011

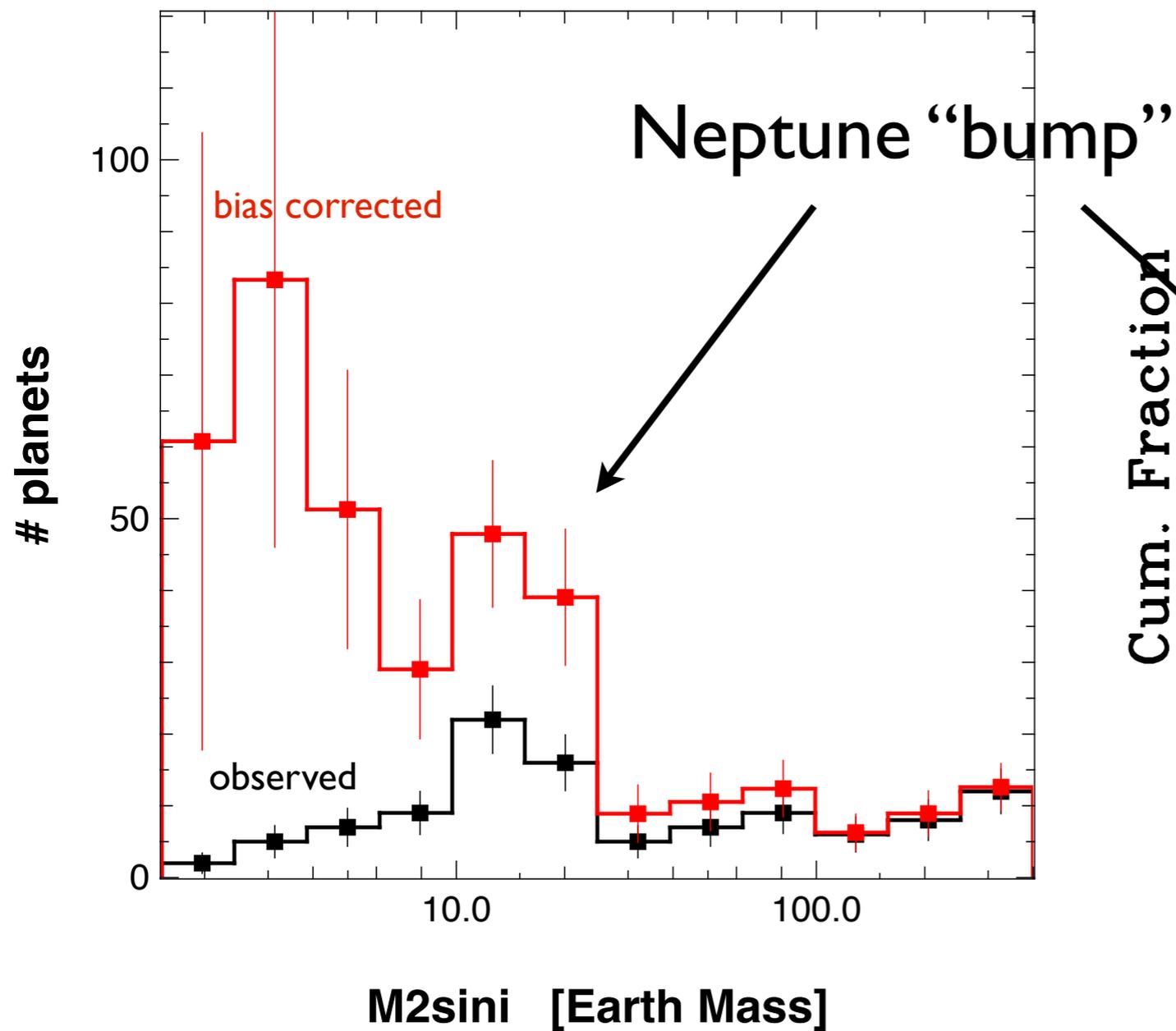
Synthetic mass function



Mordasini et al. 2009

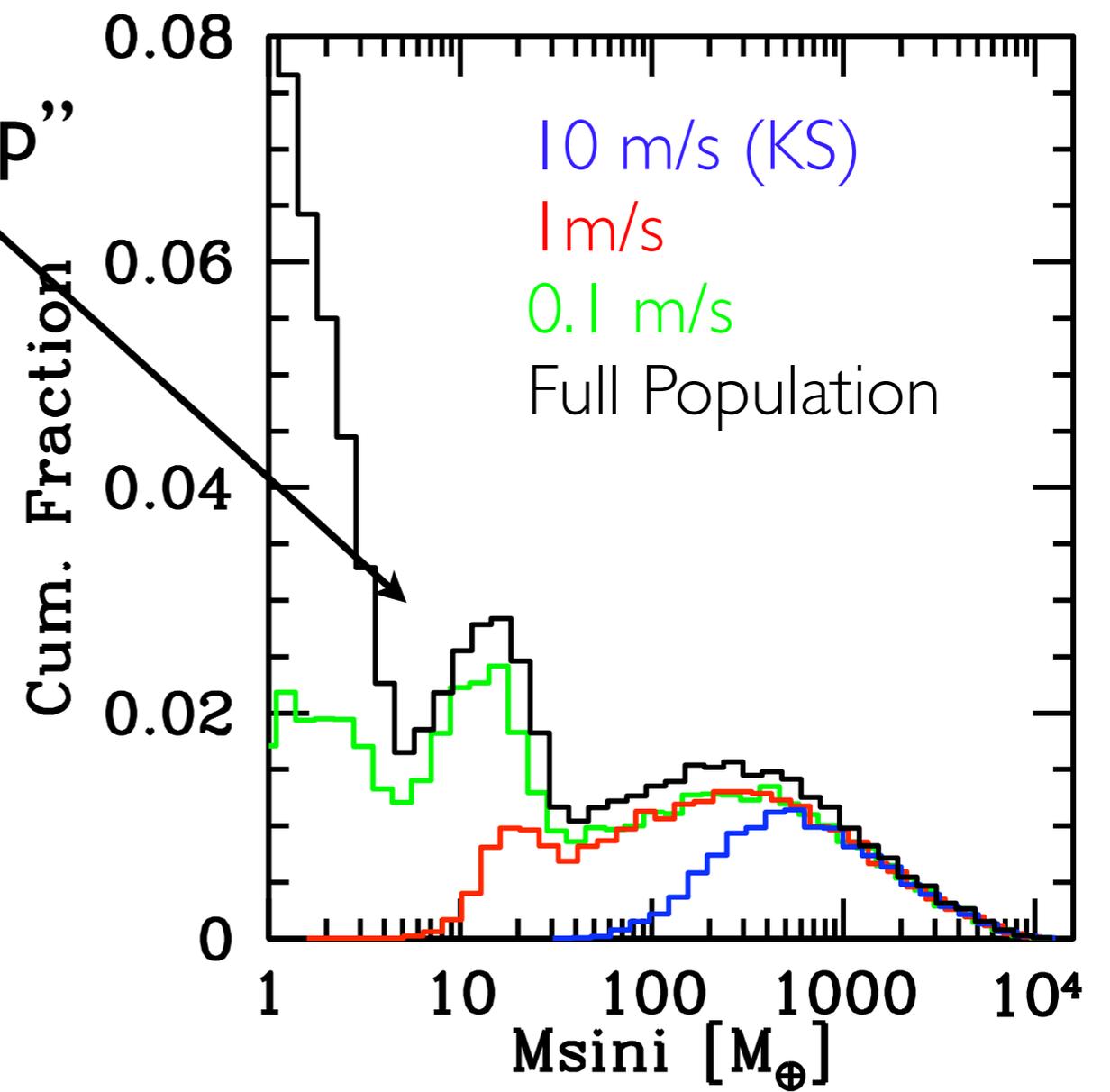
Initial mass function

Observed mass function



Mayor et al. 2011

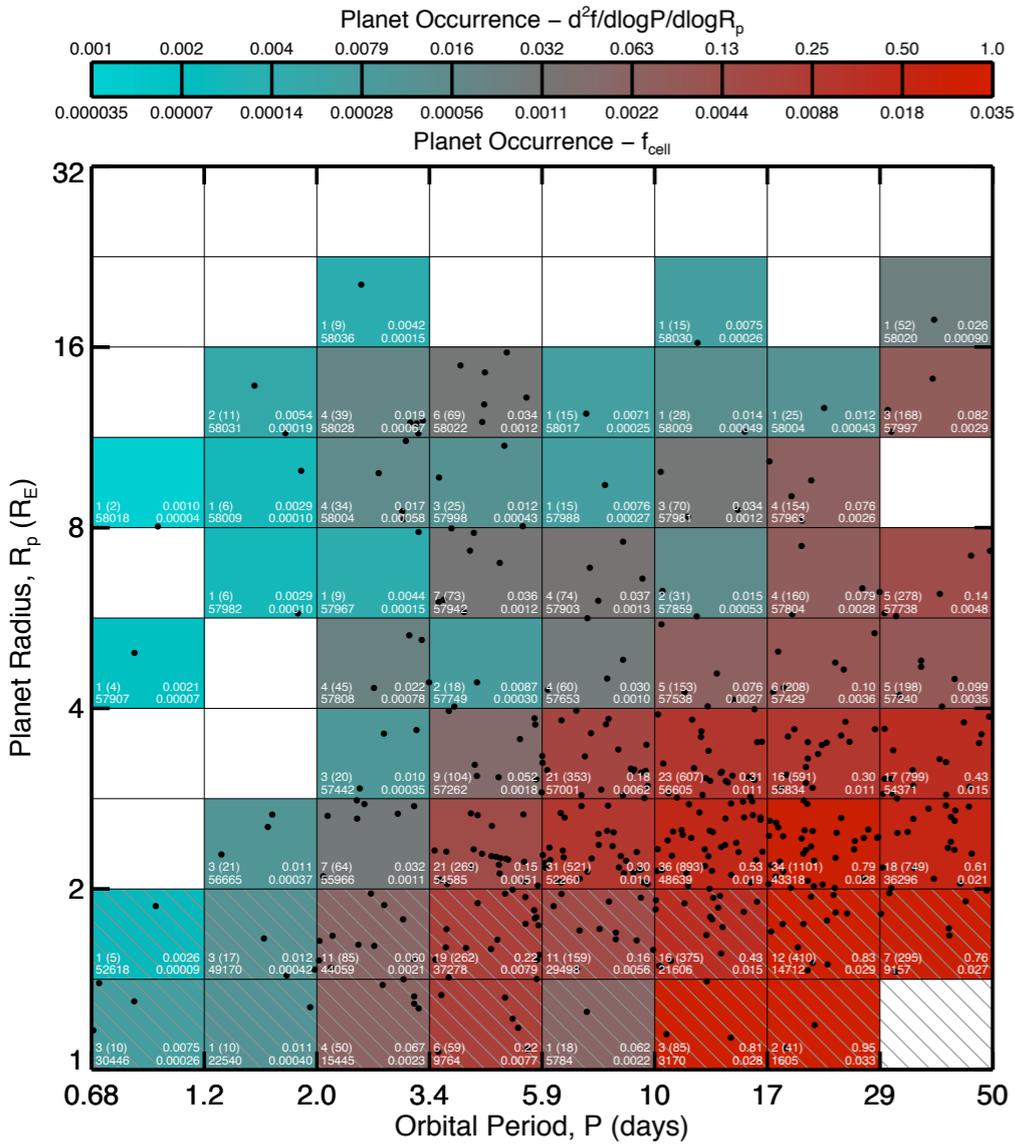
Synthetic mass function



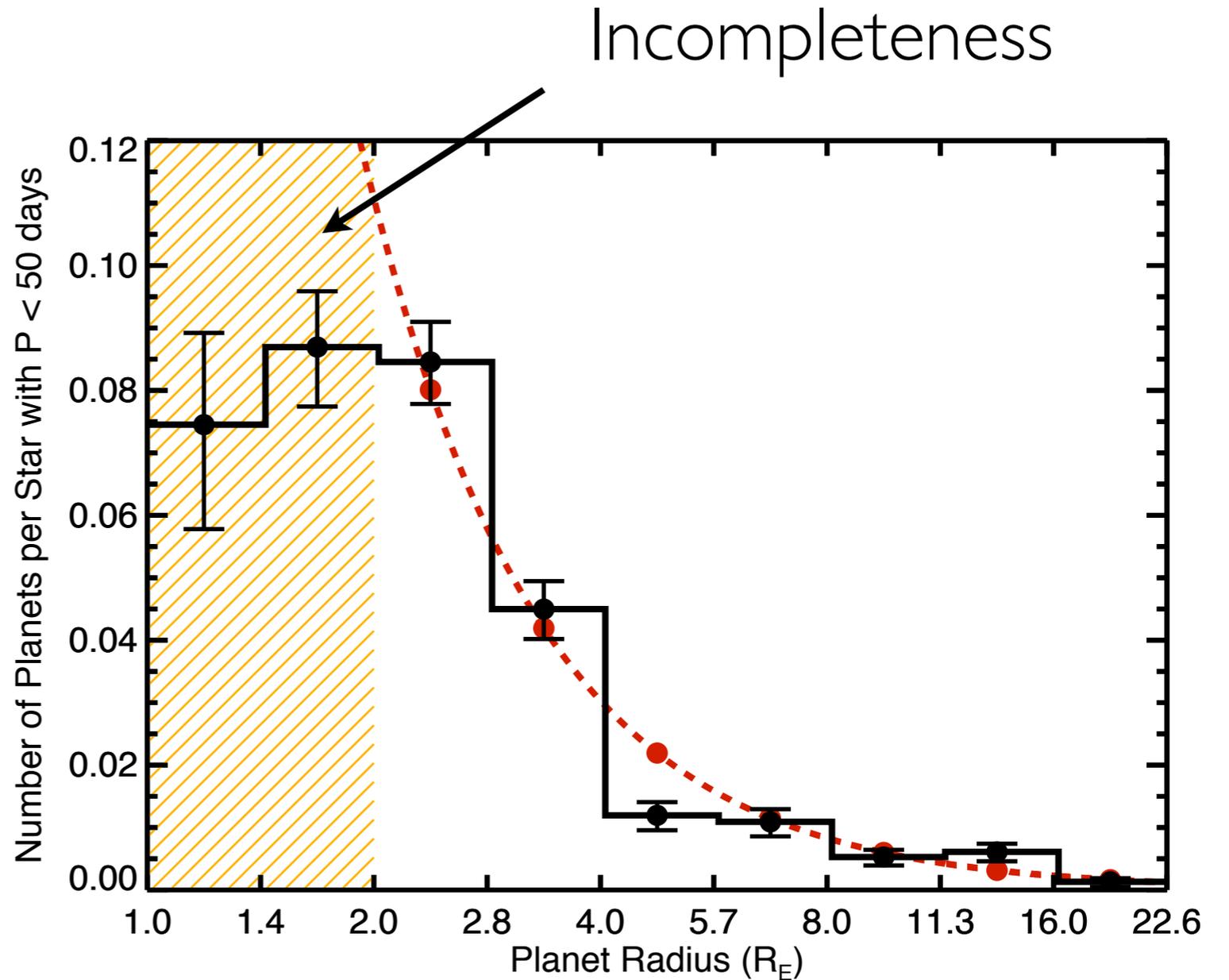
Mordasini et al. 2009

KEPLER: Occurrence and radii

Howard et al. 2011



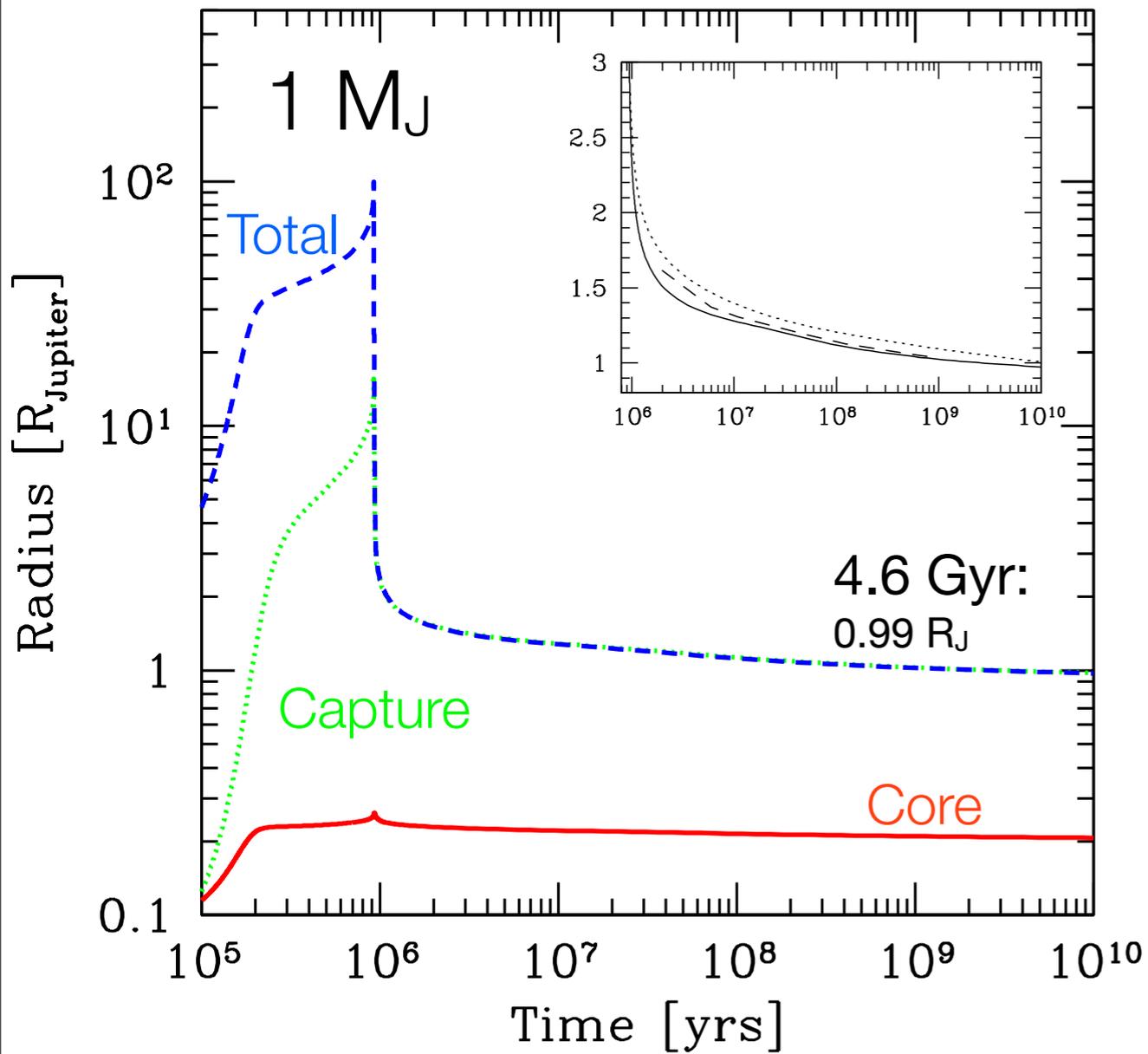
Planet occurrence



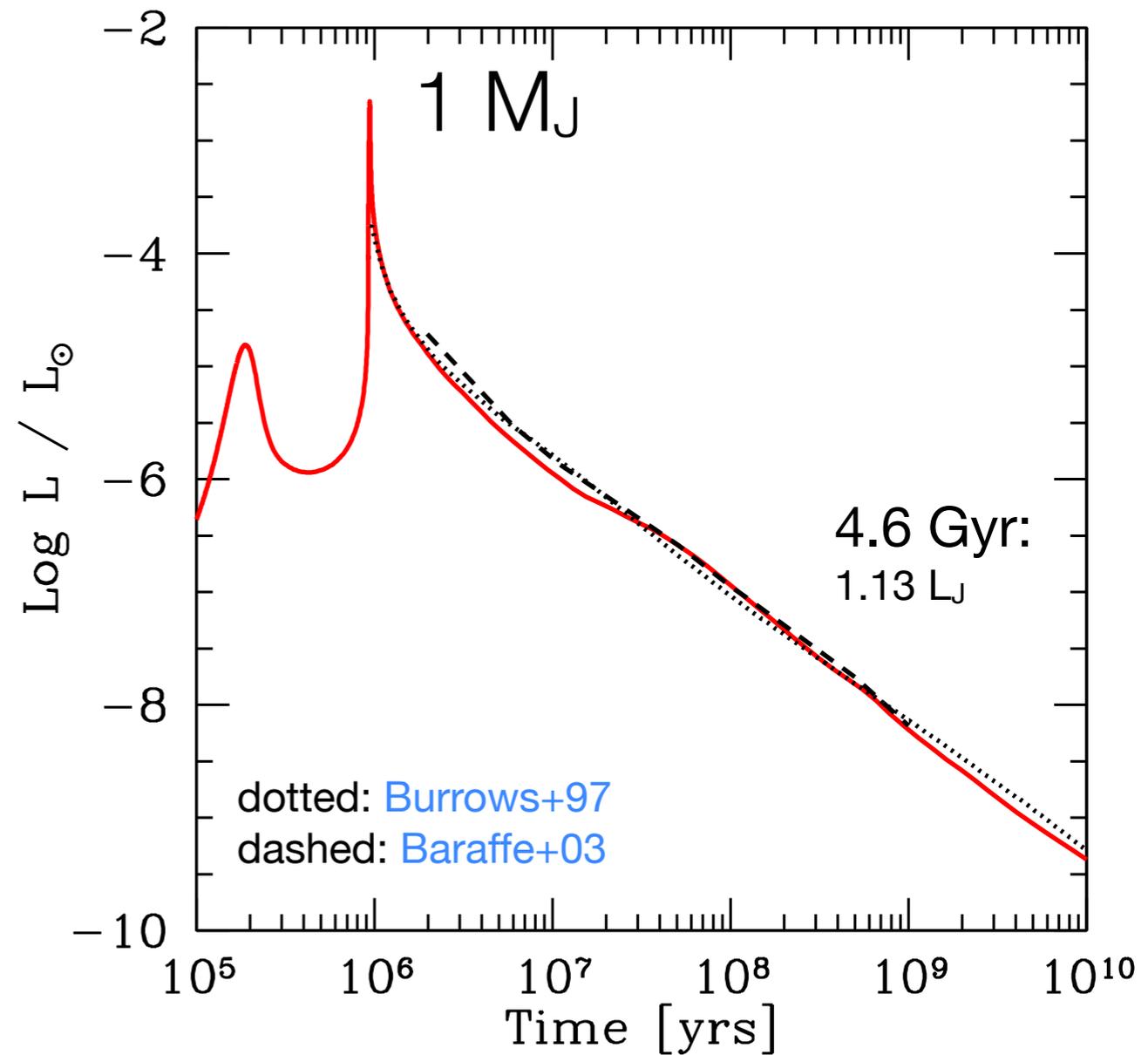
Distribution of radii

Long-term evolution

radius

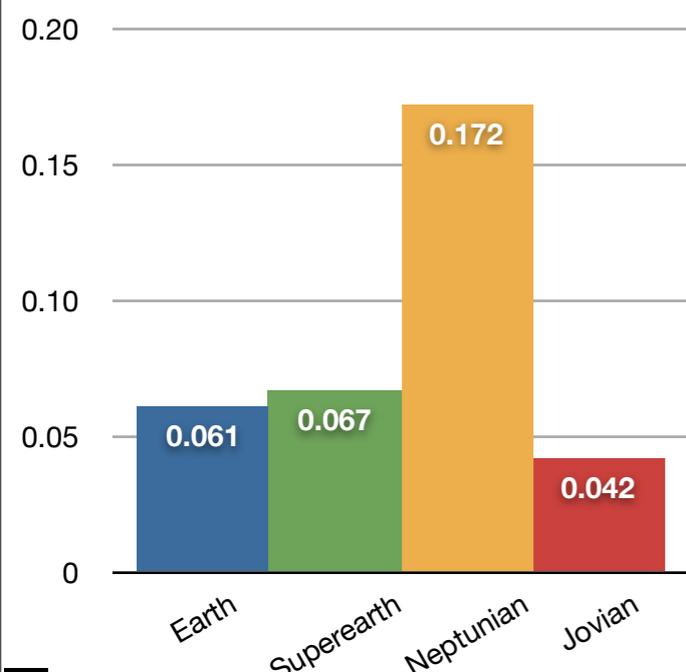


luminosity



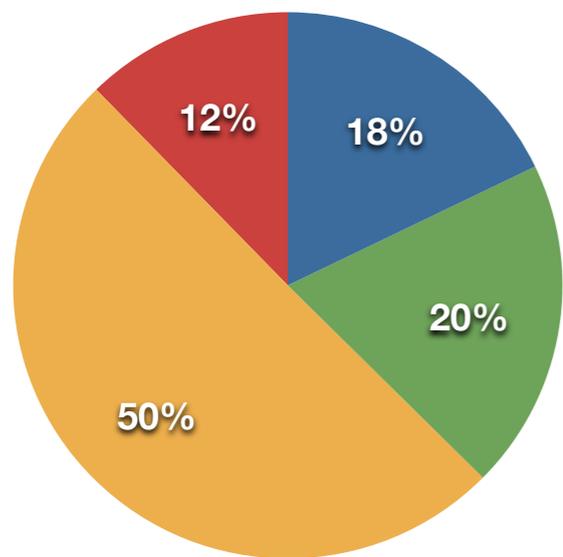
Comparison: *Statistics of radii*

Kepler a<0.15 ... 0.45 AU



Borucki et al. 2011

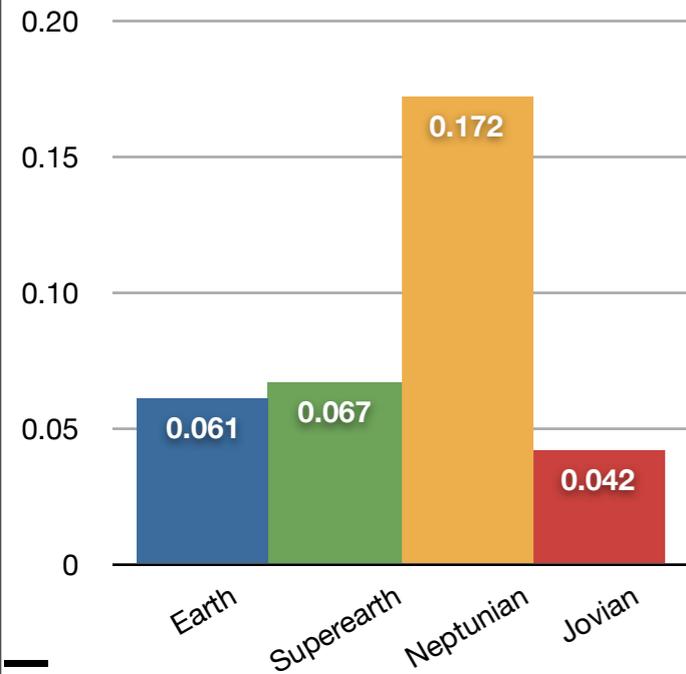
34 %
Incompleteness for
small radii
Relative contribution



● Earth < 1.25 Re ● Superearth 1.25-2 Re ● Neptunian 2-6 Re ● Jovian > 6 Re

Comparison: Statistics of radii

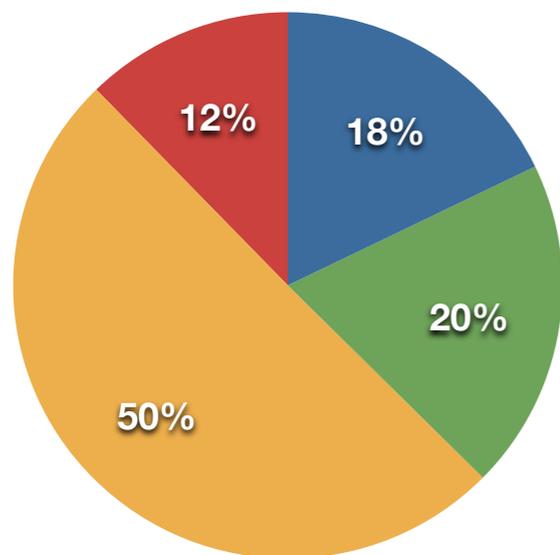
Kepler a<0.15 ... 0.45 AU



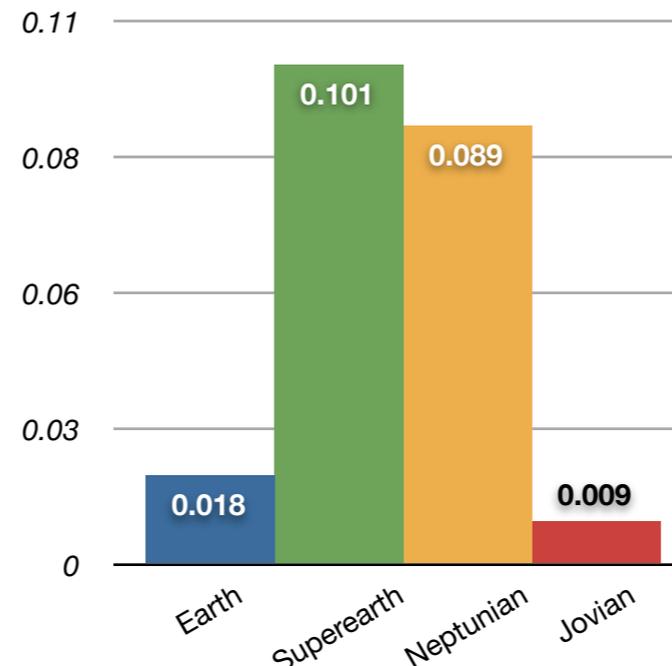
34 %

Incompleteness for small radii

Relative contribution

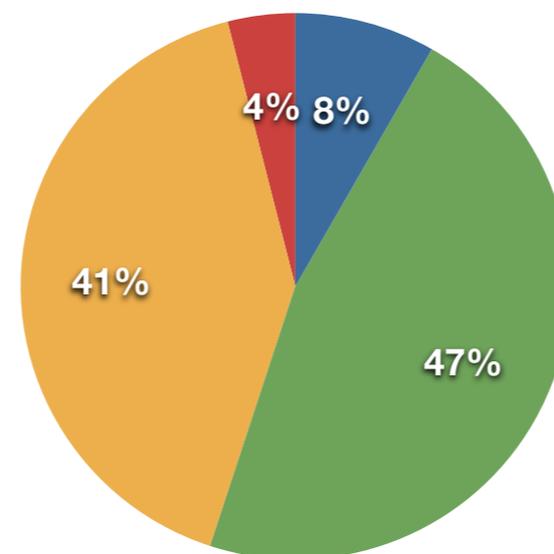


Model: a<0.2 AU



22 %

Relative contribution



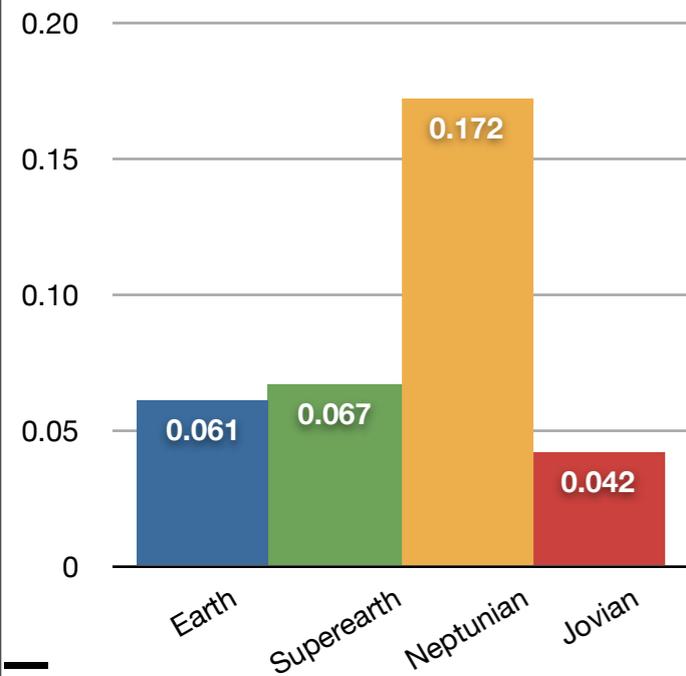
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Borucki et al. 2011

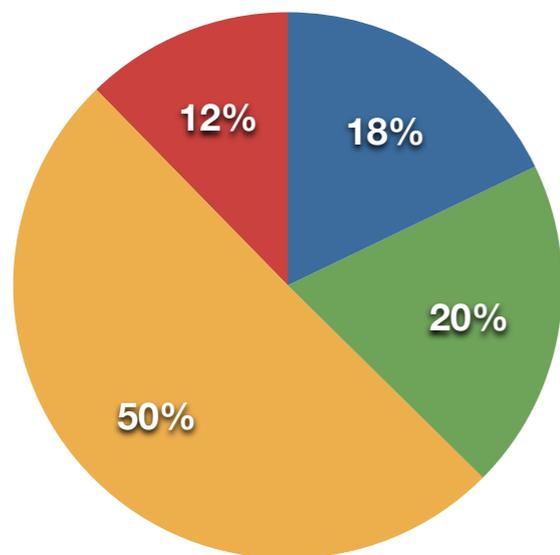
Comparison: Statistics of radii

Borucki et al. 2011

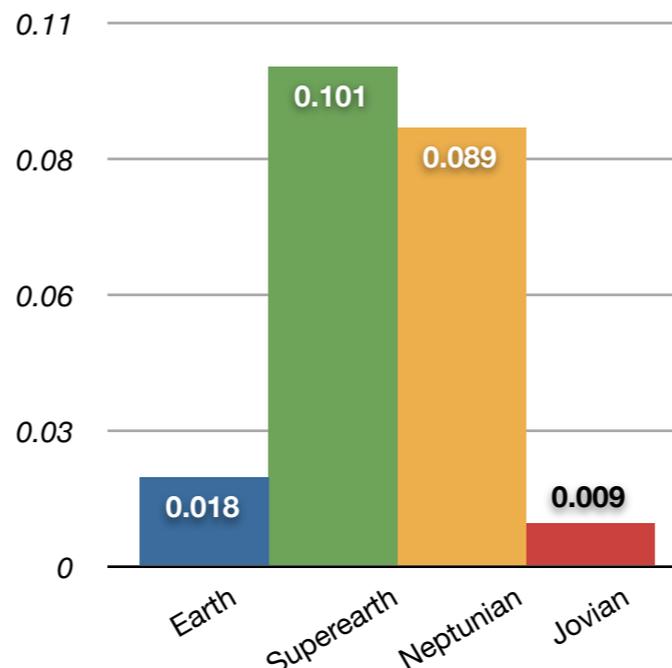
Kepler a < 0.15 ... 0.45 AU



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small radii
Relative contribution

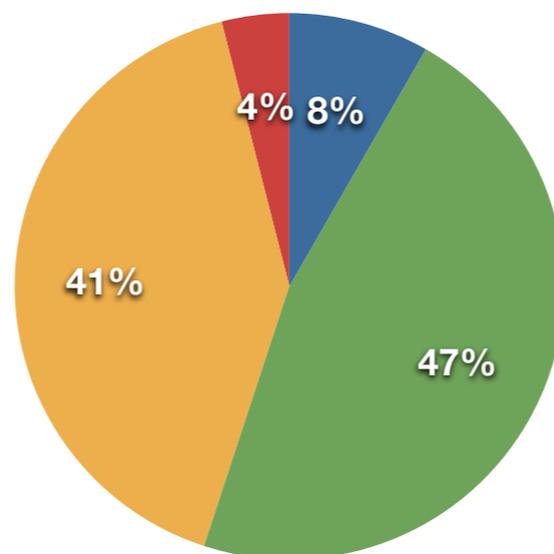


Model: a < 0.2 AU

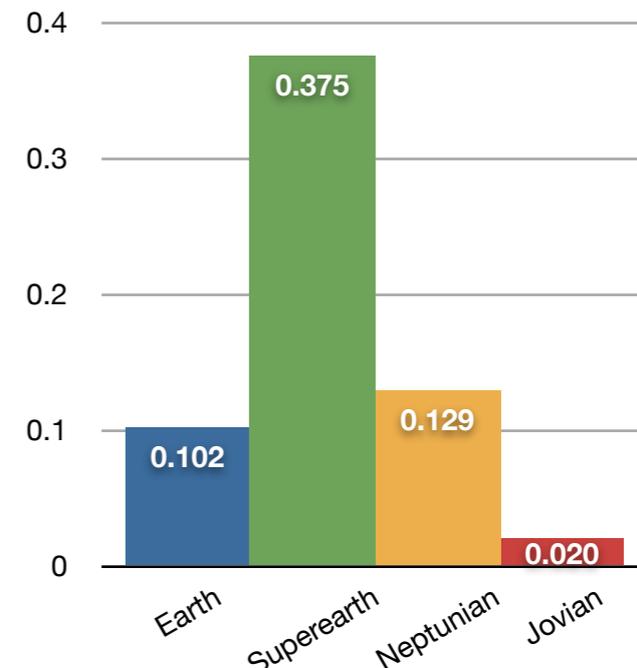


22 %

Relative contribution

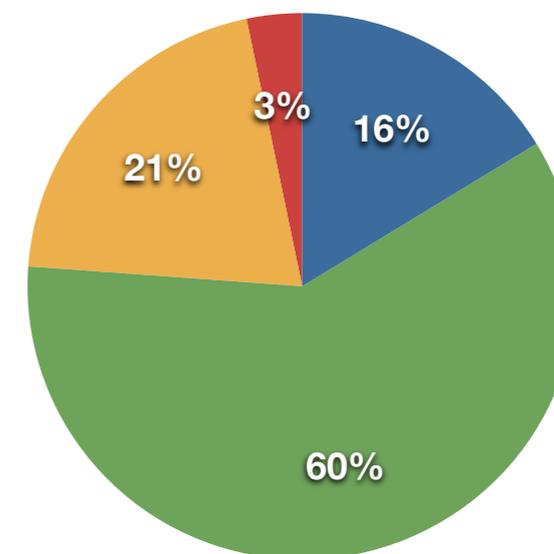


Model: a < 0.4 AU



63 %

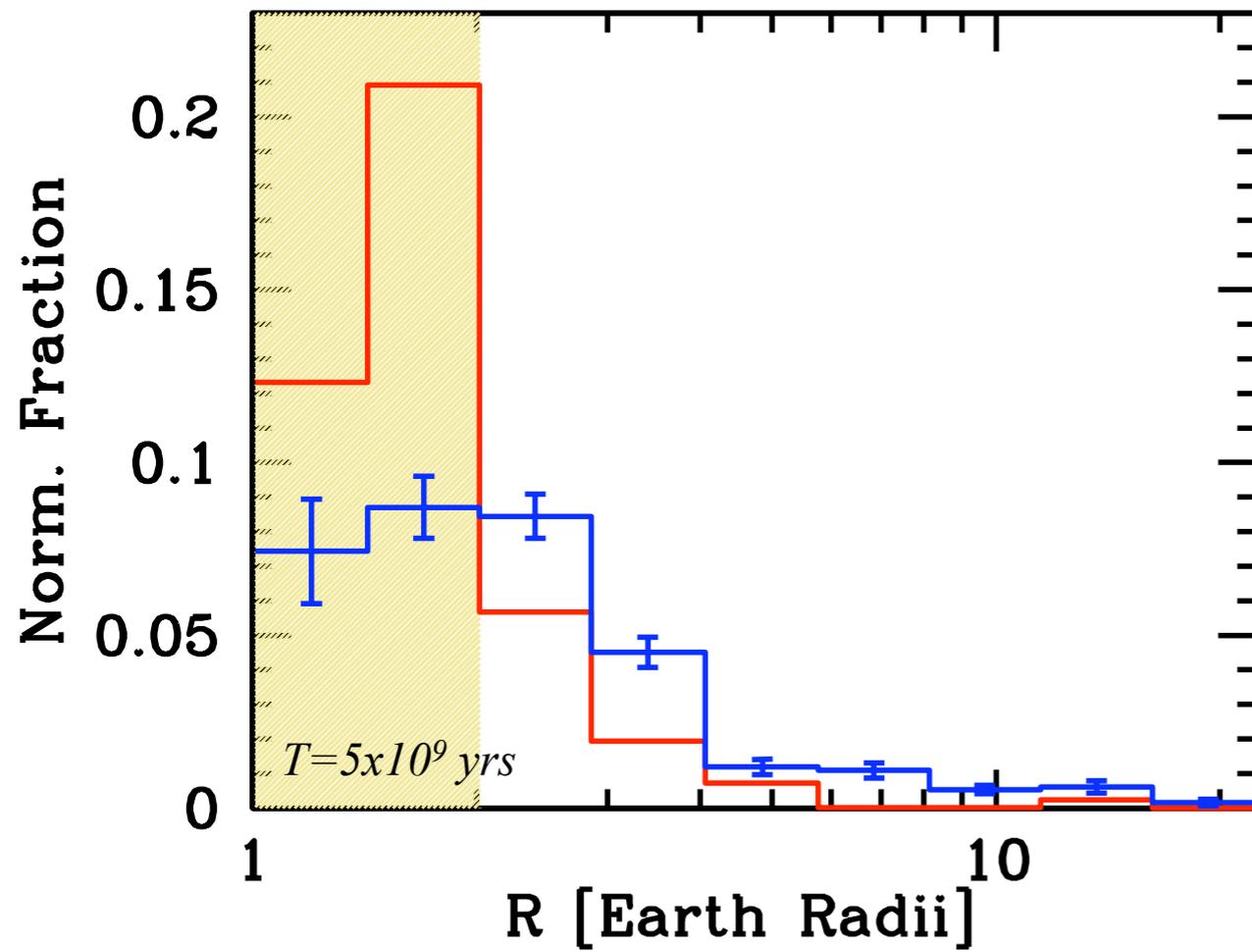
Relative contribution



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 ● Superearth 1.25-2 Re
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 ● Jovian > 6 Re

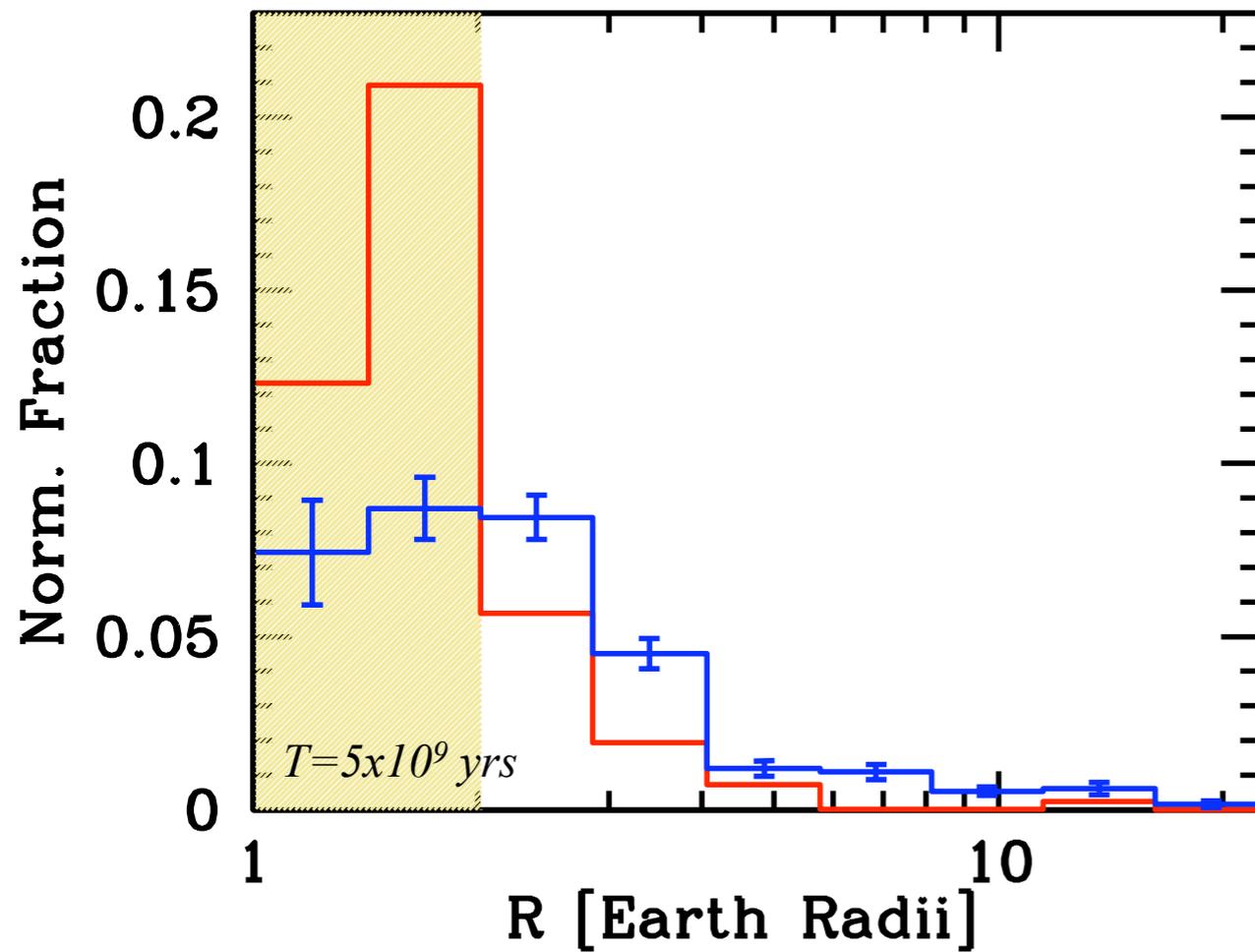
Radii statistics

Planet formation model I

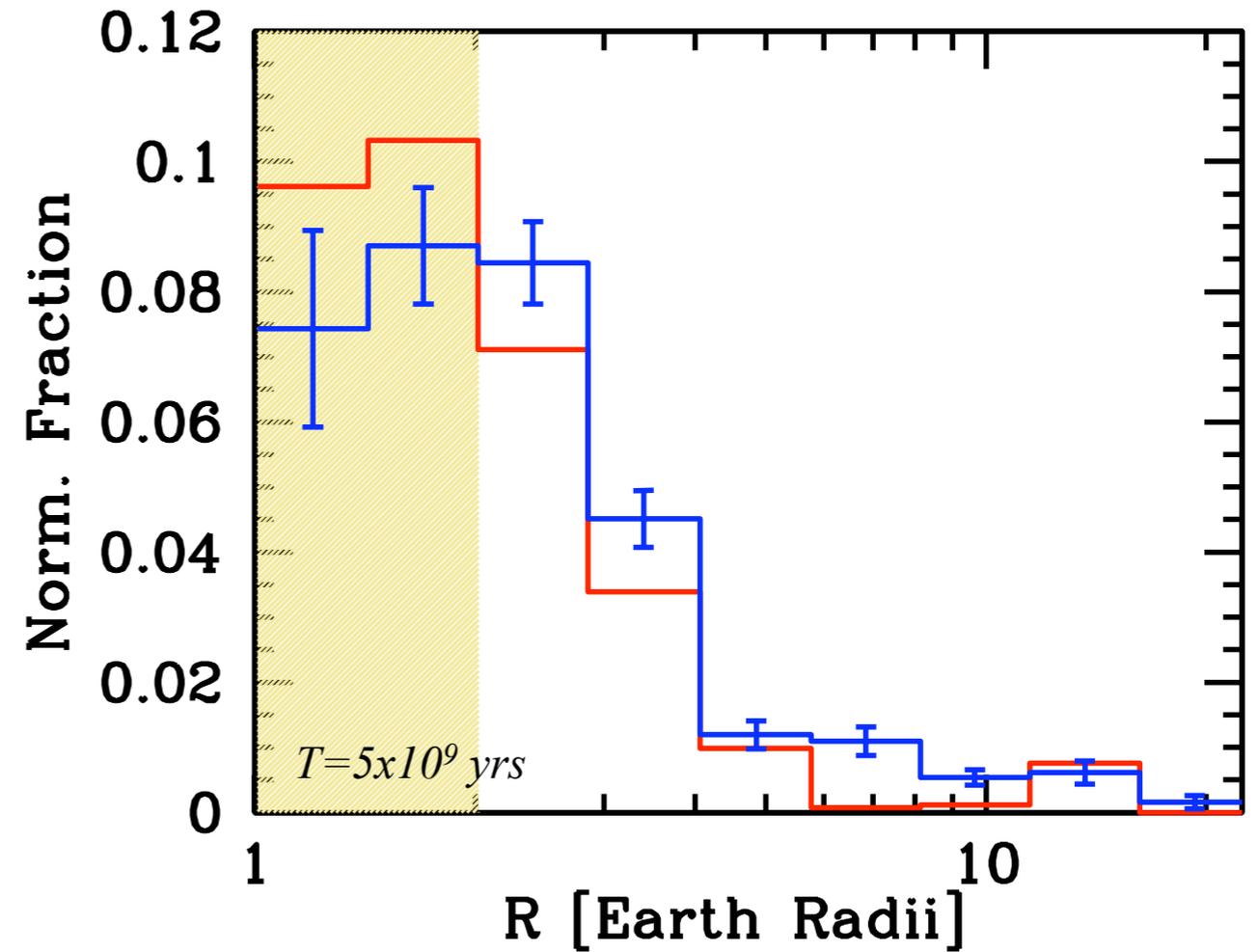


Radii statistics

Planet formation model 1

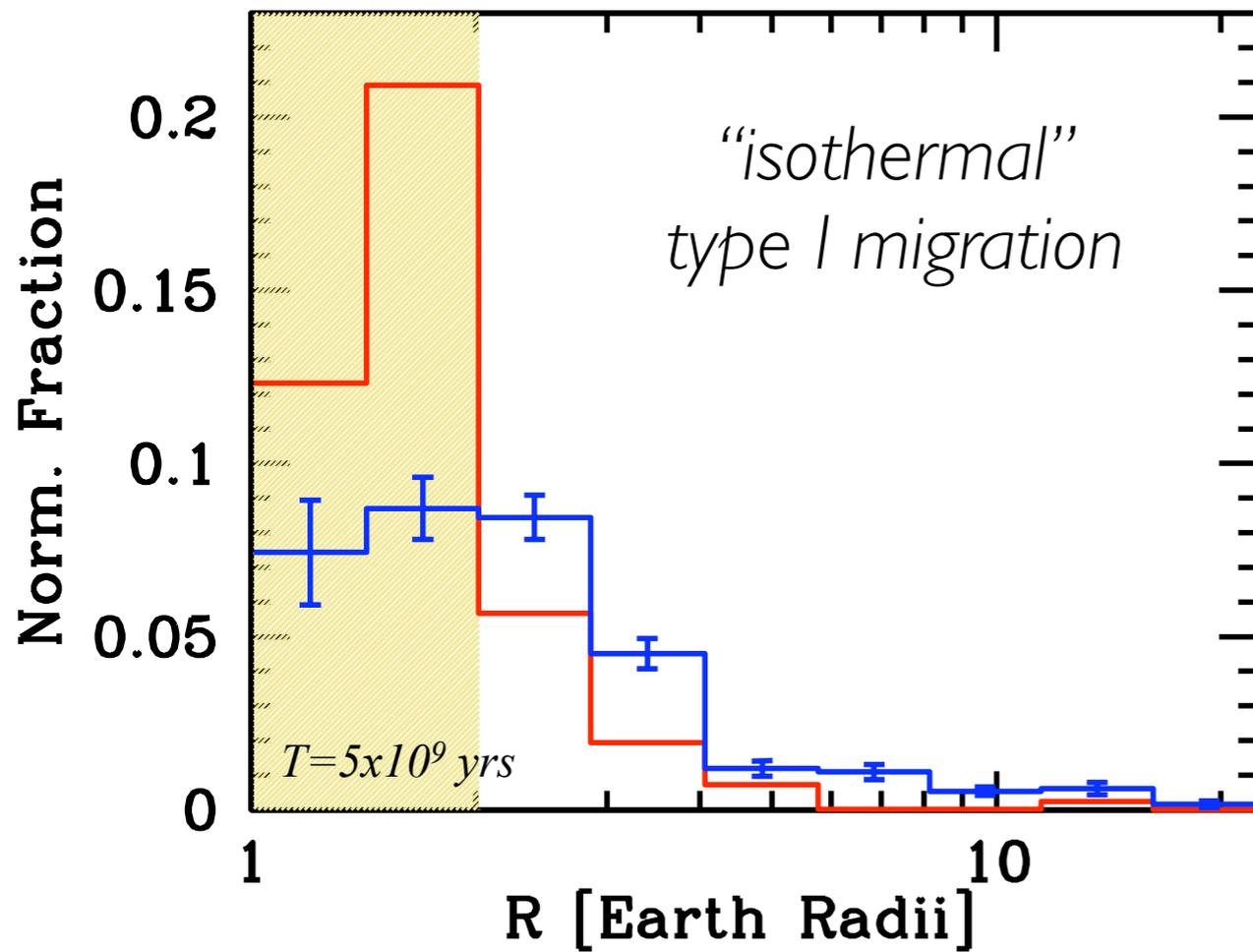


Planet formation model 2

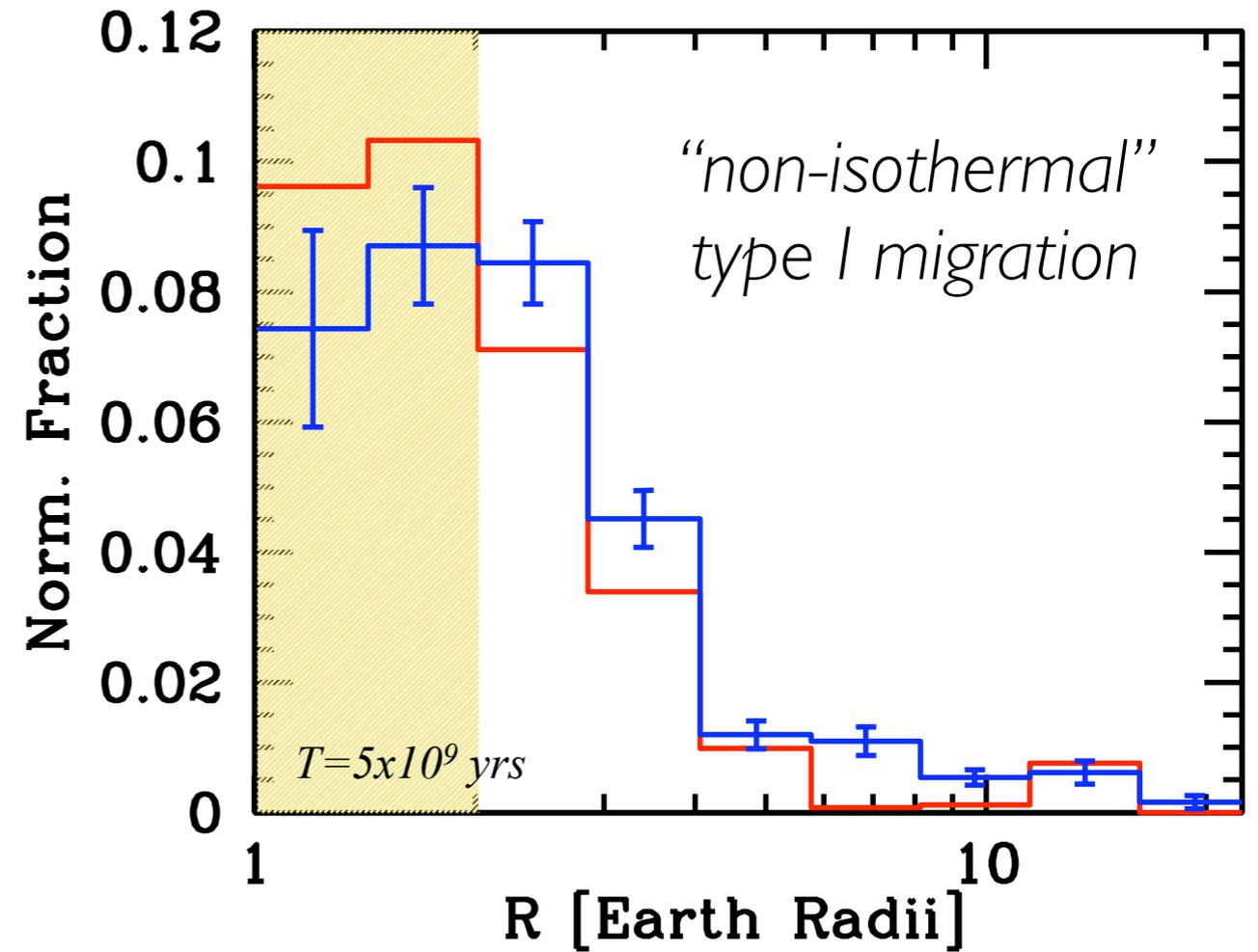


Radii statistics

Planet formation model 1

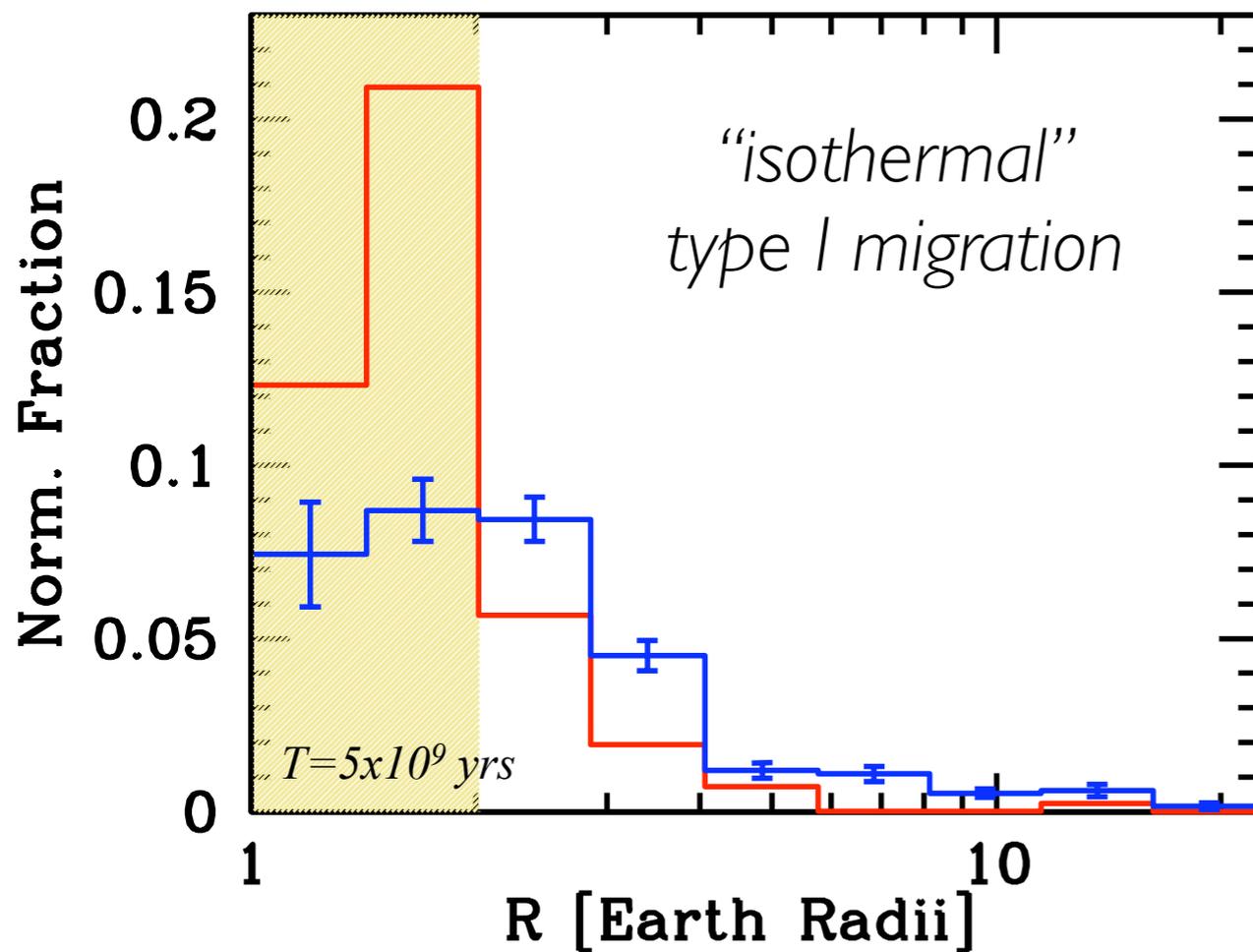


Planet formation model 2

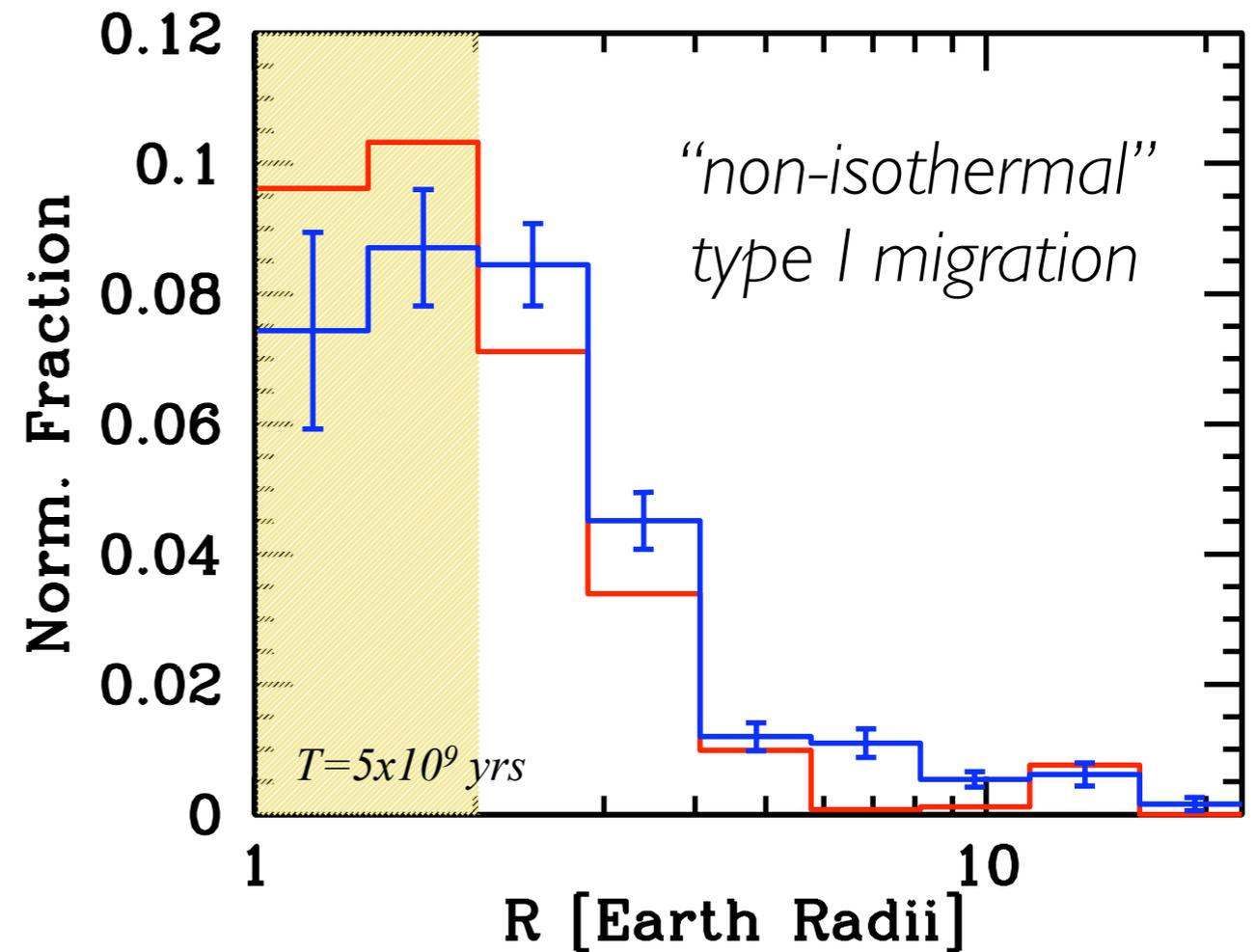


Radii statistics

Planet formation model 1



Planet formation model 2



Statistical comparisons between observations and models allow to pinpoint the importance of certain physical processes...

Planet Formation

in presence of gas

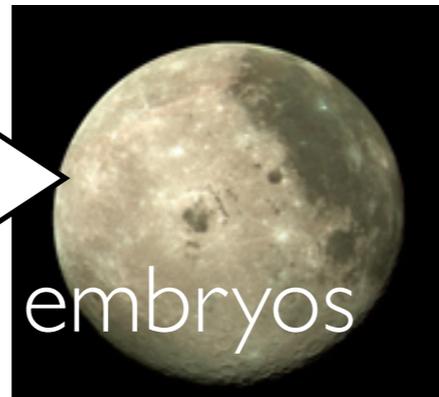
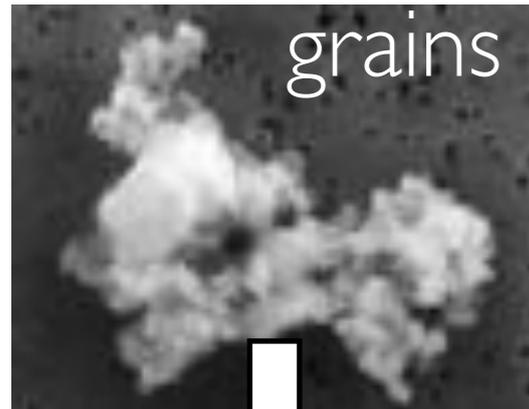


in absence of gas



Planet Formation

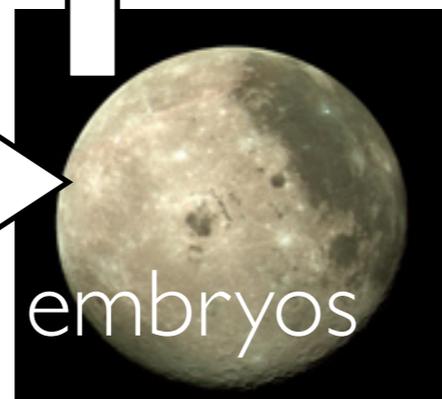
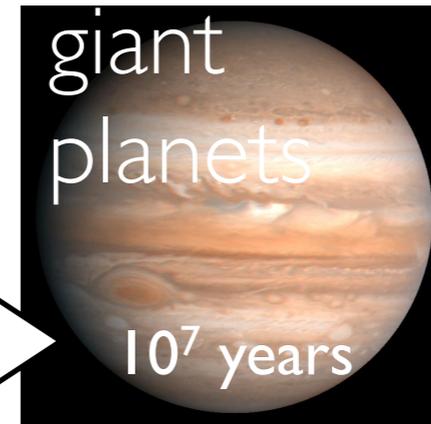
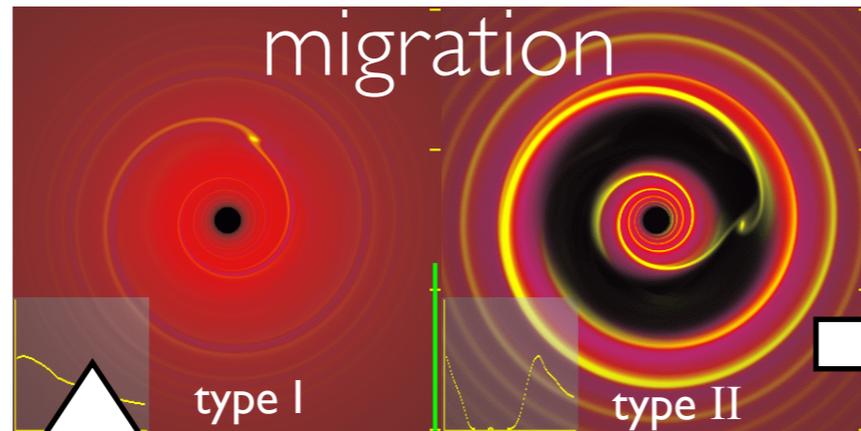
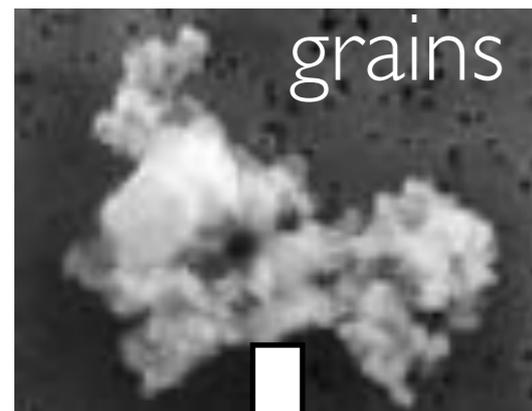
in presence of gas



in absence of gas

Planet Formation

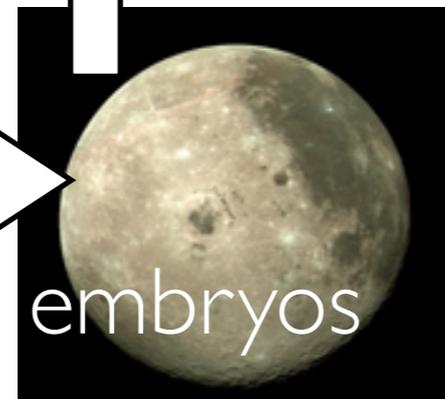
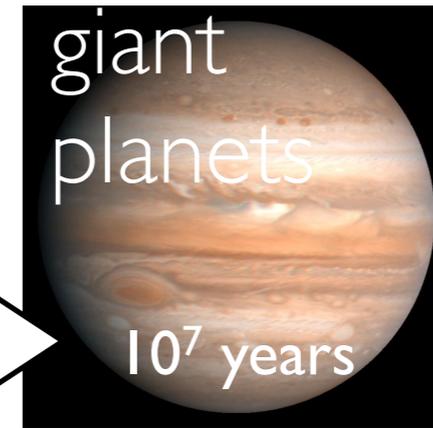
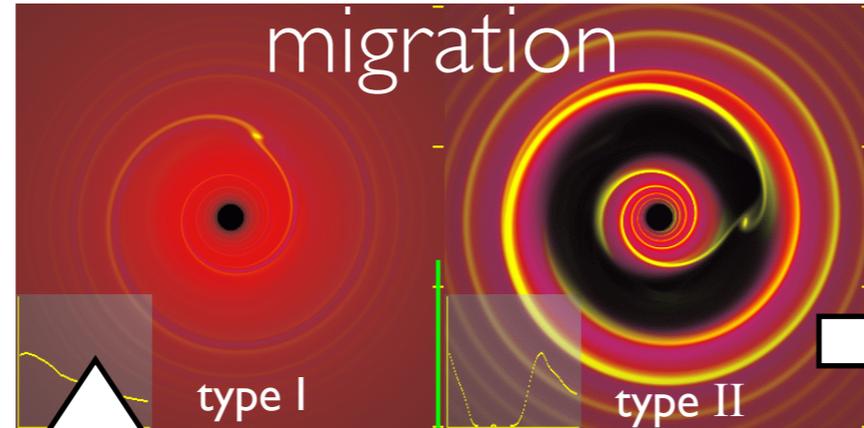
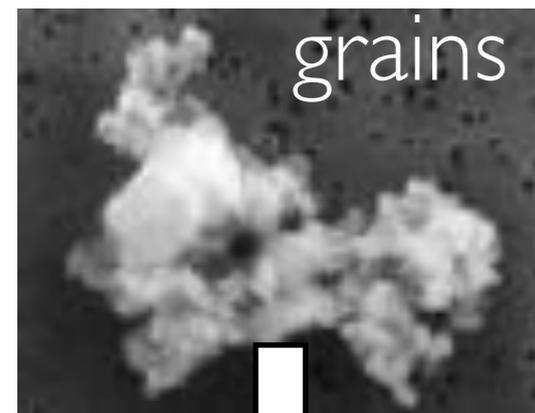
in presence of gas



in absence of gas

Planet Formation

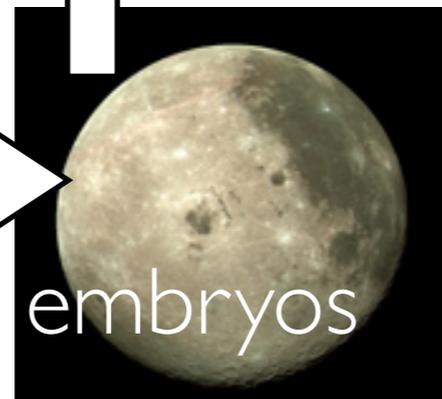
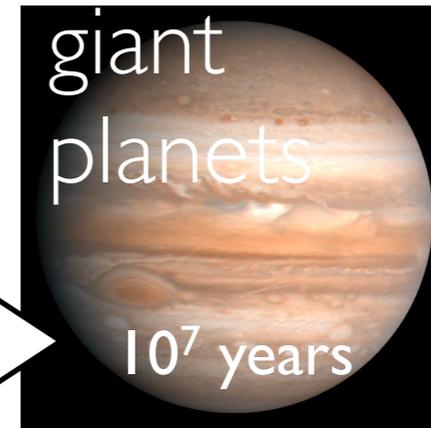
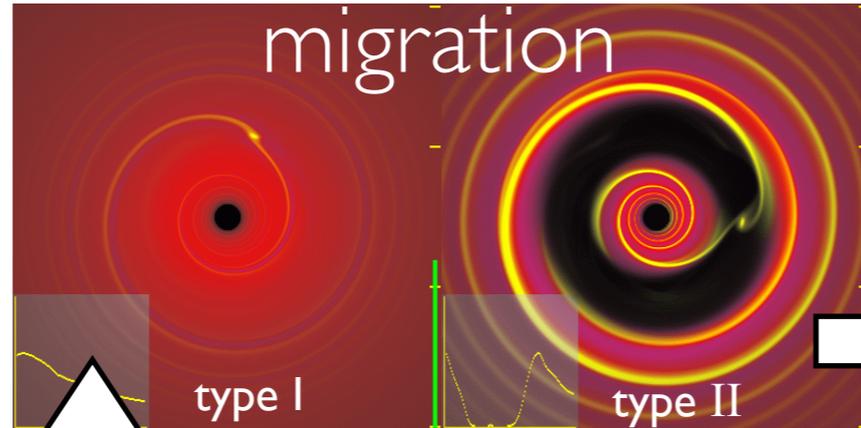
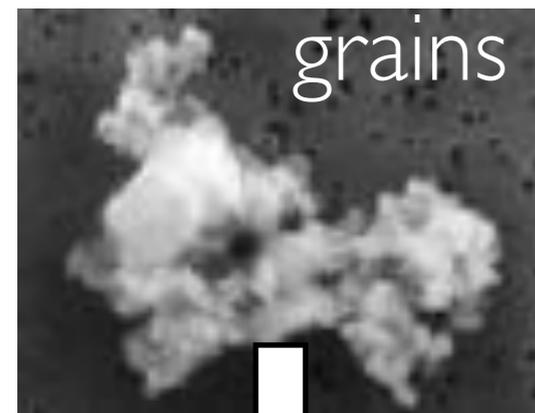
in presence of gas



in absence of gas

Planet Formation

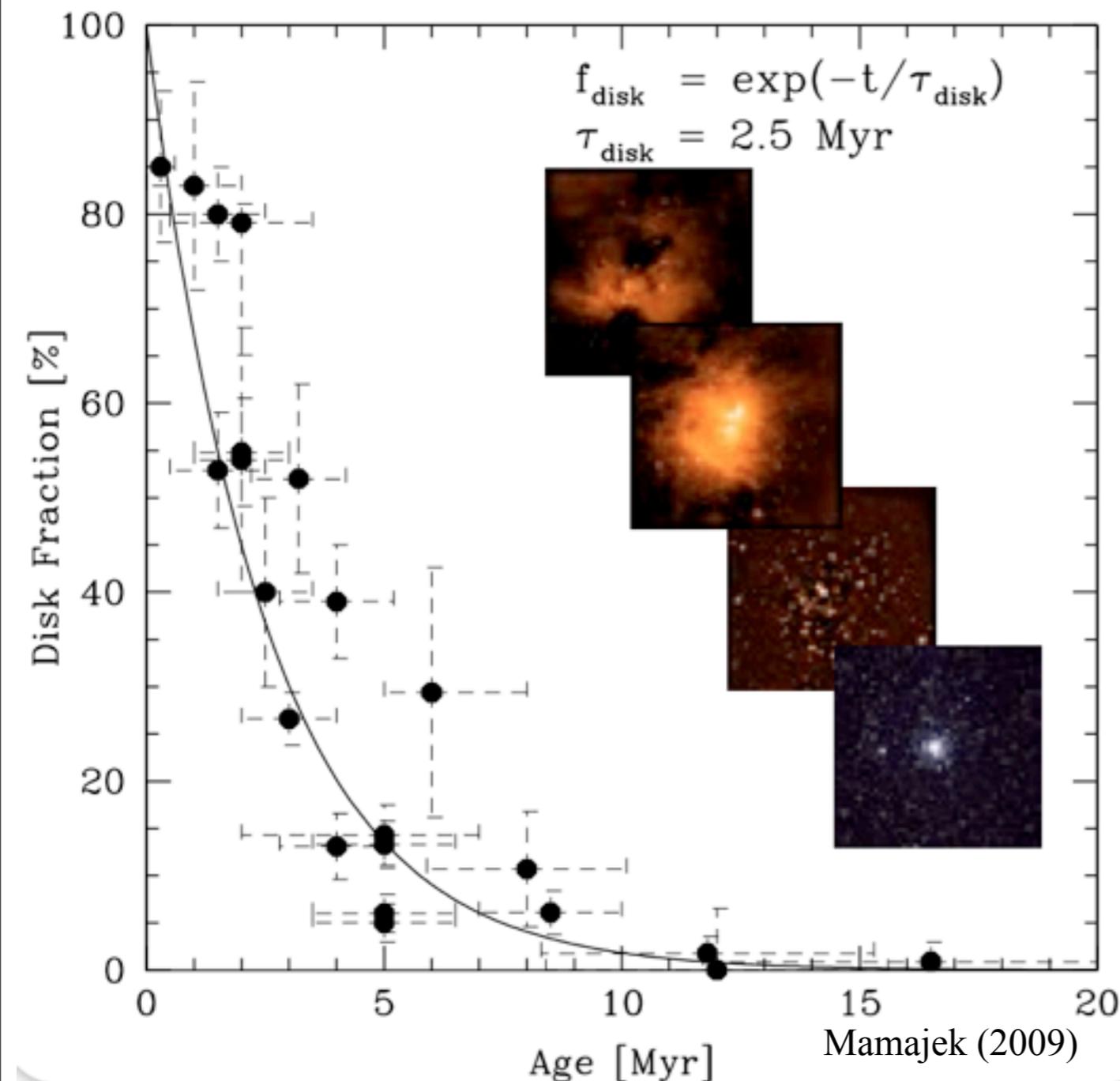
in presence of gas



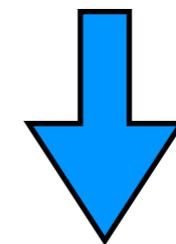
in absence of gas

Disk lifetimes

The distribution of disk lifetimes can be obtained by determining the fraction of stars in nearby young stellar clusters that still show the presence of a disk through IR excess.



The lifetime of proto-planetary disks is of order a few million years



This is the time available to form gaseous planets and to move them around...

Planet-disk *interactions*

Planet - disk interactions

Note:

- planet generates non-axisymmetric potential
- this potential generates density waves
- density waves result in torques on planet
- torques change angular momentum

Small mass planets: No gap

→ type I migration

Massive planets: Gap

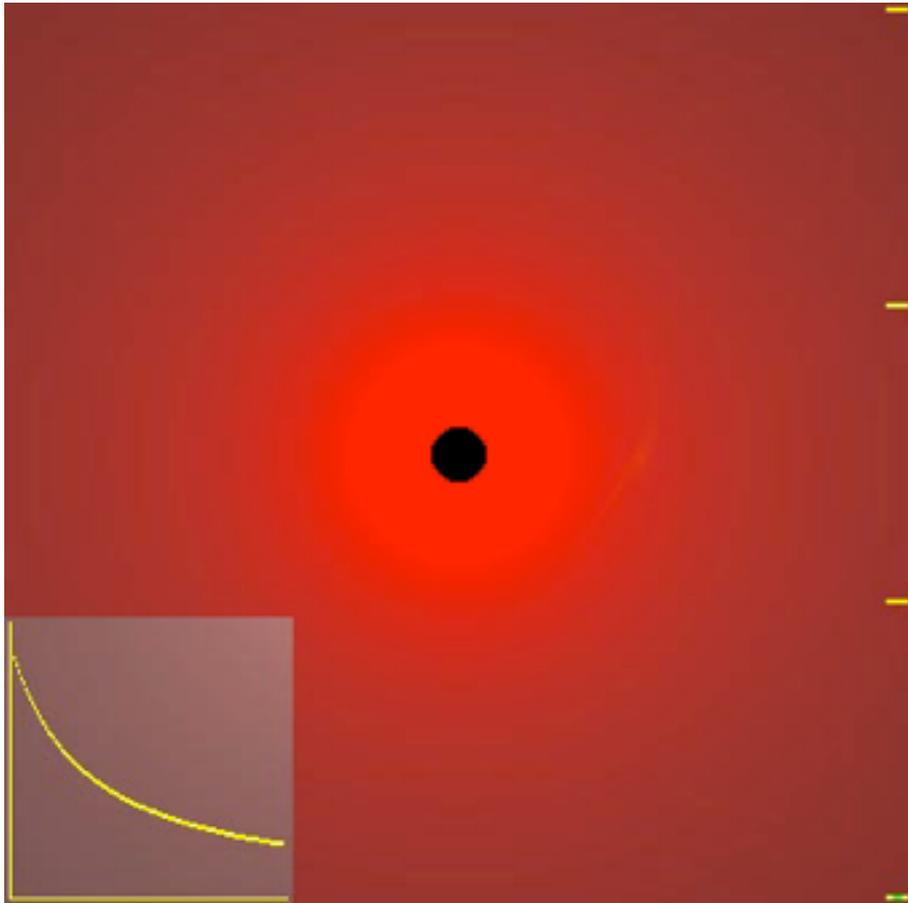
→ type II migration

surface density

Simulations by P.Armitage

Planet-disk *interactions*

Planet - disk interactions



surface density

Simulations by P.Armitage

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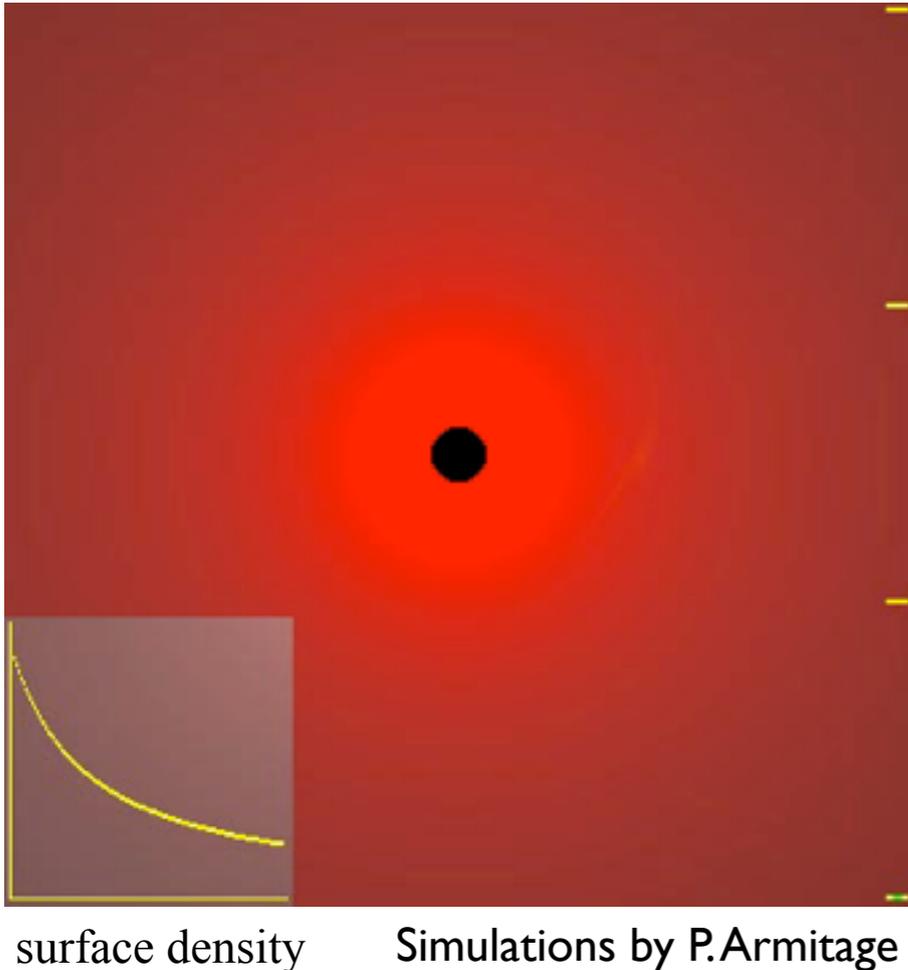
→ type I migration

Massive planets: Gap

→ type II migration

Planet-disk *interactions*

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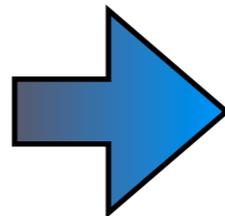
Small mass planets: No gap

→ type I migration

Massive planets: Gap

→ type II migration

Large scale signature of
planet-disk interactions



observationally testable!

Gap formation: Type II migration

Crida et al. 2006

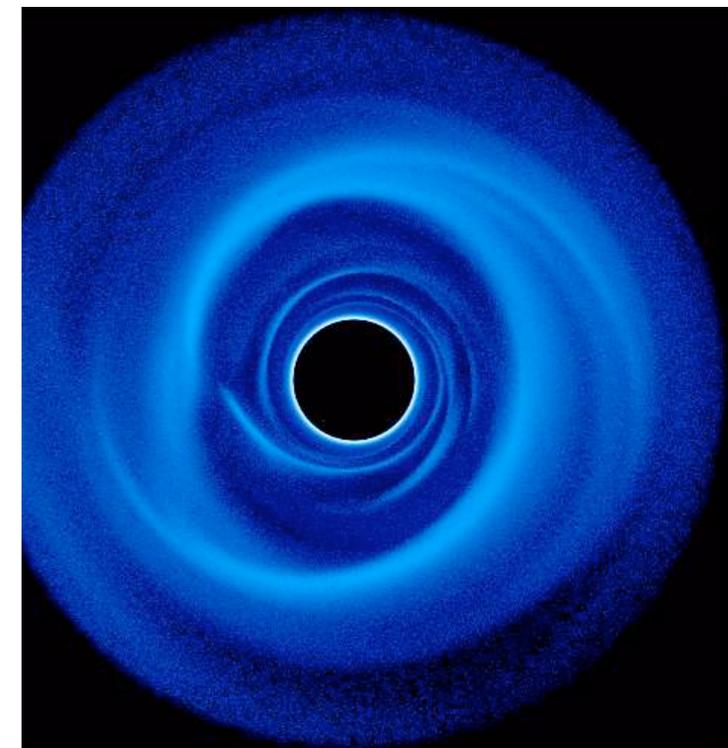
Transition to type II:
opening of gap

$$\frac{3}{4} \frac{H}{R_H} + \frac{50}{q\mathcal{R}} \lesssim 1$$

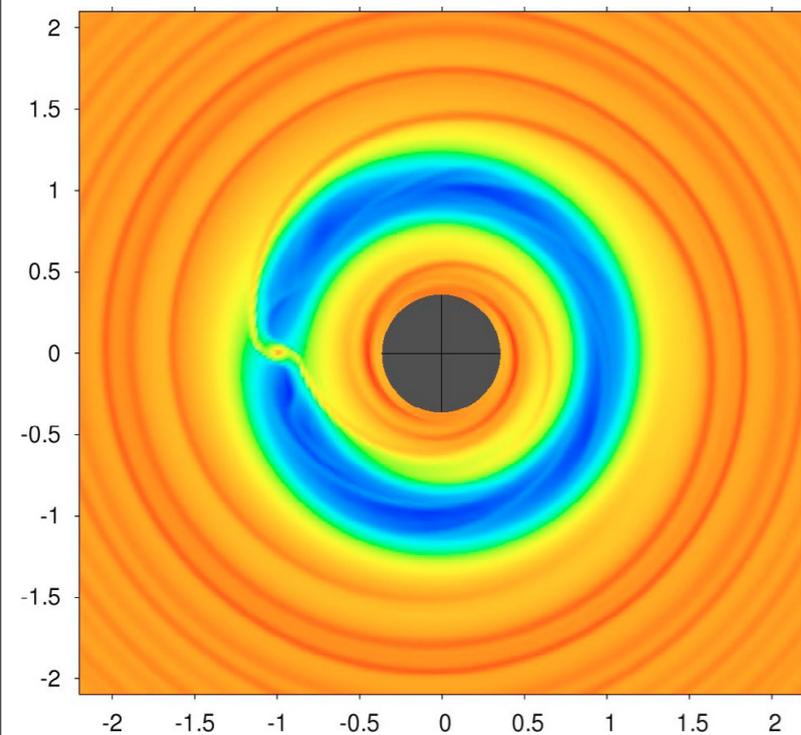
Gap opening criterion is a function of:

- mass of star and planet
- structure of disk
- viscous transport

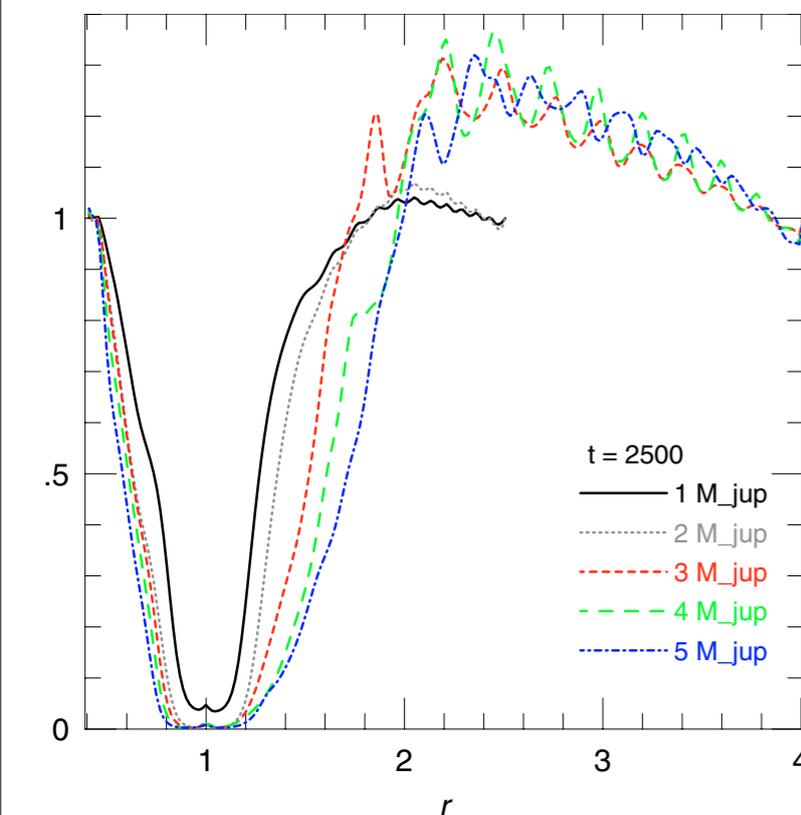
Wolf & Klahr 2008



observationally testable!



Kley & Dirksen 2006



Planet migration

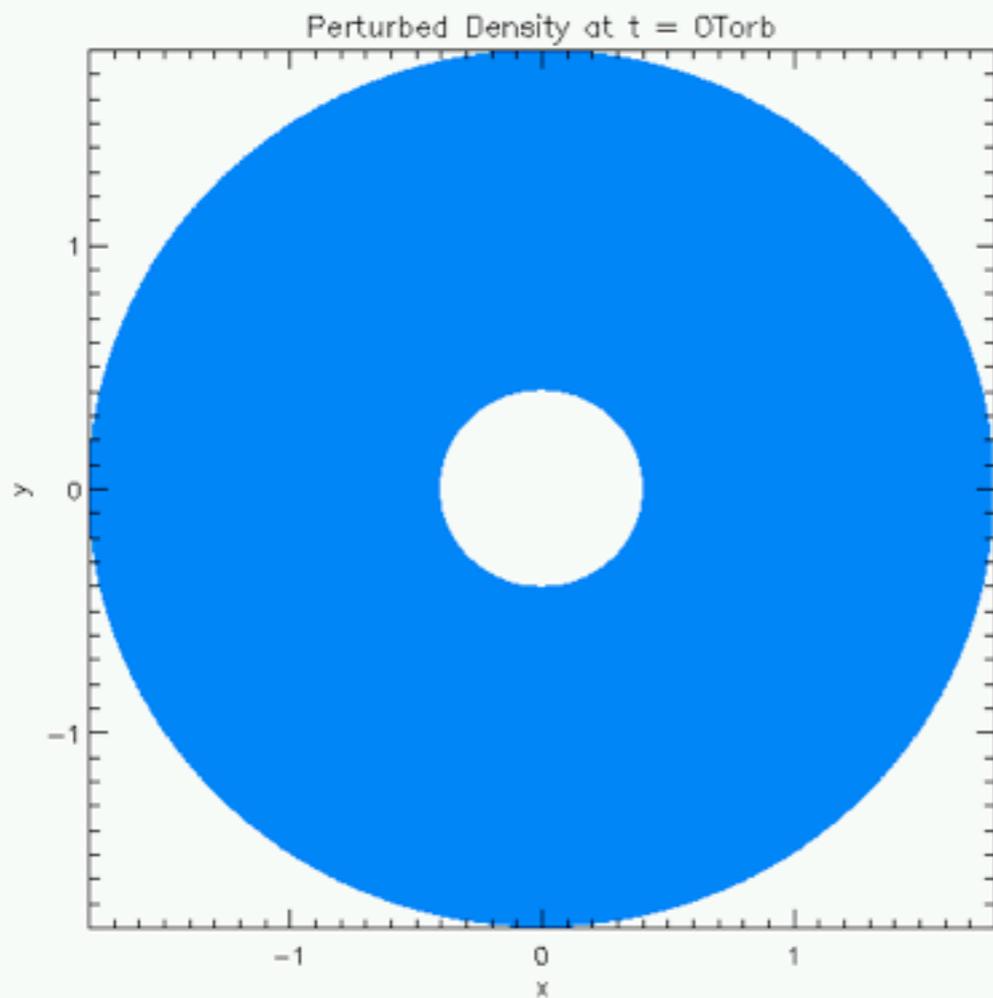
inertial frame

rotating frame

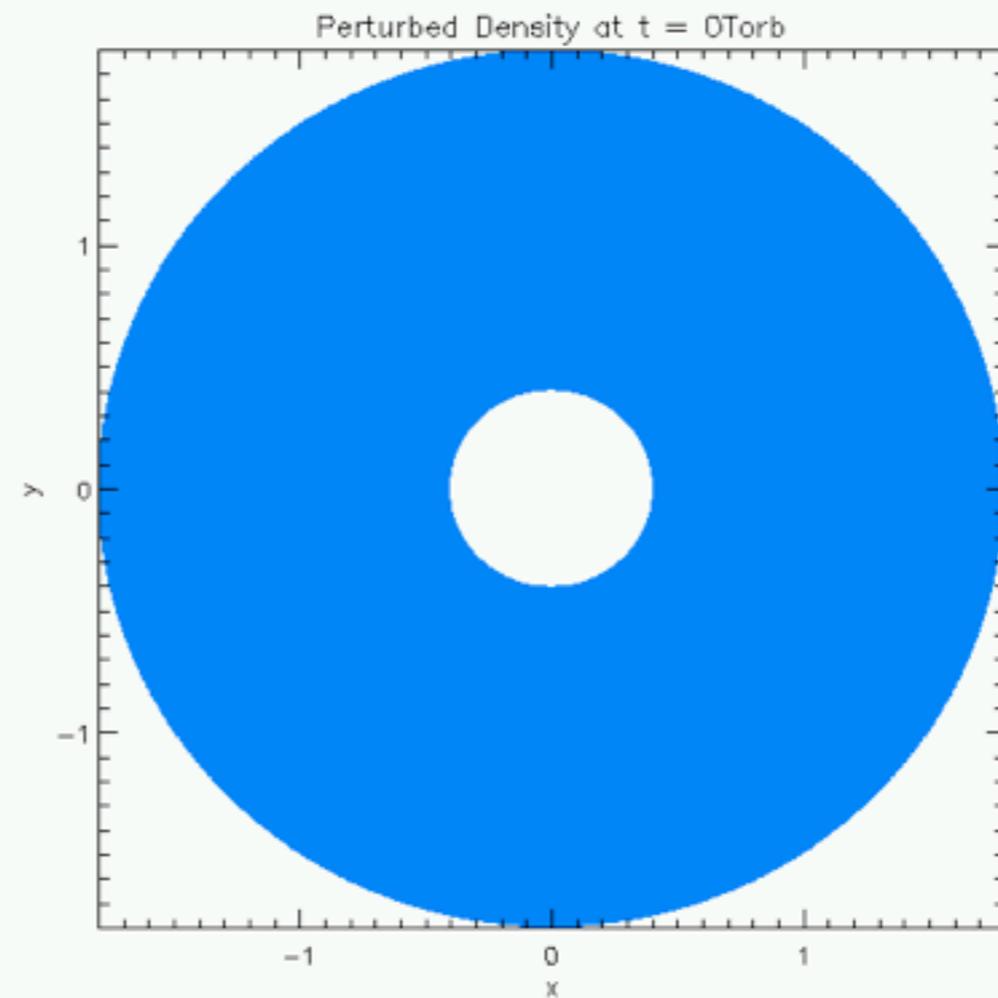
Simulations by C. Baruteau

Planet migration

inertial frame



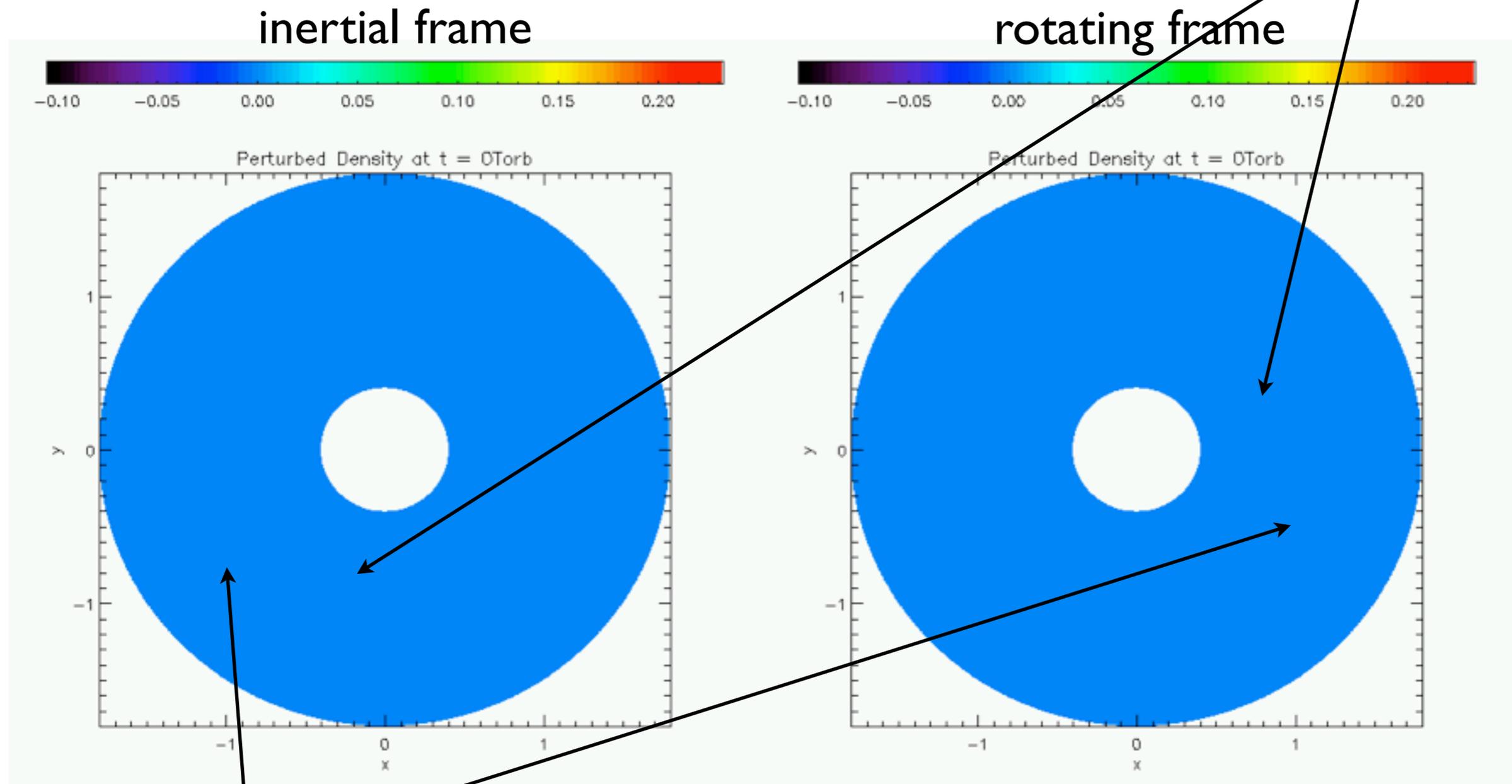
rotating frame



Simulations by C. Baruteau

Planet migration

forward pull: Outwards migration

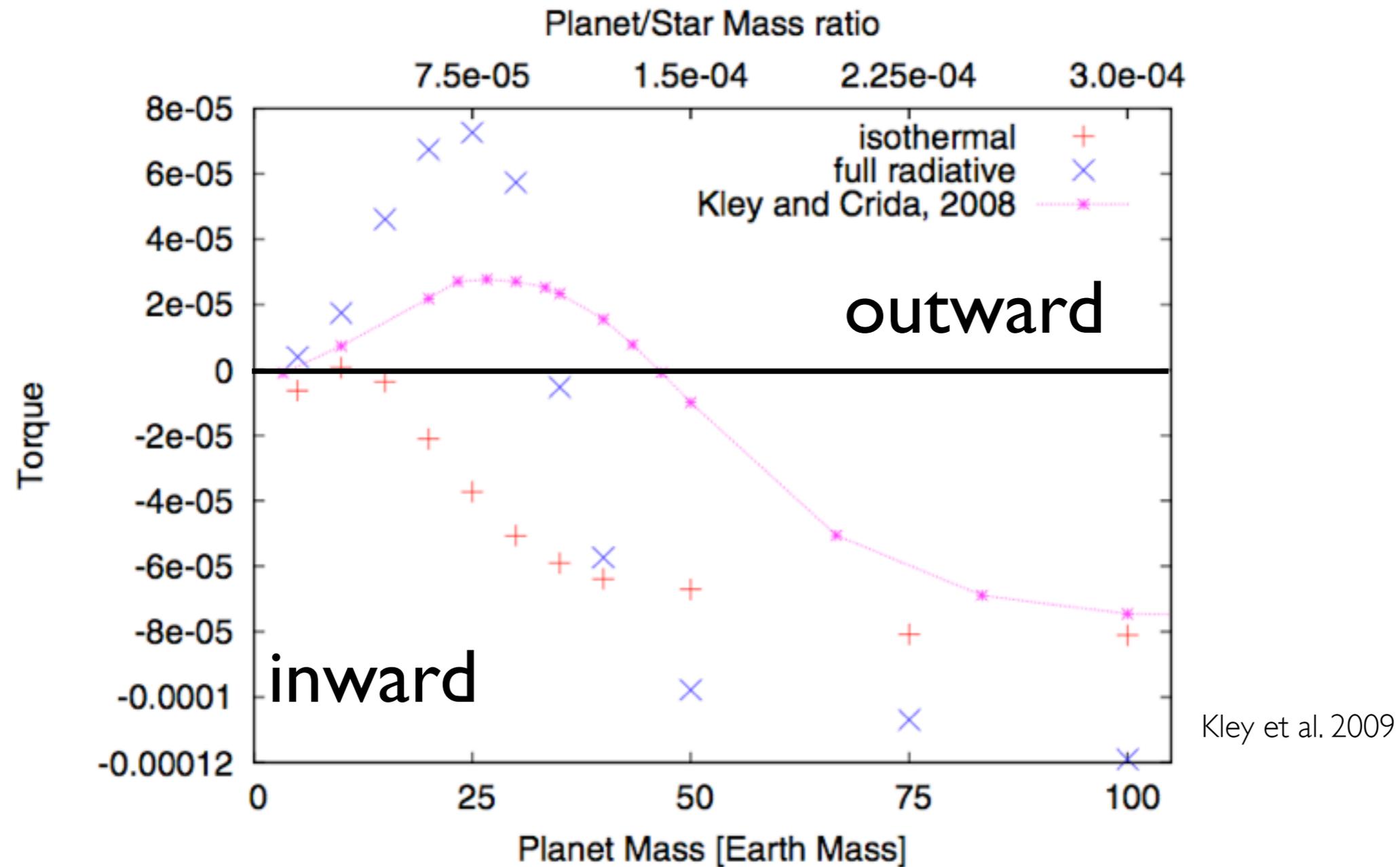


backward pull: Inwards migration

Simulations by C. Baruteau

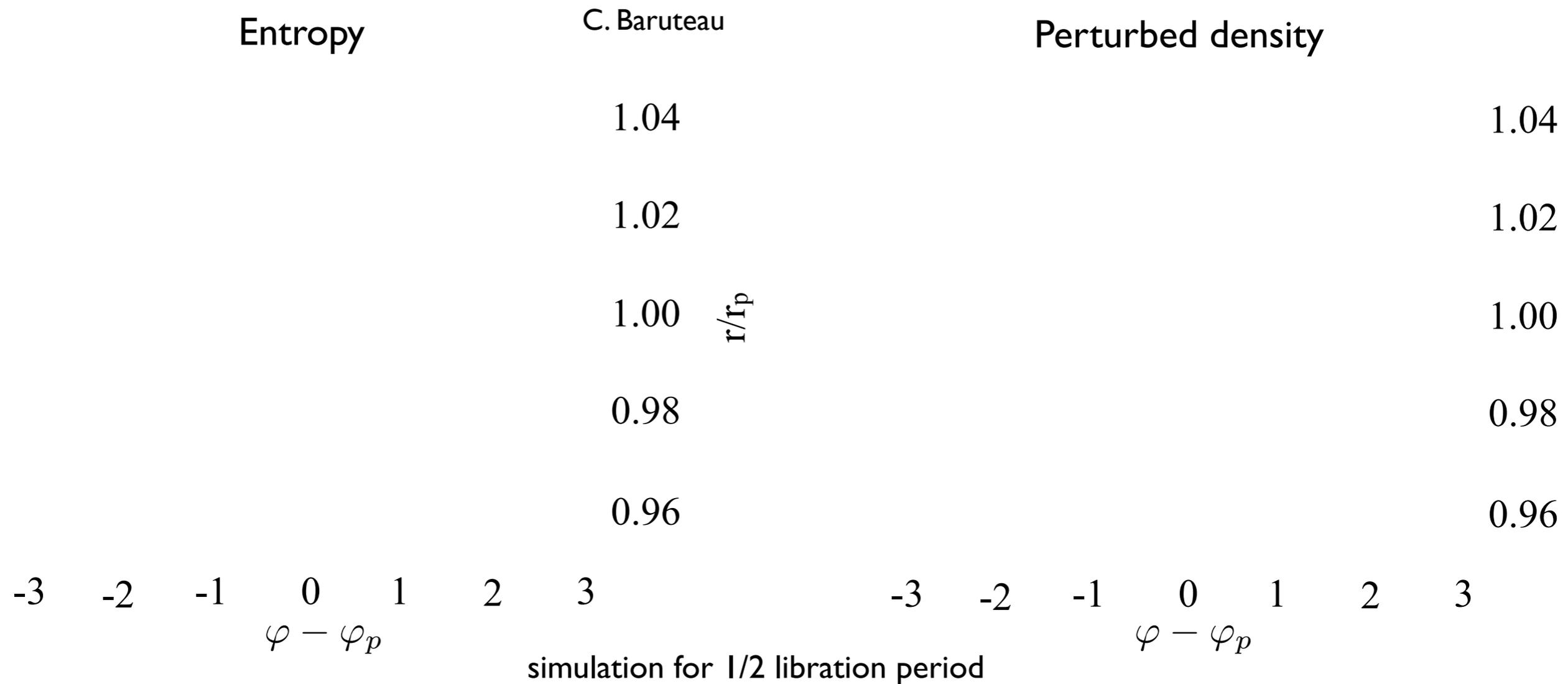
Type I migration: *Thermodynamics*

Crida et al. 2006; Baruteau & Masset 2008; Casoli & Masset 2009; Pardekooper et al. 2010; Baruteau & Lin 2010



Thermodynamics of the gaseous disk is **essential**

Why does thermodynamics matter?

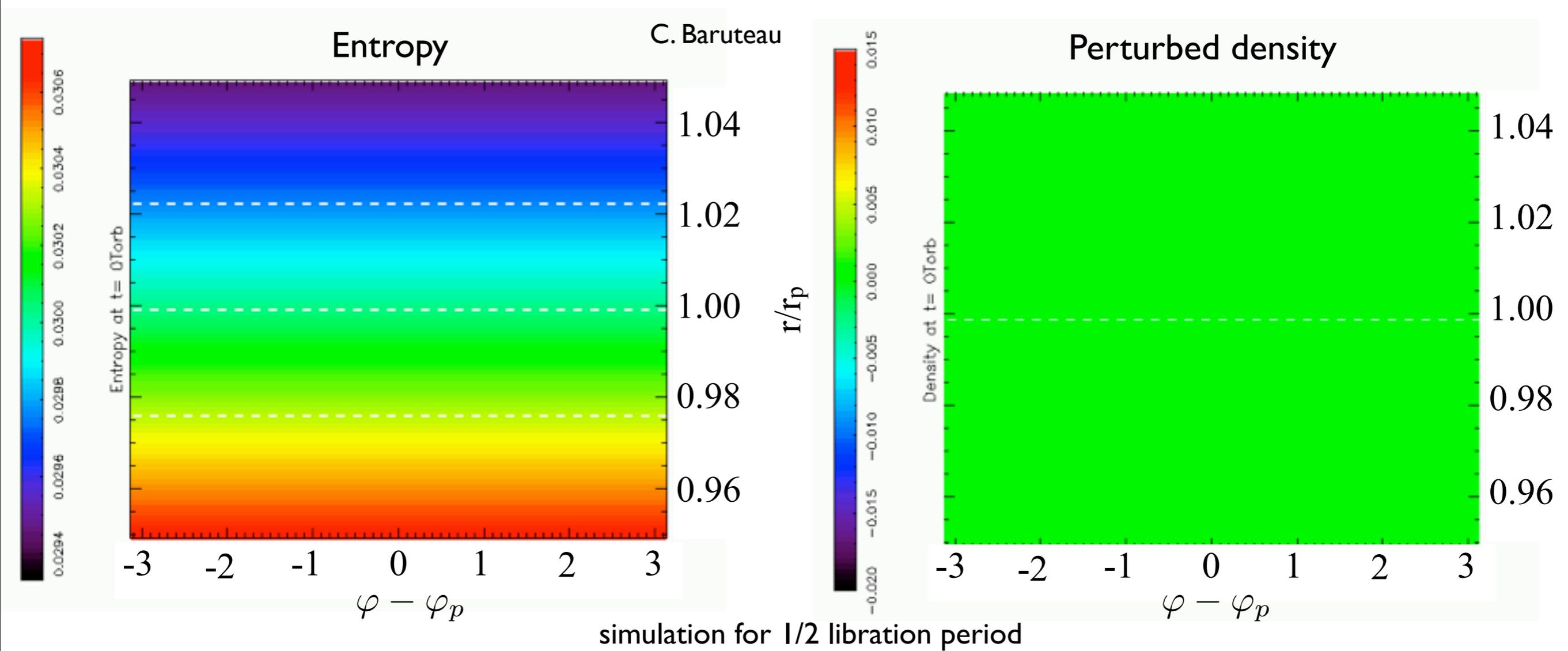


The exchange of fluid elements lead to an overdensity at shorter radii. This translates into a increased torque pushig the planet outwards...

For this mechanism to work, the fluid has to remain adiabatic during the exchange process. In other words: $\tau_{cool} \gg \tau_{u-turn}$

$$\tau_{cool} \approx \frac{\Sigma c_V T}{Q} = \frac{\Sigma c_V T}{2\sigma T_{eff}^4} \quad \tau_{u-turn} \approx 1.16 \sqrt{\frac{h^3}{\gamma q}} \frac{64}{9\Omega_p}$$

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Long term saturation

C. Baruteau

Perturbed entropy

Perturbed density

1.04

1.04

1.02

1.02

1.00

1.00

0.98

0.98

0.96

0.96

-3 -2 -1 0 1 2 3

-3 -2 -1 0 1 2 3

$\varphi - \varphi_p$

simulation for 3 libration periods

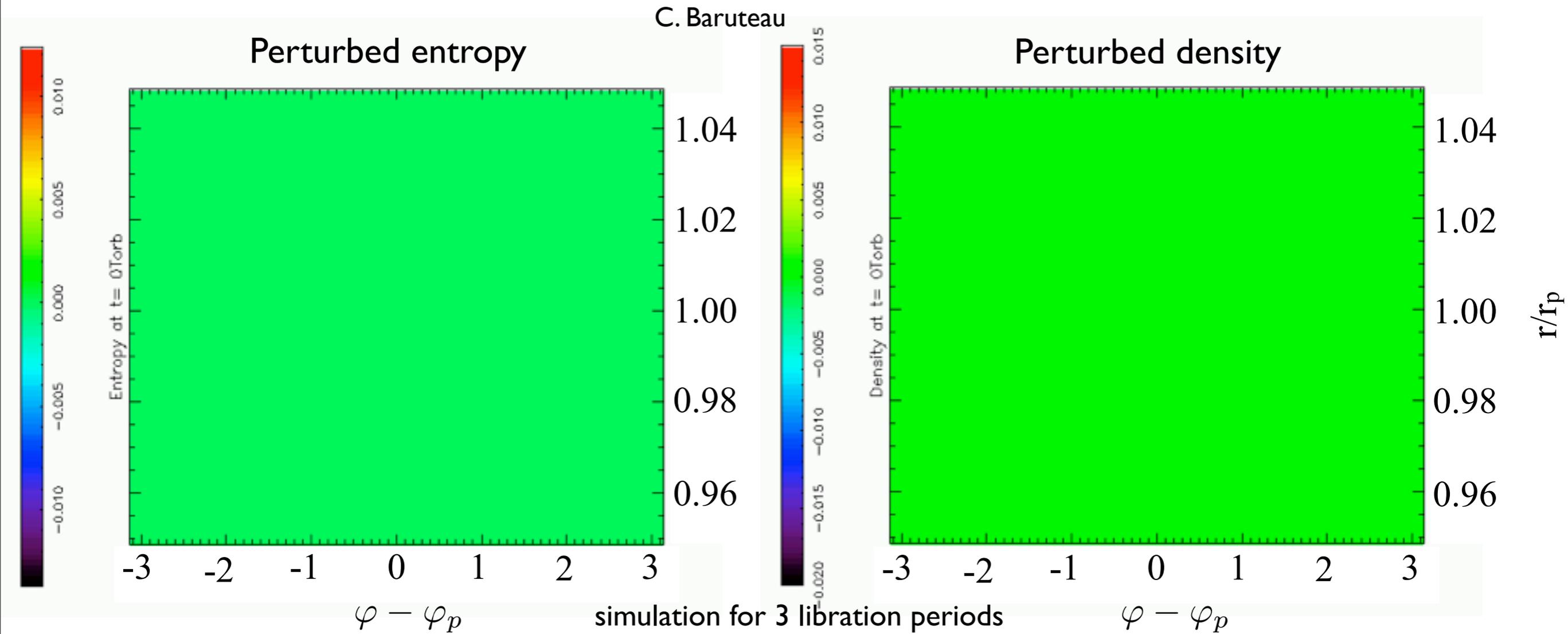
$\varphi - \varphi_p$

r/r_p

In other words, unless the viscosity re-establishes the original entropy profile before the torques saturate, the outward migration will not last... The condition for a sustainable outward migration is therefore: $\tau_{lib} \gg \tau_{visc}$

$$\tau_{lib} = \frac{8\pi r_p}{3\Omega_p x_s} \quad \tau_{visc} = \frac{(2x_s)^2}{\nu}$$

Long term saturation

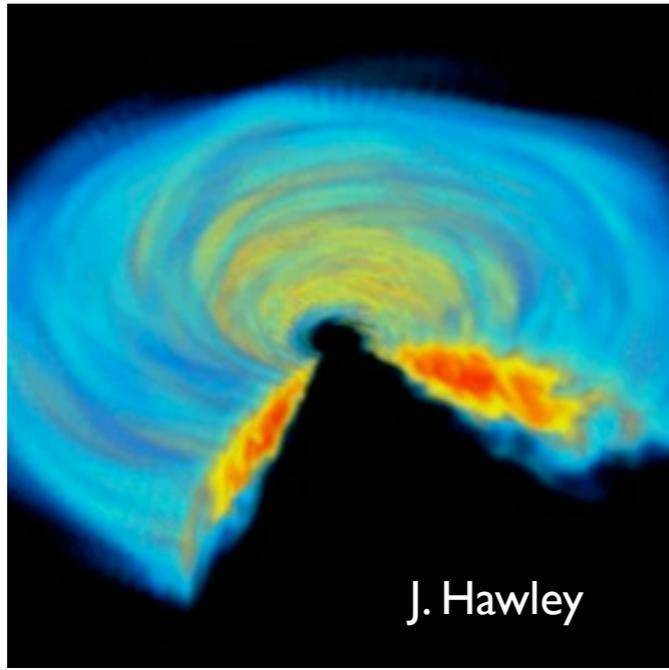


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Evolution & structure of the gas disk

Full MHD calculation



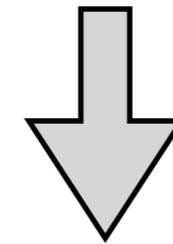
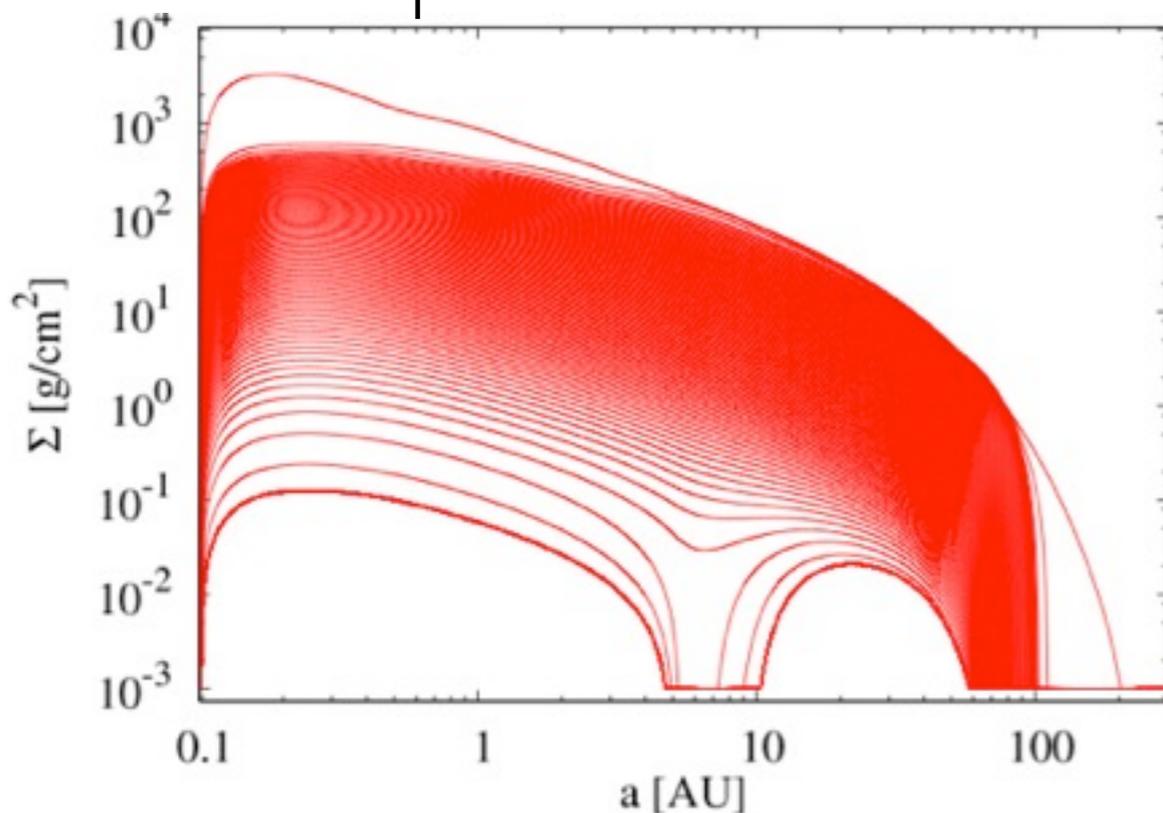
$$\frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \mathbf{v}) = 0 \quad (1)$$

$$\rho \frac{\partial \mathbf{v}}{\partial t} + (\rho \mathbf{v} \cdot \nabla) \mathbf{v} = -\nabla \left(P + \frac{B^2}{8\pi} \right) - \rho \nabla \Phi + \left(\frac{\mathbf{B}}{4\pi} \cdot \nabla \right) \mathbf{B} \quad (2)$$

$$\frac{\partial \rho \epsilon}{\partial t} + \nabla \cdot (\rho \epsilon \mathbf{v}) = -P \nabla \cdot \mathbf{v} \quad (3)$$

$$\frac{\partial \mathbf{B}}{\partial t} = \nabla \times (\mathbf{v} \times \mathbf{B}) \quad (4)$$

alpha-disk model



all the physics...
good enough?

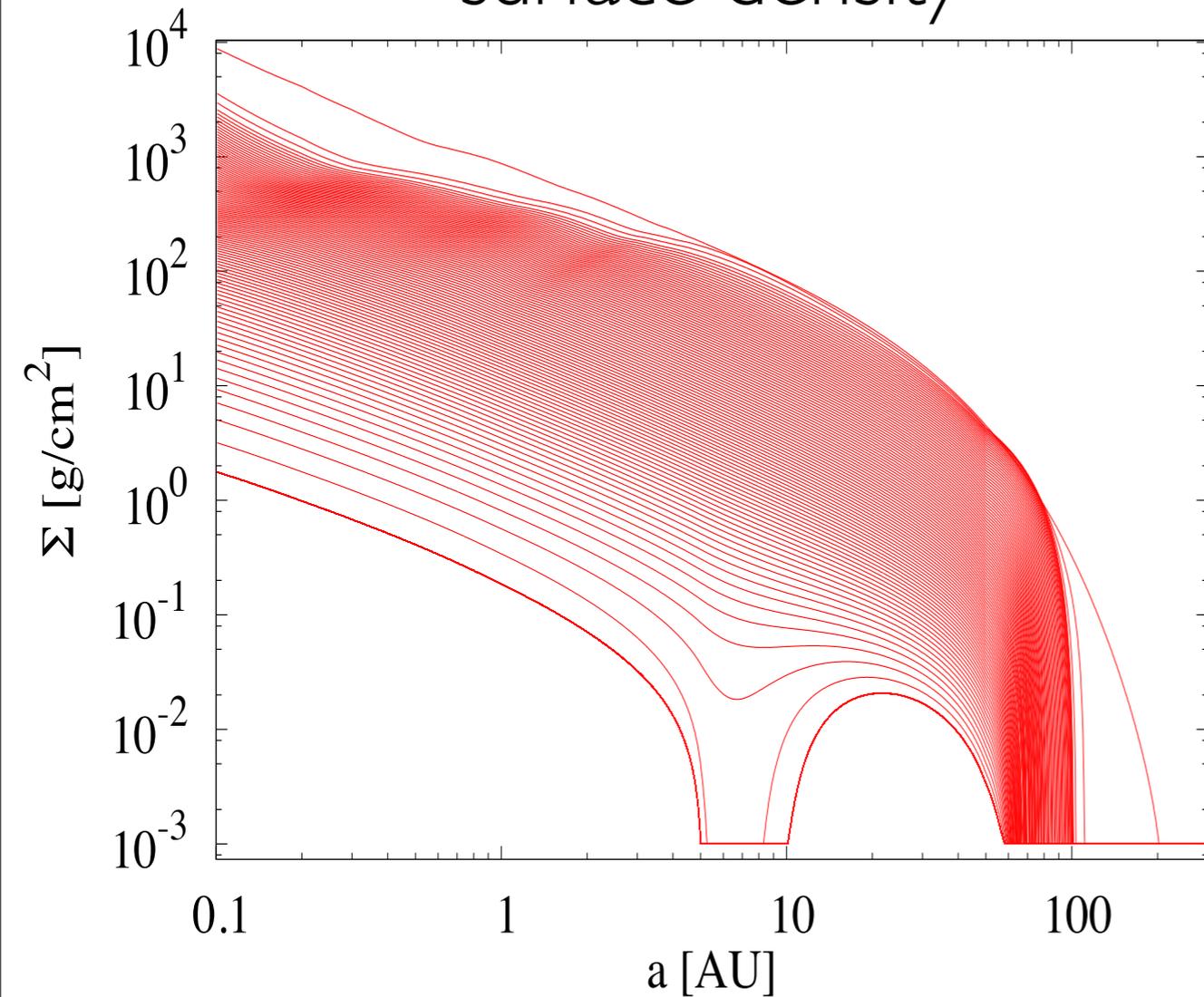
$$\frac{d\Sigma}{dt} = \frac{3}{r} \frac{\partial}{\partial r} \left[r^{1/2} \frac{\partial}{\partial r} \tilde{\nu} \Sigma r^{1/2} \right] + \dot{\Sigma}_w(r)$$

viscous evolution:

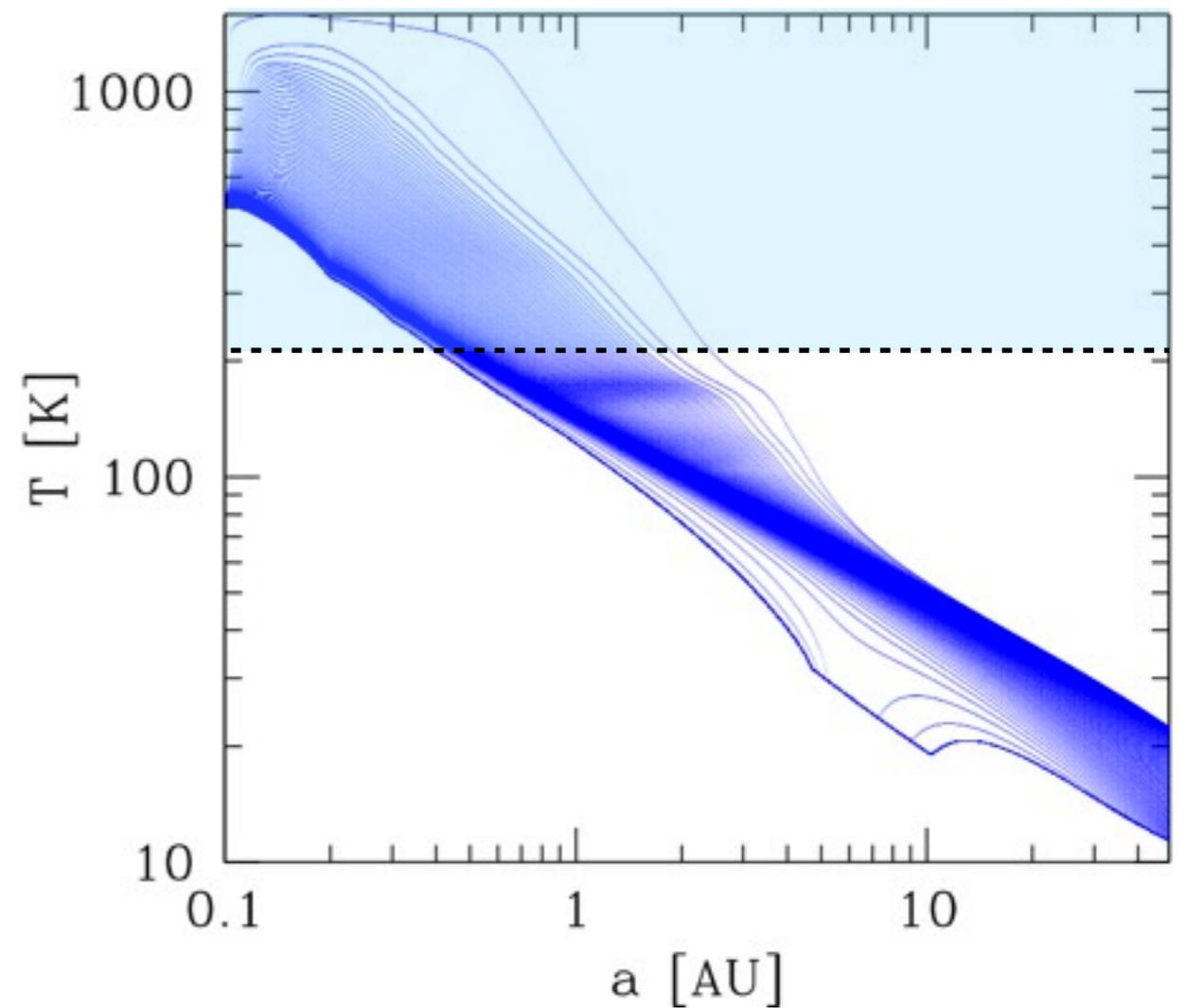
- stellar irradiation
- external photo-evaporation (Matsuyama+ 2003)
- internal photo-evaporation (Clarke+ 2001)
- updated initial profile (Andrews+ 2009)

Evolution & structure of the gas disk

surface density



mid-plane temperature



*The near IR probes the planet forming regions of the disks
both the gas and the dust*

Conclusions

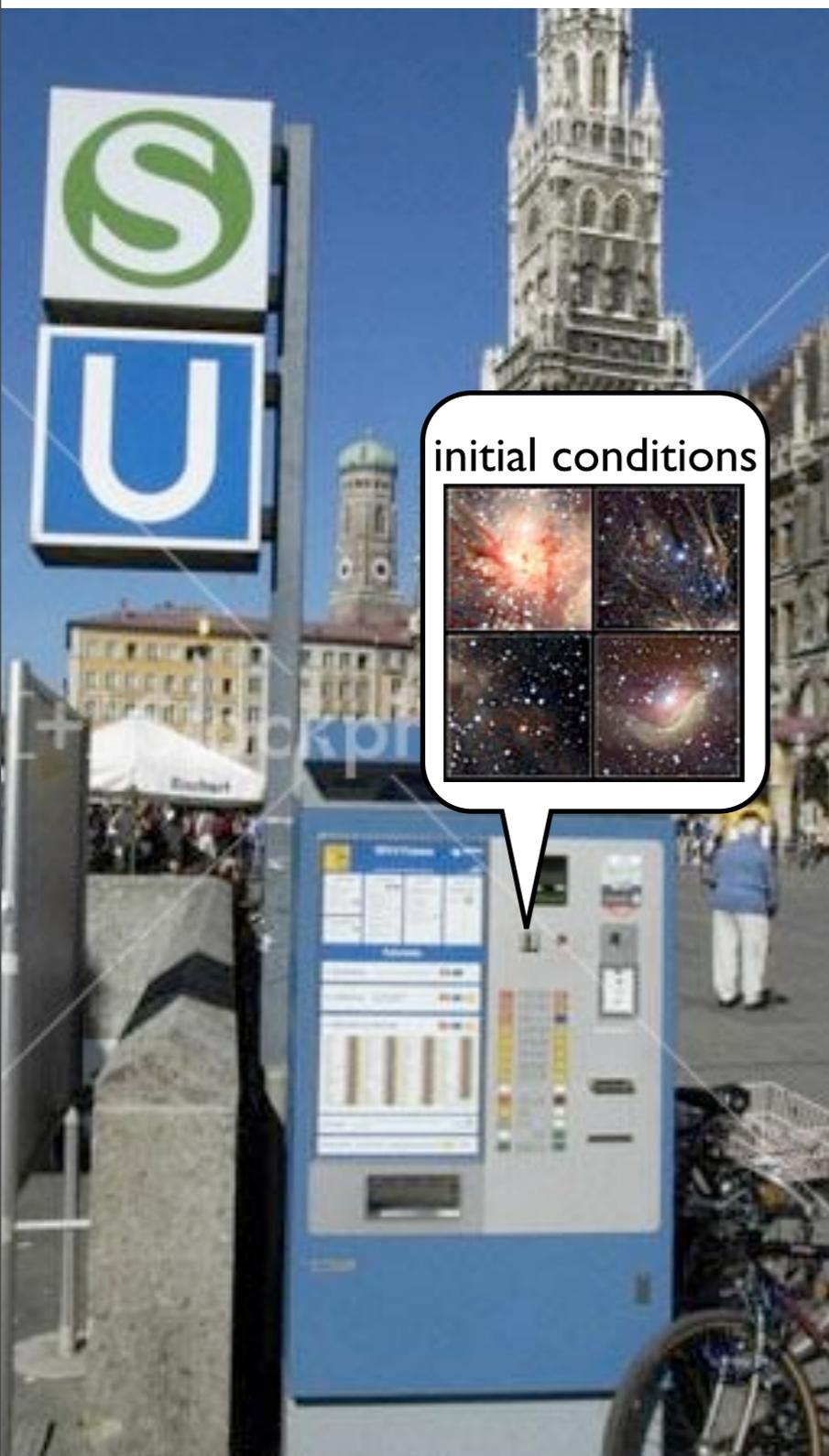
Theory of planet formation is evolving fast and has changed significantly during the past 15 years.

Unfortunately, theory still lags behind observations. Theorists are always surprised by discoveries and try to explain them. Predictions are rare...

Population synthesis is a powerful tool to explore models. Observations by different techniques provide different constraints. But the modeling is extremely complex... You need to have many things right...

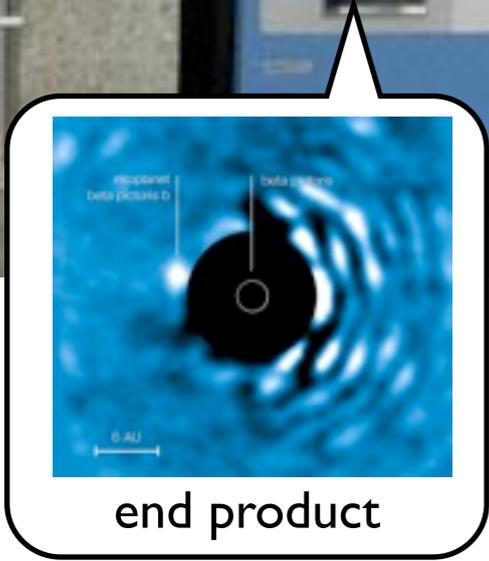
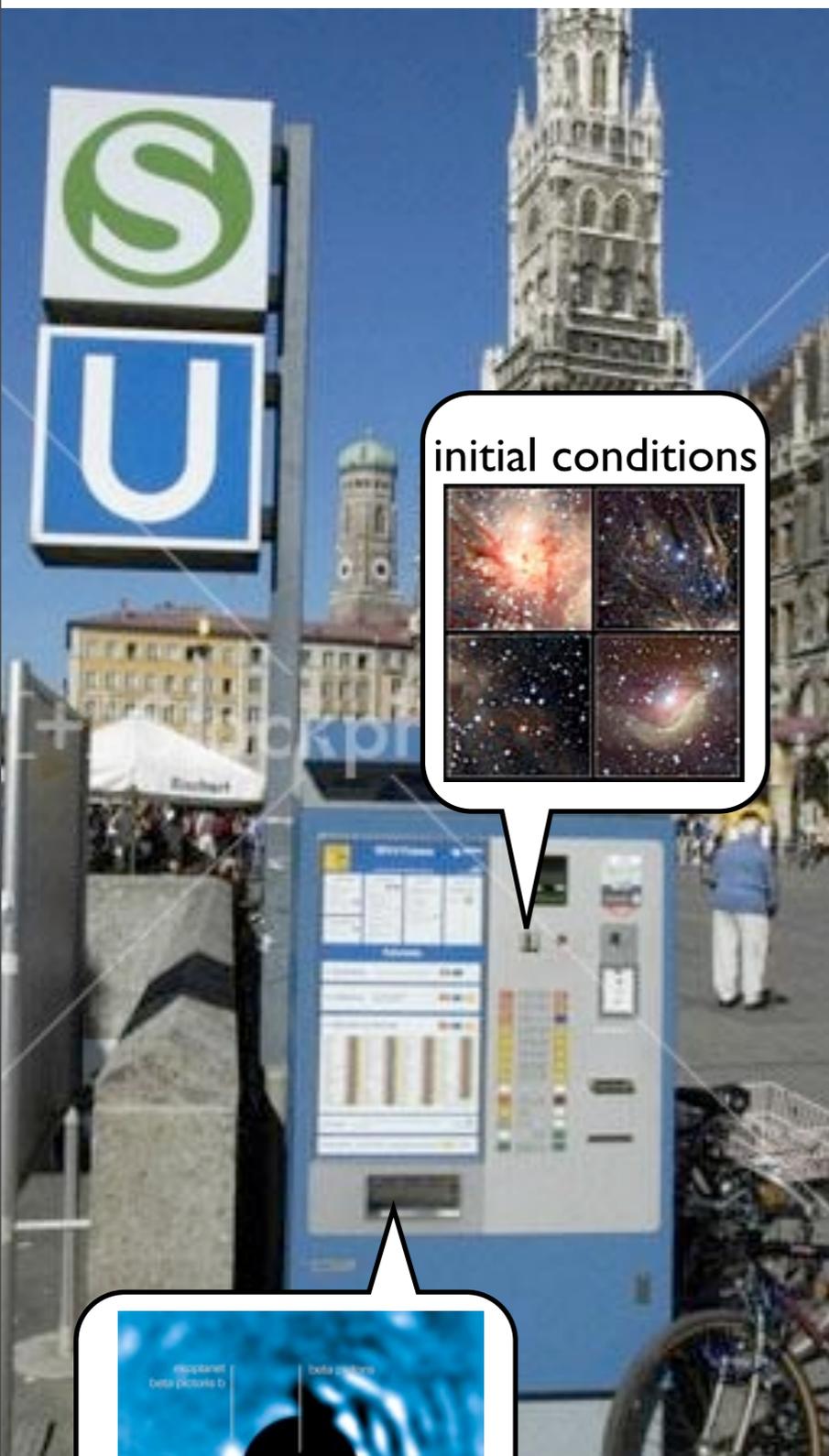
One would like to see the formation process in action... To get individual process right...



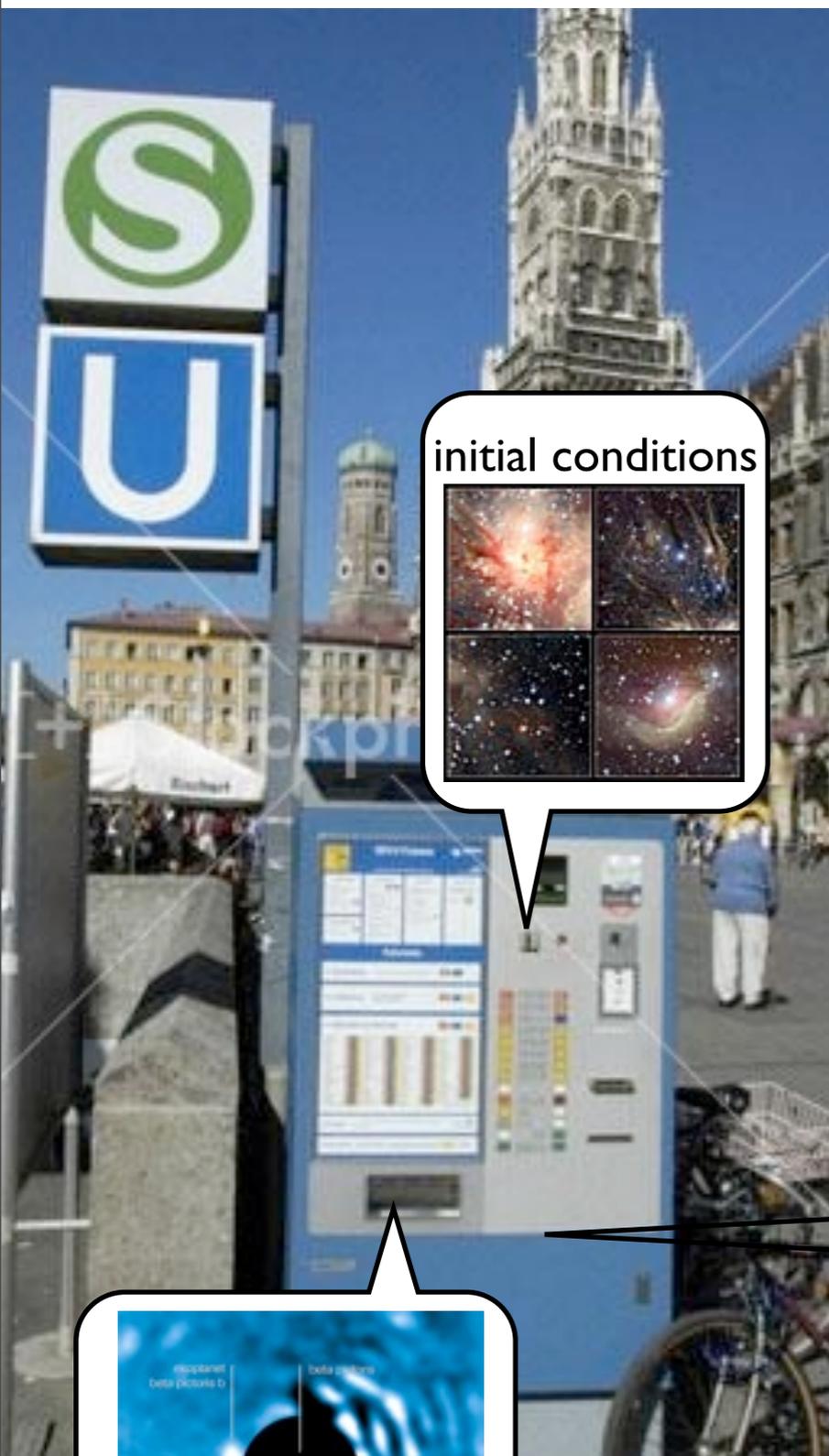


initial conditions





end product



initial conditions

end product

Challenge for interferometry

see inside the box...

Challenge for interferometry



?



see inside the box...

